

# Markups, Productivity and the Financial Capability of Firms\*

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## Abstract

In this paper we introduce credit constraints as in Manova (2013) in a framework of monopolistically competitive firms with endogenous markups, as in Melitz and Ottaviano (2008). Before producing, firms need to invest in tangible fixed assets to be used as collateral in order to obtain credit. In addition to productivity, firms are also heterogeneous in their financial capability, so that a higher financial expertise would involve advantages in the negotiation of redeployable assets, which the literature recognizes as crucial in decreasing the cost of collateral. By introducing heterogeneity in financial capability, our theoretical model predicts that, conditional on productivity, a higher financial capability is associated to higher markups. This allows us to study the implications of changes in collateral requirements faced by firms in their external borrowing. Specifically, the model predicts that a tightening of collateral requirements produces two effects on markups: a market cleansing effect, through which a more competitive environment leads to lower markups, and a relative advantage of firms with higher financial capability, leading to relatively higher markups. The theoretical results are tested empirically capitalizing on a representative sample of manufacturing firms covering a subset of European countries during the financial crisis.

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# 1 Introduction

This paper aims at extending a framework of monopolistically competitive firms heterogeneous in productivity and with endogenous markups (as in Melitz and Ottaviano, 2008) so as to incorporate the presence of liquidity constraints. Firms need to invest in tangible fixed assets used as collateral in order to obtain a loan necessary to cover part of their production costs (as in Manova, 2013). In this setting, firms are heterogeneous in their ability to raise collateral at lower financial costs, on top of their heterogeneity in productivity well-known in the recent literature, since Melitz 2003. Heterogeneity in financial capability contributes to understand the extent to which a higher financial capability, conditional on productivity, is a driver for firm specific markups. We are also able to study the implications of changes in collateral requirements (e.g. credit tightening) faced by firms in their external borrowing, as well as demand shocks (e.g. arising from globalization). The model provides a micro-foundation of the channel through which aggregate markups respond to financial shocks. The theoretical results are tested empirically capitalizing on a representative sample of manufacturing firms covering a subset of European countries during the financial crisis.

A recent literature focuses on how financial market imperfections affect country and industry-specific economic outcomes not only per se but also through their interplay with heterogeneous firms' characteristics (e.g. Manova, 2013). Financial frictions in turn depend on institutional characteristics of the banking system, but also on some firm-level variables. In fact, firms' amount and quality of tangible assets influence the availability of collateral taken as guarantee by banks (Graham, 1998; Vig, 2013; Brumm et al., 2015). Moreover, larger firm size is typically associated to higher (need of) loans and collateral, Rampini and Viswanathan (2013). Capitalizing on these findings, we aim at introducing heterogeneity in the capability of firms to raise collateral (on top of heterogeneity in productivity), so as to model a channel through which the financial side of a firm's production function affects the equilibrium industry outcome, specifically markups.

A key ingredient of the model is borrowed from the financial literature, allowing us to define the relationship between tangible assets and collateral. Tangible assets differ in terms of "redeployability" (see Campello and Giambona, 2012; Carlson et al. 2004; Zhang, 2005; Cooper, 2006; Berger et al., 2011; Geraldo et al., forthcoming): redeployable tangible assets (eg. land) are less firm-specific, but can be more easily sold, facilitate firm borrowing (as they are more easily accepted as collateral) and ultimately lower a firm implied cost of capital. In our model the price (cost) of redeployable assets depends on the financial capability of the firm in a bargaining process with the bank. On the other hand, non-redeployable assets (e.g. machinery) are more firm-specific and are supplied equally across firms in the industry.

From a theoretical point of view, the setup allows us to provide two theoretical contributions to the literature. The first consist in the fact that firms need to generate collateral to

obtain the loans, therefore collateral is related to firm size and has different (sector-specific) redeployability. The second is the microfoundation of the heterogeneous financial capability of firms in generating collateral at different costs. In particular we aim at deriving an expression for the equilibrium markup of a firm as an increasing function of productivity and financial capability; we would also like to verify analytically the implications for aggregate industry markups of a change in the collateral requirements requested by banks, i.e. the effect of tighter credit conditions.

Our main data source on which the theoretical model will be tested empirically is the survey on European Firms in a Global Economy (EFIGE). This dataset is a harmonized cross-country dataset containing quantitative as well as qualitative information on around 150 items for a representative sample of some 15,000 manufacturing firms in the following countries: Austria, France, Germany, Hungary, Italy, Spain, and the United Kingdom. This data in particular contains information of specific items related to the financial capability of firms, for example whether the firm uses derivatives for its financial management strategy, together with specific information related to the relationship between the firm and its bank(s). An interesting characteristic of the EFIGE dataset is that, survey data can be matched with balance sheet figures. More precisely, EFIGE data has been integrated with balance-sheet data drawn from the Amadeus database managed by Bureau van Dijk, retrieving nine years of usable balance-sheet information for each surveyed firm, from 2001 to 2009, enabling the calculation of firm-specific measures of productivity and markups.

The paper contributes also to the empirical literature by integrating financial capability in TFP estimates. On top of the standard simultaneity bias, productivity estimation could suffer from the potential endogeneity between financial capability and the amount of total fixed assets raised by the firm if the latter is not properly controlled for. This in turn might end up in (downward) biased productivity estimates if a positive correlation exists between the error term and the marginal productivity of capital. In turn this might affect the markup estimation, to the extent that the estimated labor marginal productivity is also biased. For these reasons we plan to modify the Woolridge (2009) algorithm for productivity estimation in order to include financial capability as an additional control (as in De Loecker, 2007 for the export status).

The remainder of this paper is organized as follows. We present our theoretical framework in Section II. In particular, we describe the financing of firms and the collateral's role in our setting, which enable us to derive our two main theoretical propositions. Section III introduces our data and our estimation routines for financial capabilities, productivity and markups. In section IV we describe the empirical strategy used to test our predictions and our main results are presented, together with robustness checks. The final section concludes.

## 2 Theoretical Model

### 2.1 Demand Side

We consider an economy with  $L$  consumers, each supplying one unit of labour. Consumers can allocate their income over two goods: a homogeneous good, supplied by perfectly competitive firms, and a differentiated good. The market for the latter is characterized by monopolistic competition, with consumers exhibiting love for variety and horizontal product differentiation. Preferences are quasi-linear as, e.g., in Melitz and Ottaviano (2008):

$$U = q_0 + \alpha \int_{i \in \Omega} q_i^c di - \frac{1}{2} \gamma \int_{i \in \Omega} (q_i^c)^2 di - \frac{1}{2} \eta \left[ \int_{i \in \Omega} q_i^c di \right]^2 \quad (1)$$

where the set  $\Omega$  contains a continuum of differentiated varieties, each of which is indexed by  $i$ .  $q_0$  represents the demand for the homogeneous good, taken as numeraire, while  $q_i^c$  corresponds to the individual consumption of variety  $i$  of the differentiated good.  $\alpha$  and  $\eta$  are utility function parameters indexing the substitution pattern between the homogeneous and the differentiated good;  $\gamma$  represents the degree of differentiation of varieties  $i \in \Omega$  instead.

By assuming that the demand for the homogenous good is positive, i.e.  $q_0 > 0$ , and solving the utility maximization problem of the individual consumer, it is possible to derive the inverse demand for each variety:

$$p_i = \alpha - \gamma q_i^c - \eta \int_{i \in \Omega} q_i^c di, \forall i \in \Omega \quad (2)$$

By inverting (2) we obtain the individual demand for variety  $i$  in the set of consumed varieties  $\Omega^*$ , where the latter is a subset of  $\Omega$  and retrieve the following linear market demand system:

$$q_i = L q_i^c = \frac{\alpha L}{\gamma + \eta N} - \frac{L}{\gamma} p_i + \frac{\eta N \bar{p} L}{\gamma(\gamma + \eta N)}, \forall i \in \Omega^* \quad (3)$$

$N$  represents the number of consumed varieties, which also corresponds to the number of firms in the market since each firm is a monopolist in the production of its own variety;  $\bar{p} = \frac{1}{N} \int_{i \in \Omega^*} p_i di$  is the average price charged by firms in the differentiated sector.

We can assume that the consumption of each variety is positive, i.e.  $q_i^c > 0$ , in order to obtain an expression for the maximum price that a consumer is willing to pay. Setting  $q_i = 0$  in the

demand for variety  $i$  yields the following:

$$p_{max} = \frac{\alpha\gamma + \eta N \bar{p}}{\gamma + \eta N}$$

Therefore, prices for varieties of the differentiated good must be such that  $p_i \leq p_{max}, \forall i \in \Omega^*$ , which implies that  $\Omega^*$  is the largest subset of  $\Omega$  that satisfies the price condition above.

## 2.2 Technology

Firms use one factor of production, labour, inelastically supplied in a competitive market. The production of the homogeneous good requires one unit of labour, which implies a wage equal to one.

Both the differentiated and the homogeneous good are produced under constant returns to scale, but the entry in the former industry involves a sunk cost  $f_E$ , representing start-up investments which constitute the initial endowment of each firm.

Firms are heterogeneous in productivity, having a firm-specific marginal cost of production  $c \in [0, c_M]$  randomly drawn from a given distribution right after entry. Based on observation of their marginal production costs, firms then decide whether to stay in the market and produce a quantity  $q(c)$  at a total production costs  $cq(c)$ , or exit.

## 2.3 Financing of firms and collateral

In our framework firms need to borrow money from banks in order to finance a share of their production costs  $cq(c)$ . Banks, which operate in a perfectly competitive banking sector, define contract details for loans and make a take-it or leave-it offer to firms, including the collateral needed against the loan. Tangible fixed assets are used as collateral.<sup>1</sup> In order to obtain credit and start producing, firms thus use (part of) their fixed entry cost  $f_E$  to invest into tangible assets that they can then pledge as collateral to banks.<sup>2</sup>

In line with recent empirical evidence emerging from the finance literature (Campello and Giambona, 2012) firms can invest their initial fixed entry cost between two type of tangible assets: redeployable assets ( $Re$ ) constituted by land, plants and buildings; and non-redeployable assets ( $NRe$ ), i.e. machinery and equipment. Redeployable assets are easier

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<sup>1</sup>The use of tangibles as collateral for loans is a standard practice for firms asking for loans and a common feature of the finance literature, as discussed among others by Graham (1998), Vig (2013) or Brumm et al. (2015).

<sup>2</sup>Manova (2013) assumes that fixed entry cost already constitute part of the collateral that firms can use, although she does not exclude that firms might invest in tangible assets to increase their capacity for raising outside finance.

to resell on organized markets, and thus, being more liquid, can facilitate firms' borrowing; non-redeployable assets, being more firm-specific and with a value that deteriorates over time (because of technological obsolescence) are less easy to be employed as a guarantee for loans compared to the formers.

Larger firms, having to finance a larger total production cost, will require a larger volume of credit and thus would need more collateral, which is an empirical regularity detected in the data (Rampini and Viswanathan, 2013). As tangible assets are used as collateral, the latter also implies that larger firms will have more tangible asset, a well known stylized fact.

Hence, it is convenient to model the firm expenditure in tangible asset as the optimal allocation between redeployable and non-redeployable assets, given the 'endowment' of initial fixed entry costs the firm is ready to pay, expressed in terms of the amount of tangible asset per unit of output. Each firm thus faces the following minimization problem:

$$\min C(Re, NRe) = (1 - \epsilon(\tau)) Re + NRe \quad (4)$$

subject to the constraint:

$$\left( Re^{\frac{\sigma-1}{\sigma}} + NRe^{\frac{\sigma-1}{\sigma}} \right)^{\frac{\sigma}{\sigma-1}} = \beta f_E$$

The term  $C(Re, NRe)$  represents the cost of tangible asset per unit of output that the firm spend when allocating its endowment  $f_E$  in redeployable and non-redeployable assets, given the price of the same assets, with  $\sigma > 1$ . Note that we are minimizing the cost function for producing the required amount of tangible assets per unit of output. In other words,  $\beta f_E$  is the required amount of tangible assets per unit of output. Therefore, the total amount of collateral required by banks is  $\beta f_E q(c)$ , as we will see in more details in the banking sector description. While non-redeployable assets  $NRe$  are supplied in a perfectly competitive market at a price  $p_{NRe} = 1$ , we assume that the price of redeployable assets  $Re$  varies across firms, being the result of a bargaining process between the supplier of the same asset and the firm.

The price of redeployable assets depends in particular on the financial capability of firms, which is a firm-specific parameter  $\tau \in [0, 1]$  randomly drawn right after the entry of the firm.<sup>3</sup> Specifically, the price of redeployable assets  $Re$  is  $1 - \epsilon(\tau)$ , with  $\epsilon(\tau) \geq 0$  and itself increasing in  $\tau$ . The intuition is that firms with better financial expertise can fetch a lower price on the market for their redeployable assets. This is in line with evidence provided by Guner et al. (2008), showing how the financial expertise of directors plays a positive role in finance and investment policies adopted by the firm.<sup>4</sup>

From the minimization of the cost function we obtain the following optimal amounts of

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<sup>3</sup>The probability distributions  $\tau \in [0, 1]$  and of  $c \in [0, c_M]$  are assumed to be independent.

<sup>4</sup>Glode et al. (2012) model the financial expertise of firms as the ability in estimating the value of securities, and show how these characteristic increase the ability of firms of raising capital.

$Re$  and  $NRe$  that a firm will buy:

$$Re^* = \frac{\beta f_E (1 - \epsilon(\tau))^\sigma}{[1 + (1 - \epsilon(\tau))^{\sigma-1}]^{\frac{\sigma}{\sigma-1}}}$$

$$NRe^* = \frac{\beta f_E}{[1 + (1 - \epsilon(\tau))^{\sigma-1}]^{\frac{\sigma}{\sigma-1}}}$$

Note that a greater financial expertise translates in a more efficient use of the initial endowment. By plugging  $Re^*$  and  $NRe^*$  in (4), we obtain the optimal cost of producing the required collateral per unit of output  $C(\tau)$  that a firm of type  $\tau$  can obtain:

$$C(\tau) = \frac{\beta f_E (1 - \epsilon(\tau))}{[1 + (1 - \epsilon(\tau))^{\sigma-1}]^{\frac{1}{\sigma-1}}} \quad (5)$$

in which  $C(\tau)$  is strictly decreasing in the financial capability of the firm. Equation 5 also allows us to define the financial capability cutoff, i.e. the level of financial capability that makes firms indifferent between  $Re$  and  $NRe$  assets.<sup>5</sup> This corresponds to  $\tilde{\tau}$  such that  $\epsilon(\tilde{\tau}) = 0$ , i.e. a firm characterized by the cutoff financial capability would not obtain any type of advantage in the price of redeployable assets. As a consequence, the  $\tau$ -cutoff firm's cost per unit of output when allocating its endowment  $f_E$  in redeployable and non-redeployable assets is equal to:

$$C(\tilde{\tau}) = \beta f_E 2^{\frac{1}{1-\sigma}} \quad (6)$$

which represents the cost upper bound the less financially capable firm will face in order to produce the required amount of tangible assets per unit of output.

By subtracting (5) to (6) we can obtain an expression of the cost advantage a firm characterized by financial capability  $\tau$  will have in investing in tangible assets, namely

$$\theta(\tau) = C(\tilde{\tau}) - C(\tau) = \beta f_E \left[ 2^{\frac{1}{1-\sigma}} - \frac{(1 - \epsilon(\tau))}{[1 + (1 - \epsilon(\tau))^{\sigma-1}]^{\frac{1}{\sigma-1}}} \right] \quad (7)$$

The last expression, increasing in  $\tau$ , describes the cost advantage a firm can gain thanks to its financial capability. Consistently, the cost advantage of the financial capability cutoff firm will be zero:  $\theta(\tilde{\tau}) = 0$ .

The implications of heterogeneity in financial capability can be seen considering the case of all firms having the same financial expertise  $\bar{\tau}$ . As firms in the industry have the same fixed entry cost  $f_E$ , in our setting they will end up with the same cost to produce the required amount of tangible asset per unit of output  $C(\bar{\tau})$ . In this case, the total cost of producing

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<sup>5</sup>In this case the price of  $Re$  and  $NRe$  is the same.

tangible assets for any firm  $\overline{TC}(c) = C(\bar{\tau})q(c)$  will just be a function of the firm's size, i.e. ultimately of its marginal costs. In other words, even introducing a financial sector in our framework, without heterogeneity in financial capability productivity will remain the only endogenous variable needed to characterize the entire equilibrium of the industry, as a given marginal cost  $c$  would determine the firm's size  $q(c)$  and hence the volume of the loan as a share of production costs  $cq(c)$ , as well as the total cost  $\overline{TC}(c)$  and hence the availability of collateral. Introducing heterogeneity also on financial capability  $\tau$ , on top of productivity, allows instead to derive non-trivial implications for firms' behavior, especially when studying the implications of financial shocks.

Coming to the modeling of the banking sector, banks do not know the actual financial capability of firms, but can observe  $\tilde{\tau}$  and the resulting cost to invest in tangible fixed assets of the lowest financially capable (cutoff) firm, which is given by  $C(\tilde{\tau})q(c)$ .<sup>6</sup> Hence, they would supply loans to all firms characterized by a financial capability above this threshold, i.e. those firms such that  $\tau \geq \tilde{\tau}$ .

Following Egger and Seidel (2012) and Manova (2013), firms need to externally fund a share  $\rho$  of their total production costs  $cq(c)$  and have to repay  $R(c, \tau)$  to banks. Repayment occurs with exogenous probability  $\lambda$ , with  $\lambda \in (0, 1]$ , which is determined by the strength of financial institutions, while with probability  $(1 - \lambda)$  the financial contract is not enforced, the firm defaults, and the creditor seizes the collateral. In particular, a share  $\beta$  of all tangible fixed assets is taken as collateral by the lender and collected if the firm is not able to repay the debt. The parameter  $\beta \in [0, 1]$  is sector-specific and decided by banks according to their financing needs, as in Manova (2013) and Peters and Schnitzer (2015).

Combining the two sources of firm heterogeneity in marginal costs and financial capability  $(c, \tau)$  we can write the participation constraint of a bank as follows:

$$-\rho cq(c, \tau) + \lambda R(c, \tau) + (1 - \lambda)\beta f_E q(c, \tau) \geq 0 \quad (8)$$

As we can easily see, no interest rate is charged by banks because of perfect competition in the banking sector. For the same reason, the participation constraint holds with equality for all banks. Hence, it is possible to derive an expression for the repayment function:

$$R(c, \tau) = \frac{1}{\lambda}[\rho c - (1 - \lambda)\beta f_E]q(c, \tau) \quad (9)$$

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<sup>6</sup>The model leads to the same propositions if we assume that banks observe the average  $\tau$  instead of  $\tilde{\tau}$ . Results are available on request.

Although a financial capability larger than  $\tilde{\tau}$  is required in order to obtain a loan, such characteristic is not sufficient. In fact, firms must also satisfy the following liquidity constraint:

$$p(c, \tau)q(c, \tau) - (1 - \rho)cq(c, \tau) + \theta(\tau)q(c, \tau) \geq R(c, \tau) \quad (10)$$

A firm for which the above inequality does not hold would not be able to obtain the loan because of its inability to reimburse the debt to the borrower. This firm would exit the market right after the entry, i.e. after the random draw of its  $\tau$  and marginal cost of production  $c$ .

## 2.4 Profit maximization

Each firm in the differentiated sector maximizes the following profit function

$$\pi(c, \tau) = p(c, \tau)q(c, \tau) - (1 - \rho)cq(c, \tau) - \lambda R(c, \tau) - (1 - \lambda)\beta f_E q(c, \tau) + \theta(\tau)q(c, \tau)$$

under three constraints: the participation constraint (8), the liquidity constraint (10) and the demand for the supplied variety (3). The term  $\theta(\tau)q(c, \tau)$  represents the cost advantage obtained by a firm with financial capability equal to  $\tau$  on the cost of collateral. This term enters the profit function directly as it represents a decrease in the debt burden proportional to the financial expertise of the firm.

By plugging (9) in the profit function we obtain a much simpler form for firm's profits:

$$\pi(c, \tau) = p(c, \tau)q(c, \tau) - cq(c, \tau) + \theta(\tau)q(c, \tau) \quad (11)$$

Solving the profit maximization problem and using the demand constraint to derive  $\frac{\partial p}{\partial q} = -\frac{\gamma}{L}$  yields the FOC:

$$p(c, \tau) - \frac{\gamma}{L}q(c, \tau) - c + \theta(\tau) = 0$$

By rearranging the terms in the above equation, we finally obtain an expression for the supply of each firm:

$$q(c, \tau) = \frac{L}{\gamma} [p(c, \tau) - c + \theta(\tau)] \quad (12)$$

We can now use the liquidity constraint in order to derive the marginal cost cutoff  $c_D$ . Knowing that firms that would not be able to repay the debt will directly exit the market, the liquidity constraint (10) must hold with equality for the cutoff firm. Moreover, since the cutoff firm corresponds to that firm that sets  $p_i = p_{max}$ , we can rewrite (10) as follows:

$$p_{max}q(c_D, \tau) - (1 - \rho)c_Dq(c_D, \tau) + \theta(\tau)q(c_D, \tau) = R(c_D, \tau)$$

Rearranging the terms in the equation above yields a simple expression for the  $p_{max}$  in function of the cost cutoff  $c_D$ :

$$p_{max} = \omega c_D - \phi - \theta(\tilde{\tau}) \quad (13)$$

where  $\omega = \frac{\rho}{\lambda} + 1 - \rho$  and  $\phi = \frac{1-\lambda}{\lambda} \beta f_E$  are constants. Note that, since  $\theta(\tau)$  is increasing in  $\tau$ , the maximum price charged by a firm corresponds to the price made by the least financially capable firm, since  $\theta(\tilde{\tau})$  is the lower bound of  $\theta(\tau)$ . For this reason, in correspondence of the  $p_{max}$  we have that  $C(\tau) = C(\tilde{\tau})$ .

## 2.5 Equilibrium

At the equilibrium, the demand for each variety equals the supply:

$$\left[ \frac{\alpha\gamma}{\gamma + \eta N} + \frac{\eta N \bar{p}}{\gamma + \eta N} - p(c, \tau) \right] \frac{L}{\gamma} = \frac{L}{\gamma} [p(c, \tau) - c + \theta(\tau)]$$

Note that the first two terms on the left hand side are equal to the  $p_{max}$  previously derived; hence, by substituting it with its expression in (13) and rearranging we obtain the equilibrium price charged by a firm characterized by a certain pair  $(c, \tau)$ :

$$p(c, \tau) = \frac{1}{2} [\omega c_D + c - \phi - \theta(\tau)] \quad (14)$$

Furthermore, we can derive an expression for the equilibrium markup of a  $(c, \tau)$ -firm by subtracting the marginal cost from the equilibrium price. Since the cost function has the following form:

$$\begin{aligned} C(c, \tau) &= (1 - \rho)cq(c, \tau) + \lambda R(c, \tau) + (1 - \lambda)\beta f_E q(c, \tau) - \theta(\tau)q(c, \tau) \\ &= cq(c, \tau) - \theta(\tau)q(c, \tau) \end{aligned}$$

we have that

$$\mu(c, \tau) = p(c, \tau) - MC(c, \tau) = \frac{1}{2} [\omega c_D - c - \phi + \theta(\tau)] \quad (15)$$

By looking at expression (15), it is easy to note that, as in the Melitz and Ottaviano (2008) model, the equilibrium markup charged by a  $(c, \tau)$ -firm is increasing in the production cost cutoff  $c_D$  and decreasing in the firm-specific marginal cost of production  $c$ . Hence, the less a firm is productive, the lower would be its markup (holding constant the effects on the equilibrium cost cut-off  $c_D$  of the industry, herein discussed). Interestingly, the financial capability of firms also plays a role in this framework. We formalize this result in the

following

**Proposition I.** *The equilibrium markup  $\mu(c, \tau)$  of a firm characterized by a pair  $(c, \tau)$  is an increasing function of the financial capability of the firm,  $\tau$ .*

Considering that the function  $\theta(\tau)$  is increasing in  $\tau$ , the above result is straightforward. The intuition is that a higher financial expertise would not only result in larger advantages in capital accumulation and in contracting with banks, but also in a markup premium. Differently from Manova (2013) and Melitz and Ottaviano (2008), we thus have that productivity is not the only firm characteristic affecting the equilibrium outcomes of the economy.

Finally, it is possible to derive an expression for a firm's profits in equilibrium:

$$\pi(c, \tau) = \frac{L}{4\gamma} [\omega c_D - c - \phi + \theta(\tau)]^2 \quad (16)$$

## 2.6 Parameterization

To fully characterize the industry equilibrium, we have to solve for the value of the cost cut-off  $c_D$ , taking into account both sources of heterogeneity  $(c, \tau)$ .<sup>7</sup> As in Melitz and Ottaviano (2008), we assume that the marginal cost of production  $c$  follows an Inverse Pareto distribution with a shape parameter  $k \geq 1$  over the support  $[0, c_M]$ . Additionally, we assume that the financial capability  $\tau$  follows a Uniform distribution in the interval  $[0, 1]$ . As already stated, the two probability distributions are independent. The cumulative density functions of  $c$  and  $\tau$  can then be written as:

$$G(c) = \left( \frac{c}{c_M} \right)^k, \quad c \in [0, c_M]$$

$$F(\tau) = \tau, \quad \tau \in [0, 1]$$

respectively. The density functions therefore are  $g(c) = \frac{kc^{k-1}}{c_M^k}$  and  $f(\tau) = \frac{1}{1-a}$ . To solve for the equilibrium we also need to specify the functional form of  $\epsilon(\tau)$ , i.e. the price advantage enjoyed by the  $\tau$  firm in the purchase of the redeployable asset. We assume that  $\epsilon(\tau) = \tau - a$ , with  $a \in [0, 1)$  being a constant. It is easy to note that  $\epsilon(\tau)$  increases in  $\tau$  and the function equals 0 in correspondence of  $a$ , therefore implying that the financial capability cutoff is  $\tilde{\tau} = a$ .

By applying the free-entry equilibrium condition, according to which firms would be willing to enter the market until expected profits are equal to the fixed cost of entry  $f_E$ , we

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<sup>7</sup>Recall that the cut-off of  $\tau$  is defined as  $\epsilon(\tilde{\tau}) = 0$ .

have:

$$\pi^e = \int_0^{c_D} \int_a^1 \frac{L}{4\gamma} [\omega c_D - c - \phi + \theta(\tau)]^2 dF(\tau) dG(c) = f_E \quad (17)$$

Since  $dG(c) = g(c)dc$  and  $dF(\tau) = f(\tau)d\tau$ , we can solve the integral in the free entry condition as follows:

$$\pi^e = \frac{Lk}{4\gamma c_M^k (1-a)} \int_0^{c_D} \int_a^1 [\omega c_D - c - \phi + \theta(\tau)]^2 c^{k-1} d\tau dc = f_E$$

As we can see in the Appendix A, it is not possible to find an explicit solution for  $c_D$ . However, as shown in the same Appendix, one can prove that a positive solution always exists and it is unique.

## 2.7 Shock to collateral requirements

Assume now that an exogeneous shock to the economy leads banks to pledge for a larger share of collateral, namely,  $\beta$  increases. We are interested in analysing the effect of such shock on markups charged by firms in the differentiated sector.

Taking the first derivative of  $\mu(c, \tau)$  with respect to  $\beta$  yields:

$$\frac{\partial \mu(c, \tau)}{\partial \beta} = \frac{1}{2} \left[ \omega \frac{\partial c_D}{\partial \beta} - \frac{\partial \phi}{\partial \beta} + \frac{\partial \theta(\tau)}{\partial \beta} \right] \quad (18)$$

By applying Dini's Implicit Function Theorem, we have that:

$$\frac{\partial c_D}{\partial \beta} = - \frac{\partial \pi^e(\beta, c_D(\beta)) / \partial \beta}{\partial \pi^e(\beta, c_D(\beta)) / \partial c_D} < 0$$

since, as shown in Appendix B, both the derivatives of  $\pi^e$  in the above formula are positive. The intuition is that when banks pledge for more collateral, some firms would not be able to satisfy the liquidity constraint since the minimum required amount of tangible fixed assets becomes larger. Hence, the least efficient firms in the market would not obtain the loan from banks and exit, generating a fall in the production cost cutoff  $c_D$ .

As far as the second and the third term in (18) are concerned, their derivative is equal to  $f_E \left[ 2^{\frac{1}{1-\sigma}} - \frac{(1-\epsilon(\tau))}{[1+(1-\epsilon(\tau))^{\sigma-1}]^{\frac{1}{\sigma-1}}} - \frac{1-\lambda}{\lambda} \right]$ . This term is increasing in the firm-specific financial capability, as shown in Appendix C.

Combining the signs of the three derivatives in the square brackets we then obtain the following

**Proposition II.** *The equilibrium markup  $\mu(c, \tau)$  of a firm characterized by a pair  $(c, \tau)$  decreases with a shock to collateral requirements by banks,  $\beta$ . The negative effect is however*

*mitigated for more financially healthy firms: firms with a relatively high  $\tau$  will experience a relatively smaller decrease in  $\mu(c, \tau)$ .*

As a larger  $\beta$  can be associated to tighter credit constraints for firms, the model predicts that a negative shock to credit markets leads to the exit of least productive firms and to a general decrease in the level of markups. However, those firms that have been able to obtain a relatively lower cost in the generation of their tangible fixed assets, due to their high financial expertise, would experience a relatively milder shock.

Hence, differently from a model in which marginal costs/productivity are the only source of firm heterogeneity, and thus a tightening in credit constraints would only affect the cost cutoff  $c_D$  equally affecting all firms in the market, the introduction of different firm-level financial capabilities in our framework allows for an heterogeneous response of firms to a symmetric financial shock.

## 3 Data and markups estimation

### 3.1 Firm-level data

Our firm-level data derive from the first survey on European Firms in a Global Economy (Efige), a research project funded by the European Community's Seventh Framework Programme (FP7/2007-2013). The project aims at analyzing the competitive performance of European firms in a comparative perspective. This dataset is the first harmonized cross-country dataset containing quantitative as well as qualitative information on around 150 items for a representative sample of some 15,000 manufacturing firms in the following countries: Austria, France, Germany, Hungary, Italy, Spain, and the United Kingdom. These items cover international strategies, R&D, innovation, employment, financing and organizational activities of firms, before and after the financial crisis.

The survey was carried out between January and April 2010. Managers were asked to report information on the different questions for the period 2008-09, with specific questions requesting information on the reaction of firms to the crisis in 2009/10, while other questions tracked the persistency of some variables (e.g. exports or innovation activities) in the years before 2008. The questionnaire has been administered via either CATI (Computer Assisted Telephone Interview) or CAWI (Computer Assisted Web Interview) procedures. The complete questionnaire is available on the Efige web page, [www.efige.org](http://www.efige.org). A discussion of the dataset as well as its validation is available in Altomonte et al (2012), while Bekes et al. (2011) discuss explicitly the reaction of firms to the crisis as measured in the survey.

An interesting characteristic of the Efige dataset is that, on top of the unique and comparable cross-country firm-level information contained in the survey, data can be matched

Table 1: Efige sample size, by country

Country	Number of firms
Austria	443
France	2,973
Germany	2,935
Hungary	488
Italy	3,021
Spain	2,832
UK	2,067
Total	14,759

with balance sheet figures. More precisely, we have been able to integrate Efige data with balance-sheet information drawn from the Amadeus database managed by Bureau van Dijk, retrieving twelve years of usable balance-sheet information for each surveyed firm, from 2001 to 2013. This data in particular enable the calculation of firm-specific measures of productivity and markups over time.

The Efige dataset includes about 3,000 firms operating in Germany, France, Italy and Spain, some 2,200 firms in the United Kingdom, and about 500 firms for Austria and Hungary, as reported in Table 1.

The sampling design follows a stratification by industry, region and firm size structure. Firms with less than 10 employees have been excluded from the survey, that instead presents an oversampling of larger firms with more than 250 employees to allow for adequate statistical inference for this size class. Detailed information on the distribution of firms by country/size class and industry can be retrieved on the Efige website (<http://www.bruegel.org/datasets/efigedataset>).<sup>8</sup>

### 3.2 Financial capability and descriptive statistics

We exploit three questions available in the Efige sample as proxies of the firm-specific financial capability. A first question asks whether the firm uses derivatives for its financial management strategy ”*During the last year did your firm use any kind of derivatives products (e.g. forward operations, futures, swaps) for external financing needs or treasury management or foreign exchange risk protection?*”. Around 46% of firms answer this question, and of those, around 10% report a positive answer. A similar proportion of firms answer the

<sup>8</sup>In order to take into account the oversampling and to retrieve the sample representativeness of the firms’ population, a weighting scheme (where weights are inversely proportional to the variance of an observation) is set up according to firm’s industry and class size. All our regression results are thus computed by taking into account this weighting scheme, except where otherwise specified.

second question, focusing on the length of the relation of a firm with her main bank. This second variable shows an average of 14 year.<sup>9</sup> The third question in the survey asks the firm’s number of banks used. The question is answered by almost the entire sample and shows an average of three banks of two banks per firm (two for the median firm). The intuition is pretty straightforward: if in the firm there are people able to manage derivative products for financial hedging, this will imply a particularly high level of financial capability of the firm. The same intuition works for the number of banks and the length of the relation with the main bank: the longer the length and the higher the number of banks with which the firm interacts and has relations, the more sophisticated we expect the financial management strategy of the firm. To minimize the measurement error stemming from each and to account for the information overlap when considering these three variables, we create a synthetic index of financial capability for each firm which was obtained through a principal component analysis of all three measures capturing different aspects of financial soundness. The index has a straightforward interpretation: the higher the factor, the more financially capable the firm.<sup>10</sup>

From the Amadeus dataset linked with Efige we derive instead information on Tangible Fixed Assets, Sales as a proxy of output and the number of employees. We report in Table 2 their descriptive statistics for the year 2008, i.e. the year referred to in the questions related to financial capability.

Table 2: Descriptive statistics

	Obs.	Mean	Std. Dev.	Min	Max
Tangible Fixed Assets (2008)	12035	1903	4583	1	50204
Sales (2008)	10554	10986	24694	194	250215
Employees (2008)	9583	66	114	10	1062
Number of Banks	14571	2.99	2.0225	1	14
Use of derivatives	6872	9.58%	0.2943	0	1
Main bank relation	6488	14,16	9.9633	1	48
Adequate Production Scale	14450	86.37%	0.3432	0	1
Exporter	14759	66.73%	0.4712	0	1
Product Innovation	14759	49.09%	0.4999	0	1
Quality Certification	14759	59.53%	0.4909	0	1
Manager Rewarded also by Financial Benefits	14237	34.73%	0.4761	0	1

<sup>9</sup>The self-selection induced by the response rate for both variables is homogeneous in terms of the country-industry-size distribution of the original sample

<sup>10</sup>One might claim that large number of bank relations for a firm is a signal of a weak financial strategy, or might be driven by a different financial market structure, however note that all our results are robust to the direct use of each variable instead of the firm-specific financial capability factor retrieved from three variables together.

Table 2 reports also the descriptive statistics of the variables used as additional controls in the empirical analysis. The variable 'Adequate Production Scale' is a dummy indicating if, compared to competitors, the firm's scale of production is perceived as adequate: we use the latter to capture in the cross-sectional dimension a potential heterogeneity of firms that are considering to upgrading their production scale through future investments. The dummy 'Exporter' indicates if the firm has exported any of its product in the year 2008, or has exported "always" or "sometimes" its products before 2008. The variable 'Product Innovation' shows if the firm carried out any product innovation in the years 2007-2009. Similarly the dummy 'Quality Certification' assumes value one if the firm has gone through any form of quality certification (e.g. ISO9000) during 2008. Finally, 'Manager Rewarded' indicates if executives/managers are rewarded with variable benefits based on their performance (including financial and non-financial benefits).

Finally, we also have information on whether firms have requested in the considered period a loan from a bank, as our theoretical model works through this channel. Not surprisingly, this condition is verified for 14,139 firms in our data (i.e. 96% of the sample).

### 3.3 Markup and Productivity Estimation

In order to estimate markups and productivity, we follow De Loecker and Warzynski (2012), which introduced a method to estimate markups by employing expenditure on inputs and elasticity of output to the use of inputs in production. This innovative algorithm for markup computation has a relevant advantage over other methods reported in the literature: it yields firm-specific and time-varying mark-ups, which enables the use of these estimates in panel data analysis.

The production function for firm  $i$  in logs has the form:

$$y_{it} = \beta_l l_{it} + \beta_k k_{it} + \omega_{it} + \epsilon_{it} \quad (19)$$

where  $y_{it}$ ,  $l_{it}$  and  $k_{it}$  represent the log of output, labour and capital, respectively,  $\omega_{it}$  stands for the technological shock, i.e. productivity, and  $\epsilon_{it}$  is an error term. De Loecker and Warzynski (2012) estimate the production function coefficients by using the algorithm developed by Akerberg, Caves and Fraser (2006, ACF henceforth), which is a two-step estimation procedure that allows to obtain consistent and unbiased estimates of  $\beta_l$  and  $\beta_k$ .

In each period firms minimize their costs, i.e. they solve the following problem:

$$\Lambda(L_{it}, K_{it}, \lambda_{it}) = w_{it}L_{it} + s_{it}K_{it} + \lambda_{it}(Y_{it} - Y_{it}(\cdot))$$

where  $\lambda_{it}$  is the Lagrange multiplier and  $w_{it}$  and  $s_{it}$  correspond to the wage and the price of capital, respectively. The first-order condition for the labour input can be written as

$$\frac{\partial \Lambda_{it}}{\partial L_{it}} = w_{it} - \lambda_{it} \frac{\partial Y_{it}(\cdot)}{\partial L_{it}} = 0$$

Rearranging terms and multiplying both sides by  $\frac{L_{it}}{Y_{it}}$  we obtain:

$$\frac{\partial Y_{it}(\cdot)}{\partial L_{it}} = \frac{w_{it} L_{it}}{\lambda_{it} Y_{it}}$$

Note that  $\frac{\partial Y_{it}(\cdot)}{\partial L_{it}}$  is the output elasticity of labor, which corresponds to  $\beta_l$  under the assumption of Cobb-Douglas technology in production. Since  $\lambda_{it}$  can be interpreted as the marginal cost of production  $c_{it}$ , if we consider the definition of markup as the ratio between price and marginal cost and multiply both sides by  $P_{it}$ , we have that:

$$\beta_l = \mu_{it} \frac{w_{it} L_{it}}{P_{it} Y_{it}}$$

where the term  $\frac{w_{it} L_{it}}{P_{it} Y_{it}}$  corresponds to the share of expenditure in labour of firm  $i$  in period  $t$ , denoted with  $\alpha_{it}^L$ . Consequently, De Loecker and Warzynski (2012) can write a time-varying firm-specific markup as follows:

$$\mu_{it} = \frac{\beta_l}{\alpha_{it}^L} \quad (20)$$

An advantage of this method is that in order to obtain markup estimates we only need information about the share of expenditure in inputs, easily retrievable from balance sheets of companies, and the output elasticity of the labour input. The latter is obtained from the production function estimation, for which we mainly rely on Wooldridge (2009), which proposes the use of a GMM framework in order to obtain efficient estimates for  $\beta_l$  and  $\beta_k$ . For what concerns total factor productivity estimates (TFP, henceforth), they are obtained from the same estimation process.

As a robustness check, we have also estimated production function coefficients à la ACF (2009) as in De Loecker and Warzynski (2012), and then used the retrieved coefficients to construct alternative measures of markups and TFPs. Table 3 below reports median values and standard deviations of markups computed in our sample by using the two procedures.

On top of the standard simultaneity bias, TFP estimation could suffer from the potential endogeneity between financial capability and the amount of total fixed assets raised by the firm if the latter is not properly controlled for. This in turn might end up in (downward) biased productivity estimates if a positive correlation exists between the error term and the marginal productivity of capital. In turn this might affect the markup estimation, to the

Table 3: Markup estimates: median values and standard deviations

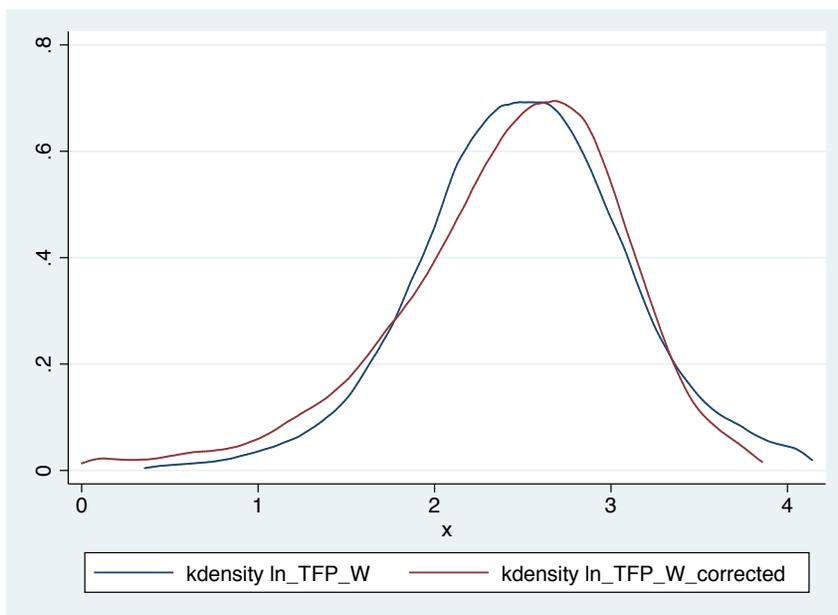
Estimation Method	Median	Standard deviation
Wooldridge	1.103	0.594
ACF	1.043	0.931

extent that the estimated labor marginal productivity is also biased.

For these reasons we have modified the Woolridge (2009) algorithm including the financial capability factor as an additional control (as in De Loecker, 2007 for the export status).

Figure 1 confirms the downward bias of productivity estimation when not controlling for the firm specific financial capability. All our results hold with both standard and corrected TFP and markup estimations.

Figure 1: Productivity kernel graphs



## 4 Empirical results

Our purpose is to analyze the relationship between markups and financial capability of firms and the effect of a credit crunch on markups in the economy as described in our theoretical model. Therefore, the empirical analysis is focused on the test of Propositions 1 and 2.

## 4.1 Test of Proposition I

The model predicts that, conditional on firm-level productivity, a higher financial capability  $\tau$  is associated to higher markups. The channel of this effect takes place through the initial cost of investment in tangible fixed assets needed by the firm in order to generate the collateral necessary for obtaining the bank loan. In our model, financially more capable firms are in fact able to generate redeployable assets (then primarily used as collateral) at cheaper costs, a gain then reflected in their markups. In this section we empirically test for this channel.

As discussed in the theoretical framework, our four main variables of interest are markups, productivity, financial capability and firms' cost advantage in producing the initial amount of tangible assets per unit of output. Recalling equation (15), we expect a positive correlation between markups and firm-specific productivity, as well as between markups and financial capability. In particular, financial capability  $\tau$  is the our novel key variable influencing positively the cost of investment in tangible assets of each firm. We test a preliminary correlation between these four variables in the cross-section of 2008 through the following regression:

$$\ln \mu_i = \gamma_1 \ln TFP_i + \gamma_2 FC + Z_i + u_i \quad (21)$$

where  $\mu_i$  is the firm-specific markup;  $TFP$  is the firm-specific productivity;  $FC$  is the factor indicating the firm-specific level of financial capability;  $Z_i$  is a vector of firm effects discussed below;  $u$  is the error term. The regression is run conditional on the fact that a firm has requested a bank loan in the considered period, a condition however satisfied by 96% of firms in our sample, as already discussed.

Table 4 presents the results of the cross-section, with markups and productivity both estimated with the Wooldridge's method.<sup>11</sup> As expected, column (1) confirms that markups are positively correlated with productivity and that, conditional on it, financially capable firms also display higher markups, as predicted by the theoretical framework. The results hold also controlling for firm's size,<sup>12</sup> as well as the (logarithm of) a firm's age. We also include a full set of country\*industry fixed effects to capture all possible spurious compositional effects beyond variation at the firm level.<sup>13</sup>

In column (2) we repeat the exercise taking into account the additional firm level characteristics previously discussed: the firm reporting an adequate production scale, the export

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<sup>11</sup>Robust results using the ACF algorithm are reported in Appendix D.

<sup>12</sup>The effects of firms' size on TFP and financial constraints have been widely discussed in the literature (see for example Hadlock and Pierce, 2010). We introduce this control in the form of a categorical variable, varying from 1 to 4 based on the firm having between 10-19, 20-49, 50-249 or more than 250 employees, respectively. The choice of a categorical variable is driven by the willingness of reducing the possible endogeneity with TFP and other firm-specific controls. All our results are confirmed if we substitute the natural log of the number of employee to the size categories.

<sup>13</sup>Industry fixed-effects are retrieved from Manova (2013) as measures of financial vulnerability (i.e. the extent to which a firm relies on outside capital for its investment).

Table 4: Test of Proposition I

	(1)	(2)	(3)
	OLS	OLS	IV
Dependent variable	$\ln(\mu)_i$	$\ln(\mu)_i$	$\ln(\mu)_i$
$\ln(\text{TFP})_i$	0.930*** (0.0445)	0.936*** (0.0462)	1.027*** (0.0562)
Financial capability <sub>i</sub>	0.299*** (0.0707)	0.290*** (0.0731)	
$\ln(\text{Tangible fixed assets per output})_i$			0.362*** (0.0991)
Adequate production scale <sub>i</sub>		0.0879*** (0.0311)	0.00399 (0.0496)
Exporter <sub>i</sub>		0.0494* (0.0256)	0.00562 (0.0359)
Product innovation <sub>i</sub>		0.00493 (0.0207)	0.00428 (0.0289)
Quality certification <sub>i</sub>		0.0650*** (0.0238)	-0.0804 (0.0528)
Manager rewarded also by financial benefits <sub>i</sub>		0.0414 (0.0267)	0.0655* (0.0366)
Obs.	2,660	2,521	2,298
R2	0.516	0.527	
Firm size and age controls	YES	YES	YES
Country-Industry FE	YES	YES	YES
Robust SE	YES	YES	YES
First-stage estimates and IV statistics			
Financial hedge <sub>i</sub>			0.180** (0.0882)
$\ln(\text{Banks})_i$			0.255*** (0.0612)
$\ln(\text{Main bank relation})_i$			-0.067* (0.0353)
F-statistic for weak identification			28.97
Hansen-J statistic			0.865

and innovation activities, the presence of quality certification as well as the strategy of remuneration of managers. Results are robust for our variables of interest.

If our theoretical model is correct, financial capability should positively influence the cost of generating tangible assets used as collateral, and thus tangible fixed assets per unit of output should be positively and significantly related to firm-level markups. The latter indicates on the one hand that financial capability and tangible assets are indeed related and influence markups, as postulated in our model. In order to take into account the potential endogeneity between the two variables, we test that the channel of Proposition I is exactly this one through an IV approach. In section 2.3 we argued that the financial capability of manager(s) is associated with a higher efficiency (lower costs) in investing in tangible fixed assets before starting to produce, i.e. before asking loans to banks. This extra cost advantage of firms characterized by a high financial capability translates into higher level of markups during the production phase. The theoretical model thus suggests that financial capability could be used as an instrument for the unit investment in tangible fixed assets in the markup estimation. The IV estimates are reported in column (3) of Table 4, where our three proxies of financial capability (financial hedge, number of banks and length of relation with the main bank) are used as instruments for the tangible fixed assets per unit of output, which turns out to be positively and significantly associated to firm-level markups, always conditional on productivity and the usual set of firm-level as well as country\*industry controls. The first-stage of the IV estimation (reported on the bottom of Table 4 for the three variables of interest) confirms the power of our instruments (the F-statistic is above the critical threshold of 10), while the Hansen-J statistic confirms the validity of our instruments.

Overall, these results seem to provide robust evidence that a firm's financial capability is associated to higher level of markups via the impact that the former characteristic has on the ability of the firm to efficiently generate tangible fixed assets, thus confirming our Proposition I.

## 4.2 Test of Proposition II

In order to test Proposition II we exploit the fact that, during the crisis years of 2008/09 the collateral requirements of banks have increased significantly. We retrieve this information from the ECB Bank Lending Survey (BLS). The survey, started in 2005, contains questions regarding the development of supply and demand of loans during the past quarter and the expected evolution during the next quarter. In particular, some questions of the BLS indicate if, in a specific quarter, collateral requirements of banks have tightened, eased or showed no changes. The information is reported as the share of respondents on a -100/+100 percentage scale for a given country in a given year. We have averaged the quarterly data in order to obtain a year-country variation for this variable, labeled 'Collateral requirement'.

Table 5: Test of Proposition II

	(1)	(2)	(3)	(4)
	Years: 2006-2009	Years: 2006-2009	Years: 2006-2009	Years: 2006-2009
	Full sample	Full sample	Full sample	Only SPA&ITA
Dependent variable	$\ln(\mu)_{ict}$	$\ln(\mu)_{ict}$	$\ln(\mu)_{ict}$	$\ln(\mu)_{ict}$
$\ln(TFP)_{ict}$	0.953*** (0.0228)	0.954*** (0.0228)	0.953*** (0.0228)	0.964*** (0.0247)
Financial capability <sub>ic</sub>	0.196*** (0.0346)		0.186*** (0.0451)	0.0972** (0.0500)
Collateral requirements <sub>ct</sub>	-0.316*** (0.0229)	-0.430*** (0.0370)	-0.329*** (0.0423)	-0.419*** (0.0444)
Financial capability <sub>ic</sub> *Collateral requirements <sub>ct</sub>		0.439*** (0.101)	0.0467 (0.131)	0.239* (0.136)
Obs.	10,259	10,259	10,259	8,695
R2	0.433	0.432	0.433	0.441
Firm size and age controls	YES	YES	YES	YES
Industry vulnerability FE	YES	YES	YES	YES
Robust SE	YES	YES	YES	YES

Specifically, in the years 2008 and 2009, collateral requirements have tightened three fold, from a median value of .075 over the entire sample period to .21 for the two considered year. We have thus created a 'Crisis' dummy, taking value 1 for the years 2008-09 and 0 otherwise. We have hence tested Proposition II through the following specification

$$\ln \mu_{ict} = \gamma_1 \ln TFP_{it} + \gamma_2 FC_i + \gamma_3 Collateral_{ct} + \gamma_4 FC_i * Collateral_{ct} + Z_i + \epsilon_{ict} \quad (22)$$

We have interacted the firm-level factor of financial capability with the crisis dummy, in order to test, as postulated by Proposition II, financially capable firms suffer relatively less from a tightening of collateral requirements.

As expected, column (1) confirms that a shock in collateral requirements negatively affected markups, while more financial capable firms showed a higher level of markups, on average. In column (2) we add the interaction term specific for Proposition II (however, excluding the financial capability factor alone). We can observe that the latter shows a positive and strongly significant effect, providing evidence in sustain of the theoretical prediction of Proposition II. When in column (3) we add the financial capability variable alone, however, the interaction term keeps it's magnitude and sign, but loses its significance. Restricting the sample to the two more affected countries as far as to collateral requirements increase is concerned, as in column (4), the prediction that more financially capable firms observe a lowering in the markup downgrade due to the increase in collateral requirements, thanks to their higher level of financial capability.

Results, robust across the various specifications (as well to the ACF algorithm for markups and productivity, as reported in Appendix), confirm indeed that financially capable firms have suffered relatively less from a tightening of collateral requirements in terms of markups, as confirmed by the relevant interaction. Overall, the marginal effect of financial capability is positive and significant across specifications, in line with Proposition II.

## 5 Conclusions

In the current paper we introduced the concept of financial capability of firms operating in a monopolistically competitive market and characterized by heterogeneous productivity and markups à la Melitz and Ottaviano (2008). The channel through which this firm-specific characteristic affects the market outcome is the ability of firms in raising collateral to borrow from banks in order to cover a share of production costs. In particular, in our model firms invest in redeployable and non-redeployable assets, and a higher financial capability allows a firm to obtain a larger share of the formers, which can be used as collateral. Hence, firms obtain a decrease in the debt burden proportional to their financial capability, which enters the profit function as a cost advantage. From a theoretical point of view, we obtain two main results; first, markups of more financially capable firms turn to be higher compared to the population of firms with a less skilled financial management. Secondly, we argue that a shock in collateral requirements set by the banking sector has a differentiated effect on firms markups according to their financial capability. The model provides a micro-foundation of the channel through which aggregate markups respond to financial shocks. As far as the empirical strategy is concerned, the main innovation consisted in integrating financial capability in firm-level productivity and markup estimates. The structural estimation process to obtain productivity and markups strictly follows Wooldridge (2009) and De Loecker and Warzynski (2012). We empirically tested our two theoretical claims on firm-level data, capitalizing on a representative sample of manufacturing firms covering a subset of European countries during the financial crisis.

## Reference

[To be added]

## Appendix

[To be added]