

# EXCHANGE RATE DYNAMICS AND INTERNATIONAL BUSINESS CYCLES WITH TRADE SHOCKS

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## Abstract

- ▶ Real Exchange Rates (RER) are volatile & weakly correlated with GDP (at business cycle frequencies)
- ▶ RER volatility & ‘disconnect’ are key puzzles for standard macro models
- ▶ This paper: simple two-country model with supply (TFP) shocks & TRADE shocks: exogenous shifts in local spending bias (proxy for time-varying trade costs, protectionism or changes in markups charged by exporters)
- ▶ A positive home bias (trade) shock appreciates a country’s RER and raises its GDP; foreign GDP falls
- ▶ A positive TFP shock depreciates the RER & raises GDP
- ▶ Model with *simultaneous* supply & trade shocks can generate volatile RER and realistic small (unconditional) RER-GDP corr.

- Also assume persistent TFP shocks ( $\theta$ )
- Period utility

$$u_{i,t}(C_{i,t}, L_{i,t}) = \frac{1}{1-\sigma} [\psi_{i,t}(C_{i,t}, L_{i,t})]^{1-\sigma} \quad \sigma > 0, \sigma \neq 0$$

- Recursive EZW intertemporal preferences:

$$U_{i,t} = \left\{ (1-\beta) [\psi_{i,t}(C_{i,t}, L_{i,t})]^{1-\sigma} + \beta [E_t U_{i,t+1}^{1-\gamma}]^{\frac{1-\sigma}{1-\gamma}} \right\}^{1/(1-\sigma)}$$

$\sigma$ : 1/IES intertemporal elasticity of substitution (IES)

$\gamma$ : coefficient of risk aversion (CRA)

Recursive utility magnifies RER response to persistent shocks (Kollmann (2017))

## Quantitative results

PREDICTED MOMENTS (growth rates) with TFP Shocks and Trade Shocks ( $\alpha$ )

	Shocks to:			Data
	TFP & Trade (1)	TFP (2)	Trade (3)	
<b>Standard deviations (in %)</b>				
Y	1.48	1.36	0.37	0.80
<b>Standard deviations relative to GDP</b>				
C	0.80	0.72	0.77	0.66
L	1.11	1.04	1.55	0.89
RER	1.43	0.75	<b>3.32</b>	3.05

**Correlations with domestic GDP**

RER	<b>-0.17</b>	<b>-0.48</b>	<b>0.76</b>	-0.06
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**Cross-country correlations**

Y	<b>0.35</b>	<b>0.40</b>	<b>-0.84</b>	0.45
C	<b>0.37</b>	<b>0.55</b>	<b>-0.78</b>	0.35
I	<b>0.36</b>	<b>0.44</b>	<b>-0.79</b>	0.34
L	<b>0.37</b>	<b>0.52</b>	<b>-0.84</b>	0.43

Model calibration: high risk aversion ( $\gamma=50; \sigma=.66$ )

- Trade shocks have much smaller effect on GDP (Y) than TFP shocks, but trade shocks matter for RER
- Trade shocks induce negative cross-country correlations of GDP, consumption (C), investment (I) and labor hours (L)
- Allowing for simultaneous TFP & trade shocks brings volatility of RER, correlation between RER & GDP, and cross-country correlations of C,I,L closer to the data (compared to model with just TFP shocks)

## The model

*Simple* two-country model:

- 2 traded intermediate goods
- Each country produces 1 traded good (from K & L)
- Complete financial markets
- Country  $i$  final good  $Z_{i,t}$  produced from domestic ( $y_{i,t}^i$ ) & imported ( $y_{i,t}^j$ ) tradables:

$$Z_{i,t} \equiv (y_{i,t}^i / (1 - \alpha_{i,t}))^{1-\alpha_{i,t}} (y_{i,t}^j / \alpha_{i,t})^{\alpha_{i,t}}$$

$1 - \alpha_{i,t}$ : local spending bias

$\alpha_{i,t}$ : import share

- Trade shock can directly be estimated from imports/absorption data

$$\alpha_{i,t} = p_{j,t} y_{i,t}^j / (P_{i,t} Z_{i,t}) = \text{imports/absorption}$$

$$\ln \alpha_{i,t} = (1-r^\alpha) \ln(\alpha) + r^\alpha \ln \alpha_{i,t-1} + \varepsilon_{i,t}^\alpha$$

Empirically (US):  $r^\alpha = 0.98$  and  $\sigma^\alpha = 3.58\%$