

## **MODULE THREE, PART FOUR: PANEL DATA ANALYSIS IN ECONOMIC EDUCATION RESEARCH USING SAS**

Part Four of Module Three provides a cookbook-type demonstration of the steps required to use SAS in panel data analysis. Users of this model need to have completed Module One, Parts One and Four, and Module Three, Part One. That is, from Module One users are assumed to know how to get data into SAS, recode and create variables within SAS, and run and interpret regression results. They are also expected to know how to test linear restrictions on sets of coefficients as done in Module One, Parts One and Two. Module Three, Parts Two and Three demonstrate in LIMDEP and STATA what is done here in SAS.

### **THE CASE**

As described in Module Three, Part One, Becker, Greene and Siegfried (2009) examine the extent to which undergraduate degrees (BA and BS) in economics or Ph.D. degrees (PhD) in economics drive faculty size at those U.S. institutions that offer only a bachelor degree and those that offer both bachelor degrees and PhDs. Here we retrace their analysis for the institutions that offer only the bachelor degree. We provide and demonstrate the SAS code necessary to duplicate their results.

### **DATA FILE**

The following panel data are provided in the **comma separated values** (CSV) text file “bachelors.csv”, which will automatically open in EXCEL by simply double clicking on it after it has been downloaded to your hard drive. Your EXCEL spreadsheet should look like this:

“College” identifies the bachelor degree-granting institution by a number 1 through 18.

“Year” runs from 1996 through 2006.

“Degrees” is the number of BS or BA degrees awarded in each year by each college.

“DegreBar” is the average number of degrees awarded by each college for the 16-year period.

“Public” equals 1 if the institution is a public college and 2 if it is a private college.

“Faculty” is the number of tenured or tenure-track economics department faculty members.

“Bschol” equals 1 if the college has a business program and 0 if not.

“T” is the time trend running from  $-7$  to  $8$ , corresponding to years from 1996 through 2006.

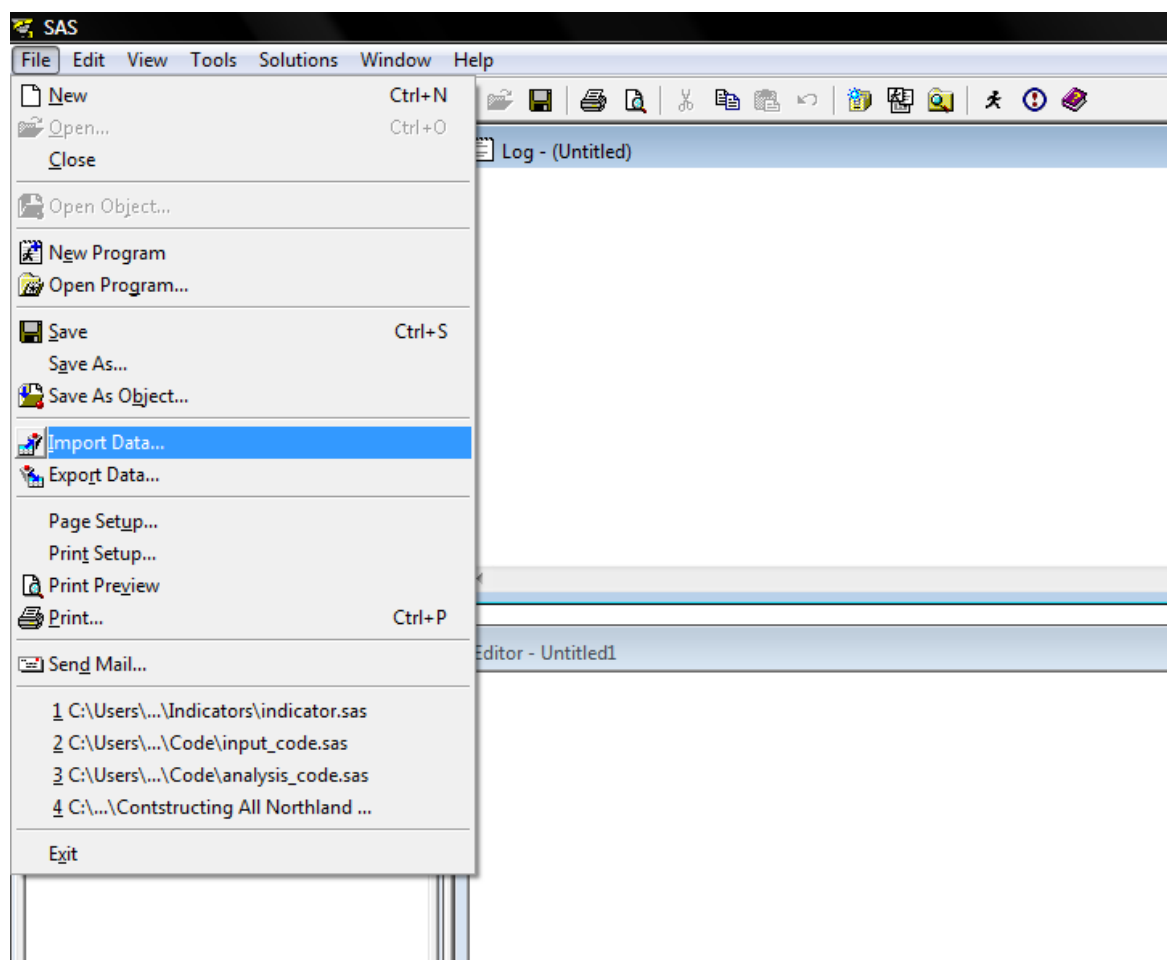
“MA\_Deg” is a three-year moving average of degrees (unknown for the first two years).

College	Year	Degrees	DegreBar	Public	Faculty	Bschol	T	MA_Deg
1	1991	50	47.375	2	11	1	-7	0
1	1992	32	47.375	2	8	1	-6	0
1	1993	31	47.375	2	10	1	-5	37.667
1	1994	35	47.375	2	9	1	-4	32.667
↓	↓	↓	↓	↓	↓	↓		↓
1	2003	57	47.375	2	7	1	5	56
1	2004	57	47.375	2	10	1	6	55.667
1	2005	57	47.375	2	10	1	7	57
1	2006	51	47.375	2	10	1	8	55
2	1991	16	8.125	2	3	1	-7	0
2	1992	14	8.125	2	3	1	-6	0
2	1993	10	8.125	2	3	1	-5	13.333
↓	↓	↓	↓	↓	↓	↓		↓
2	2004	10	8.125	2	3	1	6	12.667
2	2005	7	8.125	2	3	1	7	11.333
2	2006	6	8.125	2	3	1	8	7.667
3	1991	40	35.5	2	8	1	-7	0
3	1992	31	37.125	2	8	1	-6	0
↓	↓	↓	↓	↓	↓	↓		↓
17	2004	64	39.3125	2	5	0	6	54.667
17	2005	37	39.3125	2	4	0	7	51.333
17	2006	53	39.3125	2	4	0	8	51.333
18	1991	14	8.4375	2	4	0	-7	0
18	1992	10	8.4375	2	4	0	-6	0
18	1993	10	8.4375	2	4	0	-5	11.333
18	1994	7	8.4375	2	3.5	0	-4	9
↓	↓	↓	↓	↓	↓	↓		↓
18	2005	4	8.4375	2	2.5	0	7	7.333
18	2006	7	8.4375	2	3	0	8	6

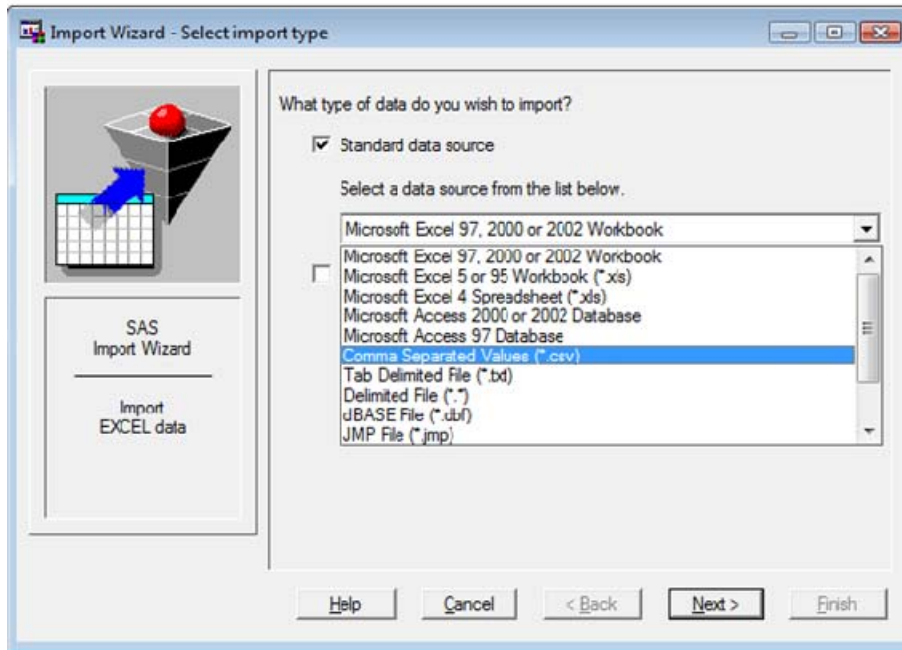
If you opened this CSV file in a word processor or text editing program, it would show that each of the 289 lines (including the headers) corresponds to a row in the EXCEL table, but variable values would be separated by commas and not appear neatly one on top of the other as in EXCEL.

As discussed in Module One, Part Two, SAS has a data matrix default restriction. This data set is sufficiently small, so there is no need to adjust the size of the matrix. We could write a “READ” command to bring this text data file into SAS similar to Module 1, Part 4, but like EXCEL, it can be imported into SAS directly by using the import wizard.

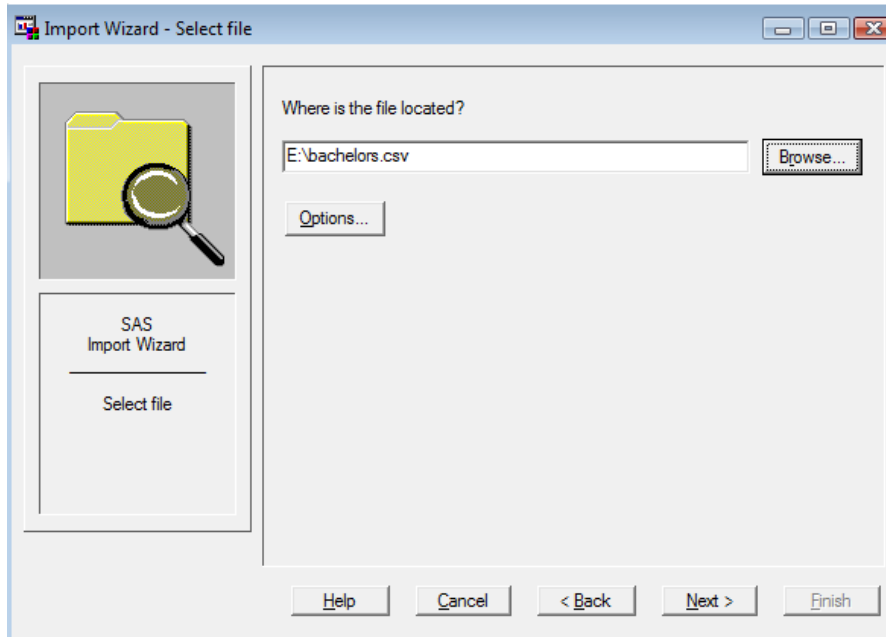
To import the data into SAS, click on ‘File’ at the top left corner of your screen in SAS, and then click ‘Import Data’.



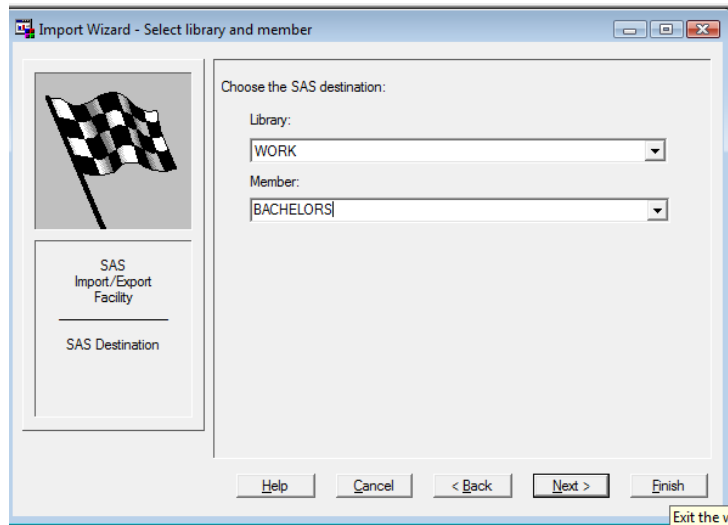
This will initialize the Import Wizard pop-up screen. Since the data is comma separated values, scroll down under the ‘Select data source below.’ tab and click on ‘Comma Separated Values (\*.csv)’ as shown below.



Click 'Next', and then provide the location from which the file bachelor.csv can be located wherever it is stored (in our case in "e:\bachelor.csv").



To finish importing the data, click 'Next', and then name the dataset, known as a member in SAS, to be stored in the temporary library called 'WORK'. Recall that a library is simply a folder to store datasets and output. I named the file 'BACHELORS' as seen below. Hitting the Finish button will bring the data set into SAS.



To verify that the wizard imported the data correct, review the Log file and physically inspect the dataset. When SAS is opened, the default panels are the 'Log' window at the top right, the 'Editor' window in the bottom right and the 'Explorer/Results' window on the left. Scrolling through the Log reveals that the dataset was successfully imported. The details of the data step procedure are provided along with a few summary statistics of how many observations and variables were imported.

```
NOTE: The infile 'E:\bachelors.csv' is:
      File Name=E:\bachelors.csv,
      RECFM=V,LRECL=32767

NOTE: 288 records were read from the infile 'E:\bachelors.csv'.
      The minimum record length was 22.
      The maximum record length was 51.
NOTE: The data set WORK.BACHELORS has 288 observations and 9 variables.
NOTE: DATA statement used (Total process time):
      real time           0.14 seconds
      cpu time            0.09 seconds

288 rows created in WORK.BACHELORS                                from E:\bachelors.csv.
```

To view the dataset, click on the “Libraries” folder, which is in the top left of the ‘Explorer’ panel, and then click on the ‘Work’ library. This reveals all of the members in the ‘Work’ library. In this case, the only member is the dataset ‘Bachelors’. To view the dataset, click on the dataset icon ‘Bachelors’.

The screenshot shows the SAS interface. On the left, the Explorer panel displays the 'Contents of Work' folder containing a single member named 'Bachelors'. The main window displays a table view of the 'Bachelors' dataset with the following columns: COLLEGE, YEAR, DEGREES, DEGREEBAR, PUBLIC, FACULTY, BSCHOOL, T, and MA\_DEG. The table contains 37 rows of data, representing observations from 1991 to 1995 for various colleges and degrees.

	COLLEGE	YEAR	DEGREES	DEGREEBAR	PUBLIC	FACULTY	BSCHOOL	T	MA_DEG
1	1	1991	50	47.375	2	11	1	-7	0
2	1	1992	32	47.375	2	8	1	-6	0
3	1	1993	31	47.375	2	10	1	-5	37.6666667
4	1	1994	35	47.375	2	9	1	-4	32.6666667
5	1	1995	32	47.375	2	11	1	-3	32.6666667
6	1	1996	28	47.375	2	11	1	-2	31.6666667
7	1	1997	49	47.375	2	9.5	1	-1	36.3333333
8	1	1998	60	47.375	2	8	1	0	45.6666667
9	1	1999	49	47.375	2	9	1	1	52.6666667
10	1	2000	59	47.375	2	9	1	2	56
11	1	2001	58	47.375	2	10	1	3	55.3333333
12	1	2002	53	47.375	2	10	1	4	56.6666667
13	1	2003	57	47.375	2	7	1	5	56
14	1	2004	57	47.375	2	10	1	6	55.6666667
15	1	2005	57	47.375	2	10	1	7	57
16	1	2006	51	47.375	2	10	1	8	55
17	2	1991	16	8.125	2	3	1	-7	0
18	2	1992	14	8.125	2	2	1	-6	0
19	2	1993	10	8.125	2	3	1	-5	13.3333333
20	2	1994	5	8.125	2	3	1	-4	9.6666667
21	2	1995	7	8.125	2	3	1	-3	7.3333333
22	2	1996	3	8.125	2	3	1	-2	5
23	2	1997	3	8.125	2	3	1	-1	4.3333333
24	2	1998	5	8.125	2	3	1	0	3.6666667
25	2	1999	5	8.125	2	3	1	1	4.3333333
26	2	2000	5	8.125	2	3	1	2	5
27	2	2001	6	8.125	2	3	1	3	5.3333333
28	2	2002	11	8.125	2	3	1	4	7.3333333
29	2	2003	17	8.125	2	3	1	5	11.3333333
30	2	2004	10	8.125	2	3	1	6	12.6666667
31	2	2005	7	8.125	2	3	1	7	11.3333333
32	2	2006	6	8.125	2	3	1	8	7.6666667
33	3	1991	40	37.125	2	8	1	-7	0
34	3	1992	31	37.125	2	8	1	-6	0
35	3	1993	33	37.125	2	7	1	-5	34.6666667
36	3	1994	24	37.125	2	9	1	-4	29.3333333
37	3	1995	27	37.125	2	7	1	-3	28

In addition to a visual inspection of the data, we use the “means” command to check the descriptive statistics. Since we don’t list any variables in the command, by default, SAS runs the ‘means’ command on all variables in the dataset. First, however, we need to remove the two years (1991 and 1992) for which no data are available for the degree moving average measure. Since we may need the full dataset later, it is good practice to delete the observations off of a copy of the dataset (called bachelors2). This is done in a data step using an ‘if then’ command.

```

data bachelors2;
    set bachelors;
    if year = 1991 then delete;
    if year = 1992 then delete;
run;

PROC MEANS DATA=bachelors2;
RUN;

```

Typing the following commands into the ‘Editor’ window and then clicking the run button (recall this is the running man at the top) yields the following screen.

Output - (Untitled)

The SAS System      08:37 Saturday, August 22, 2009    2

The MEANS Procedure

Variable	N	Mean	Std Dev	Minimum	Maximum
COLLEGE	252	9.5000000	5.1984521	1.0000000	18.0000000
YEAR	252	1999.50	4.0391510	1993.00	2006.00
DEGREES	252	23.1111111	19.2263606	0	81.0000000
DEGREBAR	252	23.6527778	18.0142715	2.0000000	62.4375000
PUBLIC	252	1.7777778	0.4165671	1.0000000	2.0000000
FACULTY	252	6.5178571	3.1367692	2.0000000	14.0000000
BSCHOOL	252	0.3888889	0.4884682	0	1.0000000
T	252	1.5000000	4.0391510	-5.0000000	8.0000000
MA_DEG	252	23.1931217	18.5539832	1.3333333	80.0000000

## CONSTANT COEFFICIENT REGRESSION

The constant coefficient panel data model for the faculty size data-generating process for bachelor degree-granting undergraduate departments is given by

$$\begin{aligned}
 \text{Faculty size}_{it} = & \beta_1 + \beta_2 T_t + \beta_3 BA\&S_{it} + \beta_4 MEANBA\&S_i + \beta_5 PUBLIC_i \\
 & + \beta_6 Bschl + \beta_7 MA\_Deg_{it} + \varepsilon_{it}
 \end{aligned}$$

where the error term  $\varepsilon_{it}$  is independent and identically distributed (*iid*) across institutions and over time and  $E(\varepsilon_{it}^2 | \mathbf{x}_{it}) = \sigma^2$ , for  $I = 18$  colleges and  $T = 14$  years (−5 through 8) for 252 complete records. To take into account clustering, include the cluster option with the cluster being on the colleges. The SAS OLS regression command that needs to be entered into the editor, including the standard error adjustment for clustering is

```

proc surveyreg data=bachelors2;
    cluster college;
    model faculty = t degrees degrebar public bschool ma_deg;
run;

```

Upon highlighting and hitting the “run” button, the Output panel shows the following results

---

**Regression Analysis for Dependent Variable FACULTY**

**Data Summary**

Number of Observations	252
Mean of FACULTY	6.51786
Sum of FACULTY	1642.5

**Design Summary**

Number of Clusters	18
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**Fit Statistics**

R-square	0.6484
Root MSE	1.8827
Denominator DF	17

**Tests of Model Effects**

Effect	Num DF	F Value	Pr > F
Model	6	27.70	<.0001
Intercept	1	123.99	<.0001
T	1	1.59	0.2242
DEGREES	1	0.77	0.3928
DEGREBAR	1	10.28	0.0052
PUBLIC	1	46.00	<.0001
BSCHOOL	1	0.38	0.5457
MA_DEG	1	4.36	0.0521

NOTE: The denominator degrees of freedom for the F tests is 17.

**Estimated Regression Coefficients**

Parameter	Estimate	Standard Error	t Value	Pr >  t
Intercept	10.1397401	0.91062638	11.13	<.0001
T	-0.0280875	0.02226545	-1.26	0.2242
DEGREES	-0.0163611	0.01865794	-0.88	0.3928
DEGREBAR	0.1083201	0.03378213	3.21	0.0052
PUBLIC	-3.8623935	0.56949614	-6.78	<.0001
BSCHOOL	0.5811154	0.94252689	0.62	0.5457
MA_DEG	0.0378038	0.01809658	2.09	0.0521

NOTE: The denominator degrees of freedom for the t tests is 17.

Contemporaneous degrees have little to do with current faculty size but both overall number of degrees awarded (the school means) and the moving average of degrees (MA\_DEG) have significant effects. It takes an increase of 26 or 27 bachelor degrees in the moving average to expect just one more faculty position. Whether it is a public or a private college is highly significant. Moving from a public to a private college lowers predicted faculty size by nearly four members for otherwise comparable institutions. There is an insignificant erosion of tenured and tenure-track faculty size over time. Finally, while economics departments in colleges with a business school tend to have a larger permanent faculty, ceteris paribus, the effect is small and insignificant.



## FIXED-EFFECTS REGRESSION

The fixed-effects model requires either the insertion of 17 (0,1) covariates to capture the unique effect of each of the 18 colleges (where each of the 17 dummy coefficients are measured relative to the constant term) or the insertion of 18 dummy variables with no constant term in the OLS regression. In addition, no time invariant variables can be included because they would be perfectly correlated with the respective college dummies. Thus, the overall mean number of degrees, the public or private dummy, and business school dummy cannot be included as regressors.

The SAS code to be run from the editor window, including the commands to create the dummy variables is:

```
data bachelors2;
    set bachelors2;

    col1 = 0; col2 = 0; col3 = 0; col4 = 0; col5=0; col6=0;
    col7 = 0; col8 = 0; col9 = 0; col10 = 0; col11 = 0; col12 = 0;
    col13 = 0; col14 =0; col15 = 0; col16 = 0; col17 = 0; col18 = 0;

    if college = 1 then col1=1;          if college = 2 then col2=1;
    if college = 3 then col3=1;          if college = 4 then col4=1;
    if college = 5 then col5=1;          if college = 6 then col6=1;
    if college = 7 then col7=1;          if college = 8 then col8=1;
    if college = 9 then col9=1;          if college = 10 then col10=1;
    if college = 11 then col11=1;        if college = 12 then col12=1;
    if college = 13 then col13=1;        if college = 14 then col14=1;
    if college = 15 then col15=1;        if college = 16 then col16=1;
    if college = 17 then col17=1;        if college = 18 then col18=1;

run;

proc surveyreg data=bachelors2;
    cluster college;
    model faculty = t degrees ma_deg col1 col2 col3 col4 col5
                    col6 col7 col8 col9 col10 col11 col12
                    col13 col14 col15 col16 col17;

quit;
```

The resulting regression information appearing in the output window is

**The SURVEYREG Procedure**  
**Regression Analysis for Dependent Variable FACULTY**

**Data Summary**

Number of Observations	252
Mean of FACULTY	6.51786
Sum of FACULTY	1642.5

**Design Summary**

Number of Clusters	18
--------------------	----

**Fit Statistics**

R-square	0.9406
Root MSE	0.7967
Denominator DF	17

**Estimated Regression Coefficients**

Parameter	Estimate	Standard Error	t Value	Pr >  t
Intercept	2.6963636	0.15108692	17.85	<.0001
T	-0.0285342	0.02245298	-1.27	0.2209
DEGREES	-0.0160847	0.01520712	-1.06	0.3050
MA_DEG	0.0398470	0.01485281	2.68	0.0157
col1	5.7774674	0.76815649	7.52	<.0001
col2	0.1529889	0.01342928	11.39	<.0001
col3	4.2975911	0.55419559	7.75	<.0001
col4	6.2897280	0.65533467	9.60	<.0001
col5	4.9109414	0.56987008	8.62	<.0001
col6	5.0201570	0.02560770	196.04	<.0001
col7	1.2138416	0.01321172	91.88	<.0001
col8	0.7779701	0.06784745	11.47	<.0001
col9	3.1647365	0.06269579	50.48	<.0001
col10	2.8634525	0.15539858	18.43	<.0001
col11	5.1518149	0.02403066	214.39	<.0001
col12	-0.0680152	0.02152566	-3.16	0.0057
col13	3.9889465	1.01414776	3.93	0.0011
col14	-0.6319560	0.11986346	-5.27	<.0001
col15	8.2585866	0.47255240	17.48	<.0001
col16	8.0096959	0.55460921	14.44	<.0001
col17	0.4354377	0.59258369	0.73	0.4725

Once again, contemporaneous degrees is not a driving force in faculty size. An F test is not needed to assess if at least one of the 17 colleges differ from college 18. With the exception of college 17, each of the other colleges are significantly different. The moving average of degrees is again significant.

## RANDOM-EFFECTS REGRESSION

Finally, consider the random-effects model in which we employ Mundlak's (1978) approach to estimating panel data. The Mundlak model posits that the fixed effects in the equation,  $\beta_{1i}$ , can be projected upon the group means of the time-varying variables, so that

$$\beta_{1i} = \beta_1 + \delta' \bar{x}_i + w_i$$

where  $\bar{x}_i$  is the set of group (school) means of the time-varying variables and  $w_i$  is a (now) random effect that is uncorrelated with the variables and disturbances in the model. Logically, adding the means to the equations picks up the correlation between the school effects and the other variables. We could not incorporate the mean number of degrees awarded in the fixed-effects model (because it was time invariant) but this variable plays a critical role in the Mundlak approach to panel data modeling and estimation.

The random effects model for BA and BS degree-granting undergraduate departments is

$$FACULTY\ size_{it} = \beta_1 + \beta_2 YEAR_t + \beta_3 BA\&\ S_{it} + \beta_4 MEANBA\&\ S_i + \beta_5 MOVAVBA\&\ BS_i + \beta_6 PUBLIC_i + \beta_7 Bschl + \varepsilon_{it} + u_i$$

where error term  $\varepsilon$  is *iid* over time,  $E(\varepsilon_{it}^2 | \mathbf{x}_{it}) = \sigma^2$  for  $I = 18$  and  $T_i = 14$  and  $E[u_i^2] = \theta^2$  for  $I = 18$ .

In SAS 9.1, there are no straightforward procedures to estimate this model. In the appendix, I do provide a lengthy procedure that estimates the random effects model by OLS regression on a transformed model. This is quite complex and is not recommended for beginners. See Cameron and Trivedi (2005) for further details. SAS 9.2 has a new command called the PANEL procedure to estimate panel data. For our model, we need to attach the / RANONE option to specify that a one-way random-effects model be estimated. We also need to correct for the clustering of the data. Unlike simple commands in LIMPDEP and STATA, SAS does not have an option for one-way random effects with clustered errors.

This new SAS 9.2 procedure has more options for specific error term structures in panel data. Although SAS does not allow the CLUSTER option, there is a VCOMP option that specifies the type of variance component estimate to use. For balanced data, the default is VCOMP=FB. However, the FB method does not always obtain nonnegative estimates for the cross section (or group) variance. In the case of a negative estimate, a warning is printed and the estimate is set to zero. Because we have to address clustering, WK option is specified, which is close to groupwise heteroscedastic regression.

The SAS code to be run from the Editor panel (with 1991 and 1992 data suppressed) is

```
PROC SORT DATA=bachelors2;
BY college year;

PROC panel DATA=bachelors2;
ID college year;
MODEL faculty = t degrees degrebar public bschool MA_deg /RANONE VCOMP=WK;
RUN;
```

The resulting regression information appearing in the output window is

The screenshot shows the SAS Output window with the following content:

**The PANEL Procedure**  
Wansbeek and Kapteyn Variance Components (RanOne)

Dependent Variable: FACULTY

**Model Description**

Estimation Method	RanOne
Number of Cross Sections	18
Time Series Length	14

**Fit Statistics**

Statistic	Value	Statistic	Value
SSE	150.6509	DFE	245
MSE	0.6149	Root MSE	0.7842
R-Square	0.1154		

**Variance Component Estimates**

Variance Component for Cross Sections	8.109092
Variance Component for Error	0.634793

**Hausman Test for Random Effects**

DF	n Value	Pr > n
0	.	.

**Parameter Estimates**

Variable	DF	Estimate	Standard Error	t Value	Pr >  t
Intercept	1	10.14197	2.9145	3.48	0.0006
T	1	-0.02853	0.0126	-2.26	0.0248
DEGREES	1	-0.01609	0.00983	-1.64	0.1030
DEGREBAR	1	0.106078	0.0397	2.67	0.0080
PUBLIC	1	-3.86366	1.6551	-2.33	0.0204
BSCHOOL	1	0.58177	1.4024	0.41	0.6786
MA_DEG	1	0.039836	0.0122	3.27	0.0012

The marginal effect of an additional economics major is again insignificant but slightly negative within the sample. Both the short-term moving average number and long-term average number of bachelor degrees are significant. A long-term increase of about 10 students earning degrees in economics is required to predict that one more tenured or tenure-track faculty member is in a department. Ceteris paribus, economics departments at private institutions are smaller than comparable departments at public schools by a large and significant number of four members. Whether there is a business school present is insignificant. There is no meaningful trend in faculty size.

It should be clear that this regression is NOT identical to similar one-way random effect models controlling for clustering in LIMDEP or STATA. The standard errors are adjusted for a general groupwise heteroscedastic error structure. The difference does not alter the significance and the standard errors are, for the most part, very comparable.

## **CONCLUDING REMARKS**

The goal of this hands-on component of this third of four modules is to enable economic education researchers to make use of panel data for the estimation of constant coefficient, fixed-effects and random-effects panel data models in SAS. It was not intended to explain all of the statistical and econometric nuances associated with panel data analysis. For this an intermediate level econometrics textbook (such as Jeffrey Wooldridge, *Introductory Econometrics*) or advanced econometrics textbook (such as William Greene, *Econometric Analysis*) should be consulted.

## APPENDIX: Alternative Means to Estimate Random-Effects Model with Clustered Data.

The following code provides a necessary code to estimate the random-effect models with clustering. The estimation procedure is two-step feasible GLS. In the first step, the variance matrix is estimated. In the second step, this variance matrix is used to transform the equation.

Because the variance matrix is *estimated* and not the true variance, this causes the standard errors to be slight different than the standard errors provided by LIMPDEP or STATA when estimating a random effects model with clustering.

The code to be run in the editor window is:

```
/* get SSE and SSU */

proc sort data= bachelors2;
by college year; quit;

proc tscsreg data=bachelors2 outest=covvc;
id college year;
model faculty = t degrees degreabar public bschool MA_deg / ranone;
quit;

/* find number of years */

data numobs (keep = year);
set bachelors2;
run;

proc sort nodupkey;
by year;
quit;

proc means data = numobs
max;
output out = num;
quit;

/* create lamda */
proc iml;
use covvc;
read all var {_VARERR_ _VARCS_} into x;
use num;
read var {_freq_} into y;
print y;
sesq = x[1,1];
susq = x[1,2];
lamda = 1 - sqrt( sesq / (y[1,1]*susq + sesq) );
print x y lamda;
cname = {"lamda"};
```

```

create out from lamda [ colname=cname];
append from lamda;
quit;

/* find averages of each variable grouped by college */
proc MEANS NOPRINT
data=bachelors2;
class college;
output out=stats
mean= avg_year avg_degrees avg_degrebar avg_public avg_faculty avg_bschool
avg_t avg_ma_deg;
run;

data bachelors3 (drop = _type_ _freq_);
merge bachelors2 stats;
by college;
if _type_ = 0 then delete;
one = 1;
run;

DATA bachelors4;
if _N_ = 1 then set out;
SET bachelors3;
l = one*lamda;
run;

/* transform data */
data clean (keep = college con nfaculty nt ndegrees ndegrebar npublic
nbschool nMA_deg year);
set bachelors4;
nfaculty = faculty - lamda*avg_faculty;
nt = t - lamda*avg_t;
ndegrees = degrees - lamda*avg_degrees ;
ndegrebar = degrebar - lamda*avg_degrebar;
npublic = public - lamda*avg_public;
nbschool = bschool - lamda*avg_bschool;
nMA_deg = ma_deg - lamda*avg_ma_deg;
con = 1 - lamda*1;
run;

/* run regression on transformed equation assuming clustering */
/* Since intercept is included in transformed equation, use noint option*/

proc surveyreg data=clean;
cluster college;
model nfaculty = con nt ndegrees ndegrebar npublic nbschool nMA_deg /
noint;
quit;

```

The output for this regression is:

#### Regression Analysis for Dependent Variable nfaculty

##### Data Summary

Number of Observations	252
Mean of nfaculty	0.72801
Sum of nfaculty	183.45775

##### Design Summary

Number of Clusters	18
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##### Fit Statistics

R-square	0.5134
Root MSE	0.7970

The standard errors associated with this regression are much closer to the standard errors from LIMPDEP and STATA. However, this is a complex sequence of codes which should not be attempted by beginners.



## REFERENCES

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Mundlak, Yair (1978). "On the Pooling of Time Series and Cross Section Data," *Econometrica*. Vol. 46. No. 1 (January): 69-85.

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