## Online Appendix

The Selection of Talent: Experimental and Structural Evidence from Ethiopia

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A Figures and tables

Figure A1: The selection mechanism


Notes: This figure reports data from the high-frequency survey of Abebe et al. (2020). We plot the average Raven test score among jobless individuals who are searching for work at a given point in time. Changes in this variable are due to movements in and out of job search over time. The figure is produced using Stata's lpoly command.

## Figure A2: Timeline



Phone call 1 Application \& tests Phone call 2

Notes: This figure shows the timeline of a typical hiring round. The position is advertised at the start of the week (day 1 in the timeline). Jobseekers can call to inquire about the position until close-of-business on Friday of that week (day 5). Those jobseekers who call to inquire about the position are then invited to make an inperson application on a randomly assigned day on the following week (days 7 to 12) or on the Monday of the third week (day 15). We thus have 6 application days, 2 of which are assigned to each experimental group. Finally, all jobseekers who call to inquire about the position are called again 30 days after the initial phone call. The jobseekers who are invited for an interview are told about this in a separate phone call shortly before the second phone call. Interviews are held shortly thereafter and the position starts right away. We collect data on jobseekers at each stage of the experiment. During the first phone call, we collect data on their sociodemographic characteristics, labour market experience and GPA. If jobseekers apply for the position, they have to complete several tests of ability (Raven and Stroop), and answer psychometric questions and questions about their economic preferences. Finally, in the second phone call, jobseekers are asked about job search in the last 30 days.

Figure A3: Attrition


Notes: This figure shows descriptive data on attrition in the three experimental groups. An individual is considered attrited when our team is unable to contact them for the 30-days follow-up phone survey. The bars indicate total attrition in each group. Further, we report the $p$-values for a test of the null hypothesis of no differential attrition between a given treatment group and the control group. Sample used: baseline sample.

Figure A4: Applications and GPA score: Control and application incentive groups


Notes: This figure shows the relationship between a jobseeker's GPA and the probability of applying for the experiment's job. We separately plot this relationship for individuals in the control and application incentive groups. We report 95 percent confidence intervals. The figure is produced using Stata's lpolyci command. Sample used: baseline sample (control and incentive groups).

Figure A5: Applications and GPA score: Incentive and high wage groups


Notes: This figure shows the relationship between a jobseeker's GPA and the probability of applying for the experiment's job. We separately plot this relationship for individuals in the application incentive and high wage groups. We report 95 percent confidence intervals. The figure is produced using Stata's lpolyci command. Sample used: baseline sample (control and high wage groups).

Figure A6: Robustness to exclusion of selected days of the week


Notes: This figure shows the OLS estimates of the effect of the application incentive on average applicant ability for different samples. Each sample is obtained by dropping all individuals who are invited to take the test on a specific day of the week. The dashed horizontal line indicates the treatment effect for the full sample. Overall sample used: all applicants.

Figure A7: The proportion of female top applicants


Notes: This figure plots the number of top applicants in each experimental group. Within each bar, we also report the proportion of top applicants in that experimental group that are female and the proportion of top applicants that are male. A 'top applicant' is defined as somebody whose cognitive ability is above the 90th percentile of the control group distribution of cognitive ability. Sample used: all top applicants.

Figure A8: Impacts of incentives on the distribution of applicant Raven test score


Notes: This figure plots the distribution of Raven test scores among control and application incentive applicants in the experiment. Sample used: all applicants (control and incentive groups).

Figure A9: Impacts of incentives on the distribution of applicant Stroop test performance


Notes: This figure plots the distribution of time taken to complete the Stroop test among control and application incentive applicants in the experiment. A smaller value indicates better performance. Sample used: all applicants (control and incentive groups).

Figure A10: Impacts of incentives on the distribution of applicant GPA score


Notes: This figure plots the distribution of GPA scores among control and application incentive applicants in the experiment. Sample used: all applicants (control and incentive groups).

Figure A11: Impacts of high wage offer on the distribution of applicant cognitive ability


Notes: This figure plots the distribution of cognitive ability among control and application incentive applicants in the experiment. Sample used: all applicants (control and high wage groups).

Figure A12: Distribution of test effort


Notes: These figures show histograms of the two measures of test effort for applicants from the control and application incentive groups. The figures also report a $p$-value for a Kolmogorov Smirnov test of the equality of the two distributions. Sample used: all applicants (control and incentive groups).

Figure A13: Belief updating and GPA


Notes: These figures show point estimates and $90 \%$ confidence intervals of the treatment effects on participants' beliefs about (i) the probability of getting the experiment's job, and (ii) the wage they would earn in their next job. Each figure also shows a $p$-value for a test of the null hypothesis that the coefficients are equal to each other. Sample used: baseline sample.

Figure A14: Belief updating and experience


Notes: These figures show point estimates and $90 \%$ confidence intervals of the treatment effects on participants' beliefs about (i) the probability of getting the experiment's job, and (ii) the wage they would earn in their next job. Each figure also shows a $p$-value for a test of the null hypothesis that the coefficients are equal to each other. Sample used: baseline sample.

# Figure A15: Sample CV 

## Candidate 1

## Age: 33

## Education

Highest level of education: BA (BSc) degree
Field of study: Natural and Computational Sciences
Average grade/GPA: 2.57

## Work Experience

Has work experience? Yes
Last employer: MAYLEKO LOAGE
Type of employer: Private business

Test scores
Cognitive ability score: 410
Non-cognitive ability score: 600
Table A1: Occupations included in the firm survey

| Job code | Description | Examples |
| :--- | :--- | :--- |
| $43-1$ | Supervisors of Support Workers | First-Line supervisors of office support workers |
| $43-2$ | Communications Equipment Operators | Telephone operators |
| $43-3$ | Financial Clerks | Bill and Account Collectors; Bookkeeping, accounting, and auditing clerks |
| $43-4$ | Information and Record Clerks | Correspondence clerks, credit checkers, customer service representatives |
| $43-9$ | Other Administrative Support Workers | Computer and data entry operators, claims processing clerks |
| $13-1$ | Business Operations Specialists | Buyers and purchasing agents, cost estimators, claim checkers, logisticians |
| $13-2$ | Legal Support Workers | Legal assistants, court workers |

Table A2: Ability and labour market outcomes

| Dep. var. | Ln(wage) |  |  |  | Employed |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) |
| Raven | $\begin{aligned} & 0.090 \\ & (0.035) \end{aligned}$ |  |  | $\begin{aligned} & 0.090 \\ & (0.035) \end{aligned}$ | $\begin{aligned} & 0.046 \\ & (0.018) \end{aligned}$ |  |  | $\begin{aligned} & 0.046 \\ & (0.018) \end{aligned}$ |
| Conscientiousness | $\begin{gathered} -0.032 \\ (0.025) \end{gathered}$ | $\begin{aligned} & 0.019 \\ & (0.030) \end{aligned}$ |  | $\begin{aligned} & 0.018 \\ & (0.031) \end{aligned}$ |  | $\begin{aligned} & 0.007 \\ & (0.018) \end{aligned}$ |  | $\begin{aligned} & 0.004 \\ & (0.019) \end{aligned}$ |
| Neuroticism | $\begin{aligned} & -0.047 \\ & (0.025) \end{aligned}$ |  | $\begin{aligned} & -0.005 \\ & (0.035) \end{aligned}$ | $\begin{gathered} -0.002 \\ (0.035) \end{gathered}$ |  |  | $\begin{aligned} & -0.009 \\ & (0.018) \end{aligned}$ | $\begin{gathered} -0.007 \\ (0.019) \end{gathered}$ |
| Mean dep. var. |  | 193 |  |  |  |  | 56 |  |
| Obs. | 424 | 424 | 424 | 424 | 780 | 780 | 780 | 780 |

Notes: OLS regression based on data from Abebe et al. (2020). The dependent variable in the first four columns is the natural logarithm of wages in the first endline survey. The dependent variable in the last four columns is a dummy equal to one if the respondent is employed at the time of the first endline survey. 'Raven' is the number of correct answers in a 60 item Raven test, which was administered shortly after the baseline interview. 'Conscientiousness' and 'neuroticism' are the conscientiousness and neuroticism scores obtained by administering a 10-items BFI inventory at baseline. All ability variables are standardised so that they have a mean of zero and a standard deviation of one. We report the mean of the dependent variables in the second-to-last row. For the wage variable, we report the mean wage in Ethiopian Birr units (as opposed to the mean of the natural logarithm).

Table A3: Ability and labour market outcomes
with controls

| Dep. var. | Ln(wage) |  |  |  | Employed |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) |
| Raven | 0.084 |  |  | 0.084 | 0.048 |  |  | 0.047 |
|  | (0.034) |  |  | (0.034) | (0.018) |  |  | (0.018) |
| Conscientiousness | -0.032 | 0.015 |  | 0.014 |  | 0.007 |  | 0.004 |
|  | (0.025) | (0.030) |  | (0.032) |  | (0.018) |  | (0.019) |
| Neuroticism | -0.047 |  | -0.001 | 0.000 |  |  | -0.008 | -0.007 |
|  | (0.025) |  | (0.034) | (0.035) |  |  | (0.018) | (0.019) |
| Mean dep. var. Obs. | 1938.37 |  |  |  | 0.56 |  |  |  |
|  | 424 | 424 | 424 | 424 | 780 | 780 | 780 | 780 |

Notes: OLS regression based on data from Abebe et al. (2020). The dependent variable in the first four columns is the natural logarithm of wages in the first endline survey. The dependent variable in the last four columns is a dummy equal to one if the respondent is employed at the time of the first endline survey. 'Raven' is the number of correct answers in a 60 item Raven test, which was administered shortly after the baseline interview. 'Conscientiousness' and 'neuroticism' are the conscientiousness and neuroticism scores obtained by administering a 10-items BFI inventory at baseline. All ability variables are standardised so that they have a mean of zero and a standard deviation of one. We report the mean of the dependent variables in the second-to-last row. For the wage variable, we report the mean wage in Ethiopian Birr units (as opposed to the mean of the natural logarithm). All regressions include controls for age and age squared and a dummy for having worked in a permanent job in the past.

Table A4: The probability of finding a job for high and low-cost individuals

|  | Search-to-work transition |  |
| :--- | :---: | :---: |
|  | $(1)$ | $(2)$ |
|  | 0.022 | 0.016 |
| Raven (z-score) | $(0.019)$ | $(0.018)$ |
| Low saving * Raven | -0.047 |  |
|  | $(0.025)$ |  |
| High distance * Raven |  | -0.038 |
|  |  | $(0.026)$ |
| Low saving | -0.032 |  |
|  | $(0.025)$ |  |
| High distance |  | 0.016 |
|  |  | $(0.025)$ |
| Constant | 0.235 | 0.207 |
|  | $(0.020)$ | $(0.016)$ |
|  |  |  |
|  |  |  |

Notes: OLS regression based on data from Abebe et al. (2020). The data is collapsed at the monthly level. We restrict the sample to unemployed people who are searching for work. The dependent variable is a dummy capturing whether the respondent is employed in at least one of the fortnights of the following month. The model enables to estimate the correlation between the probability of finding a job in the following month and (i) the z-score of the Raven test, (ii) a proxy for application costs, and (iii) the interaction between the two. Standard errors clustered at the individual level reported in parenthesis.

Table A5: Psychometrics Validity Checks: Cronbach $\alpha$

|  | Raw | Ipsatised | Laajaj and Macours (2017) |
| :--- | :---: | :---: | :---: |
|  |  |  |  |
| Conscientiousness | 0.59 | 0.70 | 0.51 |
| Neuroticism | 0.61 | 0.62 | 0.31 |
| Grit | 0.59 | 0.72 |  |

Notes: In the first column, we report the value of Cronbach $\alpha$ for our three main measures of non-cognitive ability. In the second column, we show the Cronbach $\alpha$ for the ipsatised values of these variables. Variables are ipsatised by subtracting the individual acquiescence score - the mean of positive items and inverted items across scales - which is a measure of the tendency to agree with any statement (Laajaj and Macours, 2017). In third column, we report for reference the values of Cronbach $\alpha$ from a recent study in Kenya by Laajaj and Macours (2017). Sample used: all applicants.

Table A6: Indices of applicant quality

| Index | Variable | Measure |
| :--- | :--- | :--- |
| Cognitive ability | Raven | No. of correct answers |
|  | Stroop | Time in seconds |
|  | Stroop | No. mistakes |
| Non-cognitive ability | Conscientiousness | BFI44 score |
|  | Neuroticism | BFI44 score |
|  | Grit | Score on grit scale |
| Experience | Routine tasks | No. months |
|  | Managerial tasks | No. months |
|  | Problem solving tasks | No. months |

Table A7: Correlation between indices
Cognitive ability Non-cognitive ability Experience

| Cognitive ability | 1 |  |  |
| :--- | :---: | :---: | :---: |
| Non-cognitive ability | 0.205 | 1 | 1 |
| Experience | -0.002 | 0.064 | 1 |

Notes: Correlation coefficients. Sample used: all applicants.
Table A8: Summary statistics and balance for the sample of non-attriters

|  | Mean |  |  | StDev Control <br> (4) |  | Balance tests ( $p$ ) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Control <br> (1) | Incentive <br> (2) | High wage <br> (3) |  |  | Incentive = Wage = Control <br> (6) | Incentive $=$ Control <br> (7) | $\text { Wage }=\text { Control }$ <br> (8) |
| Female | 0.21 | 0.21 | 0.21 | 0.41 | 4386 | 0.90 | 0.71 | 0.68 |
| Age | 25.96 | 25.76 | 26.10 | 4.23 | 4383 | 0.11 | 0.20 | 0.41 |
| Born in Addis Ababa | 0.24 | 0.24 | 0.23 | 0.43 | 4386 | 0.59 | 0.81 | 0.45 |
| First language is Amharic | 0.68 | 0.70 | 0.67 | 0.47 | 4386 | 0.20 | 0.16 | 0.81 |
| Heard about job in newspaper | 0.55 | 0.58 | 0.55 | 0.50 | 4386 | 0.21 | 0.12 | 0.97 |
| Engineering or hard science | 0.51 | 0.49 | 0.49 | 0.50 | 4386 | 0.44 | 0.34 | 0.22 |
| Economics | 0.15 | 0.17 | 0.16 | 0.36 | 4386 | 0.62 | 0.34 | 0.54 |
| Other social science | 0.15 | 0.15 | 0.14 | 0.36 | 4386 | 0.45 | 0.68 | 0.41 |
| Wage work experience (dummy) | 0.52 | 0.51 | 0.52 | 0.50 | 4386 | 0.91 | 0.83 | 0.83 |
| Wage work experience (months) | 27.15 | 26.93 | 28.27 | 42.92 | 4386 | 0.71 | 0.89 | 0.51 |
| Self-employed experience | 0.33 | 0.34 | 0.35 | 0.47 | 4386 | 0.67 | 0.61 | 0.37 |
| Currently unemployed | 0.67 | 0.66 | 0.64 | 0.47 | 4386 | 0.15 | 0.33 | 0.05 |
| Currently wage employed | 0.24 | 0.25 | 0.27 | 0.43 | 4386 | 0.18 | 0.45 | 0.07 |
| GPA | 2.98 | 2.99 | 2.96 | 0.46 | 4168 | 0.20 | 0.48 | 0.28 |
| Overall balance |  |  |  |  |  | 0.24 | 0.53 | 0.38 |

Notes: Balance table. In columns 1-5, we report descriptive statistics and sample sizes for the sample of individuals that were interviewed in the second phone survey. In columns 6-8, we report the $p$-values of a battery of balance tests. In column 6, we test the null hypothesis that three experimental groups are balanced. In columns 7 and 8 , we present pair-wise tests of a single treatment group against the control. In the last row, we report a joint test of orthogonality (following the recent literature, e.g. McKenzie (2017)). To perform the joint test of orthogonality we regress the treatment variable on all covariates and we then test the joint null hypothesis that all covariates have a zero coefficient. We do this by estimating a categorical logit model in column 6 (the treatment variable can take three values) and OLS models in columns 7 and 8 (here we drop one experimental group, so our treatment variable only takes two values). Sample used: second phone call sample.

Table A9: Additional balance tests

|  |  |  | Week |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |  |
|  |  |  |  |  |  |  |  |  |  |
| Incentive | -0.001 | 0.000 | 0.000 | 0.001 | 0.000 | 0.002 | -0.001 | -0.002 |  |
|  | $(0.010)$ | $(0.012)$ | $(0.011)$ | $(0.012)$ | $(0.012)$ | $(0.013)$ | $(0.012)$ | $(0.012)$ |  |
|  |  |  |  |  |  |  |  |  |  |
| High Wage | 0.001 | -0.001 | -0.002 | 0.002 | -0.001 | 0.001 | -0.000 | -0.000 |  |
|  | $(0.010)$ | $(0.012)$ | $(0.011)$ | $(0.012)$ | $(0.012)$ | $(0.012)$ | $(0.012)$ | $(0.012)$ |  |
|  |  |  |  |  |  |  |  |  |  |

Notes: OLS regression testing balance of the day of the week when the application test took place. Robust standard errors reported in parenthesis. Sample used: baseline sample.

Table A10: Is the sample representative?

|  | Age | Female | Work experience | Unemployment <br> duration |
| :--- | :---: | :---: | :---: | :---: |
| Experiment |  |  |  |  |
|  | 25.13 | 0.23 | 0.34 | 4.99 |
| Labour Force Survey | $(3.85)$ | $(0.42)$ | $(0.47)$ | $(7.02)$ |
|  | 26.72 | 0.36 | 0.29 | 9.16 |
|  | $(8.38)$ | $(0.49)$ | $(0.46)$ | $(7.52)$ |

Notes: This table presents means and standard deviations of key variables in the experimental sample and in a representative sample of jobseekers from Addis Ababa who (i) use job boards or newspapers for job search and (ii) have the educational qualifications required to apply for the experiment's job (they hold a vocational diploma or a university degree). Unemployment duration is measured in months. Sample used: baseline sample and 2013 Labour Force Survey sample.

Table A11: Components of index

|  | Raven | Stroop time | Stroop mistakes |
| :--- | :---: | :---: | :---: |
| Incentive | $(1)$ | $(2)$ | $(3)$ |
|  |  |  |  |
|  | 1.155 | -2.601 | -0.050 |
| High wage | $(0.618)$ | $(1.046)$ | $(0.188)$ |
|  | $[0.092]$ | $[0.039]$ | $[0.791]$ |
|  | 0.591 | -0.982 | -0.302 |
|  | $(0.618)$ | $(1.046)$ | $(0.188)$ |
|  | $[0.337]$ | $[0.337]$ | $[0.297]$ |
| Control mean |  |  |  |
| Incentive $=$ Wage $(p)$ |  |  | 3.854 |
| Obs. | 38.593 | 0.078 | 0.098 |
|  | 0.307 | 2386 | 2388 |

Notes: OLS regression. The dependent variable is indicated in the column heading. 'Raven' is the number of correctly answered questions on the Raven test. 'Stroop time' is the number of seconds required to complete the Stroop test. 'Stroop mistakes' is the number of mistakes made in the Stroop task. The negative coefficients on 'Stroop time' and 'Stroop mistakes' indicate better performance. Sharpened $q$-values (Benjamini et al., 2006) reported in brackets. $q$-values control the false discovery rate for the multiple comparisons reported in the same row of the table. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: all applicants.

Table A12: Impacts on applicant GPA

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{gathered} 0.049 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.070 \\ (0.043) \end{gathered}$ | $\begin{gathered} 0.050 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.060 \\ (0.033) \end{gathered}$ | $\begin{gathered} 0.040 \\ (0.033) \end{gathered}$ | $\begin{gathered} 0.080 \\ (0.036) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.012 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.010 \\ (0.040) \end{gathered}$ | $\begin{aligned} & -0.010 \\ & (0.033) \end{aligned}$ | $\begin{gathered} 0.030 \\ (0.033) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.030) \end{gathered}$ | $\begin{gathered} 0.040 \\ (0.039) \end{gathered}$ |
| Control value | 2.94 | 3.56 | 3.27 | 2.93 | 2.60 | 2.32 |
| Incentive $=$ Wage ( $p$ ) | 0.088 | 0.022 | 0.045 | 0.360 | 0.181 | 0.187 |
| Obs. | 2285 | 2285 | 2285 | 2285 | 2285 | 2285 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. The dependent variable is the applicant's GPA. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: all applicants.

Table A13: Proportion of applicants who score above a threshold

|  | Threshold (percentile in control group distribution) |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | 90th | 75 th | 50 th | 25th | 10th |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
|  |  |  |  |  |  |
| Incentive | 0.053 | 0.229 | 0.229 | 0.170 | 0.412 |
|  | $(0.024)$ | $(0.110)$ | $(0.117)$ | $(0.133)$ | $(0.173)$ |
| High Wage | 0.052 | 0.202 | 0.227 | 0.075 | 0.280 |
|  | $(0.023)$ | $(0.108)$ | $(0.112)$ | $(0.131)$ | $(0.165)$ |
|  |  |  |  |  |  |
| Incentive = Wage $(p)$ | 0.966 | 0.795 | 0.983 | 0.448 | 0.371 |
| Obs. | 2386 | 2386 | 2386 | 2386 | 2386 |
|  |  |  |  |  |  |

Notes: OLS regression. The dependent variable is a dummy for whether the applicant's cognitive ability is above the threshold indicated in the column heading. Thresholds are defined with respect to specific percentiles of the control distribution of cognitive ability. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: all applicants.

## Table A14: Average ability of top candidates

|  | Top 20 |  | Top 10 |  | Top 5 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Cognitive | GPA | Cognitive | GPA | Cognitive | GPA |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{gathered} 0.359 \\ (0.078) \end{gathered}$ | $\begin{gathered} 0.102 \\ (0.050) \end{gathered}$ | $\begin{gathered} 0.243 \\ (0.091) \end{gathered}$ | $\begin{gathered} 0.182 \\ (0.069) \end{gathered}$ | $\begin{gathered} 0.150 \\ (0.114) \end{gathered}$ | $\begin{gathered} 0.233 \\ (0.095) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.457 \\ (0.078) \end{gathered}$ | $\begin{gathered} 0.066 \\ (0.052) \end{gathered}$ | $\begin{gathered} 0.354 \\ (0.092) \end{gathered}$ | $\begin{gathered} 0.079 \\ (0.073) \end{gathered}$ | $\begin{gathered} 0.282 \\ (0.116) \end{gathered}$ | $\begin{gathered} 0.144 \\ (0.100) \end{gathered}$ |
| Control group st. dev. | 0.71 | 0.45 | 0.59 | 0.44 | 0.53 | 0.42 |
| Incentive $=$ Wage ( $p$ ) | 0.173 | 0.480 | 0.206 | 0.138 | 0.260 | 0.324 |
| Obs. | 480 | 466 | 240 | 233 | 120 | 116 |

Notes: Estimates from OLS regressions. The sample comprises the top 20, 10 and 5 applicants for job offered (top applicants are defined using the cognitive ability score, following the procedures used in the field experiment). The employer offers one job per fortnight for each treatment group. In a few cases, the employer combines two fortnights for the same treatment group and offers only one job for these two fortnights. For the present analysis, however, we consider the top applicants from each fortnight separately. The second to last row reports the $p$-value of an $F$-test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: all top applicants.

## Table A15: Non-cognitive ability

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{aligned} & -0.095 \\ & (0.125) \end{aligned}$ | $\begin{aligned} & -0.155 \\ & (0.134) \end{aligned}$ | $\begin{aligned} & -0.161 \\ & (0.132) \end{aligned}$ | $\begin{gathered} -0.004 \\ (0.157) \end{gathered}$ | $\begin{gathered} -0.141 \\ (0.199) \end{gathered}$ | $\begin{aligned} & -0.137 \\ & (0.229) \end{aligned}$ |
|  | [0.566] | [0.369] | [0.336] | [1.000] | [0.717] | [1.000] |
| High Wage | $\begin{gathered} 0.170 \\ (0.118) \end{gathered}$ | $\begin{gathered} -0.000 \\ (0.127) \end{gathered}$ | $\begin{gathered} -0.039 \\ (0.129) \end{gathered}$ | $\begin{gathered} 0.257 \\ (0.147) \end{gathered}$ | $\begin{gathered} 0.162 \\ (0.203) \end{gathered}$ | $\begin{gathered} 0.260 \\ (0.222) \end{gathered}$ |
|  | [0.225] | [1.000] | [0.764] | [0.245] | [0.637] | [0.725] |
| Control value | 0.0000 | 2.688 | 1.721 | 0.241 | -1.227 | -2.885 |
| Incentive = Wage (p) | 0.015 | 0.235 | 0.288 | 0.038 | 0.095 | 0.091 |
| Obs. | 2373 | 2373 | 2373 | 2373 | 2373 | 2373 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. The dependent variable is the index of non-cognitive ability. The second-to-last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors are reported in parenthesis. Sharpened $q$-values (Benjamini et al., 2006) are reported in brackets. $q$-values control the false discovery rate for the multiple tests of the same hypothesis for different indices of ability. A Wilcoxon rank-sum test fails to reject the equality of the distribution of non-cognitive ability in the control and incentive groups ( $p=.411$ ) and fails to reject the equality of the distribution of non-cognitive ability in the control and wage groups ( $p=.255$ ). Sample used: all applicants.

Table A16: Experience

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{gathered} -0.091 \\ (0.158) \end{gathered}$ | $\begin{gathered} 0.163 \\ (0.850) \end{gathered}$ | $\begin{gathered} -0.044 \\ (0.117) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.008) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.004) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.002) \end{gathered}$ |
|  | [0.566] | [0.848] | [0.704] | [1.000] | [1.000] | [1.000] |
| High Wage | $\begin{gathered} -0.063 \\ (0.157) \end{gathered}$ | $\begin{gathered} 0.302 \\ (0.733) \end{gathered}$ | $\begin{aligned} & -0.088 \\ & (0.147) \end{aligned}$ | $\begin{gathered} 0.000 \\ (0.008) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.004) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.002) \end{gathered}$ |
|  | [0.687] | [1.000] | [0.764] | [1.000] | [1.000] | [1.000] |
| Control value | 0.0000 | 2.217 | 0.064 | -1.225 | -1.225 | -1.225 |
| Incentive = Wage ( $p$ ) | 0.808 | 0.811 | 0.718 | 1.000 | 1.000 | 1.000 |
| Obs. | 2311 | 2311 | 2311 | 2311 | 2311 | 2311 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. The dependent variable is the experience index. The second-to-last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors are reported in parenthesis. Sharpened $q$-values (Benjamini et al., 2006) are reported in brackets. $q$-values control the false discovery rate for the multiple tests of the same hypothesis for different indices of ability. A Wilcoxon rank-sum test fails to reject the equality of the distribution of experience in the control and incentive groups ( $p=.354$ ) and fails to reject the equality of the distribution of experience in the control and wage groups ( $p=.718$ ). We report results obtained using an alternative definition of the index in Table . used: all applicants.

Table A17: Cognitive ability, weighted index

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{gathered} 0.079 \\ (0.037) \end{gathered}$ | $\begin{gathered} 0.068 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.060 \\ (0.038) \end{gathered}$ | $\begin{gathered} 0.062 \\ (0.045) \end{gathered}$ | $\begin{gathered} 0.114 \\ (0.060) \end{gathered}$ | $\begin{gathered} 0.022 \\ (0.074) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.066 \\ (0.037) \end{gathered}$ | $\begin{gathered} 0.065 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.067 \\ (0.036) \end{gathered}$ | $\begin{gathered} 0.028 \\ (0.043) \end{gathered}$ | $\begin{gathered} 0.085 \\ (0.057) \end{gathered}$ | $\begin{gathered} 0.037 \\ (0.070) \end{gathered}$ |
| Control value | -0.0000 | 0.769 | 0.499 | 0.113 | -0.403 | -0.864 |
| Incentive = Wage ( $p$ ) | 0.699 | 0.917 | 0.819 | 0.396 | 0.575 | 0.847 |
| Obs. | 2386 | 2386 | 2386 | 2386 | 2386 | 2386 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. Cognitive ability index obtained by weighting observations by the inverse of the covariance matrix. The second-to-last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors are reported in parenthesis. A Wilcoxon rank-sum test rejects the equality of the distribution of cognitive ability in the control and incentive groups ( $p=.057$ ) and marginally rejects the equality of the distribution of cognitive ability in the control and wage groups ( $p=.096$ ). Sample used: all applicants.

Table A18: Non cognitive ability, weighted index

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{aligned} & -0.036 \\ & (0.042) \end{aligned}$ | $\begin{gathered} -0.059 \\ (0.050) \end{gathered}$ | $\begin{gathered} -0.069 \\ (0.043) \end{gathered}$ | $\begin{gathered} 0.015 \\ (0.052) \end{gathered}$ | $\begin{aligned} & -0.068 \\ & (0.068) \end{aligned}$ | $\begin{gathered} -0.051 \\ (0.091) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.057 \\ (0.039) \end{gathered}$ | $\begin{gathered} 0.003 \\ (0.047) \end{gathered}$ | $\begin{aligned} & -0.035 \\ & (0.043) \end{aligned}$ | $\begin{gathered} 0.102 \\ (0.050) \end{gathered}$ | $\begin{gathered} 0.068 \\ (0.065) \end{gathered}$ | $\begin{gathered} 0.109 \\ (0.082) \end{gathered}$ |
| Control value | 0.0000 | 0.929 | 0.585 | 0.059 | -0.423 | -0.988 |
| Incentive = Wage ( $p$ ) | 0.010 | 0.177 | 0.387 | 0.049 | 0.018 | 0.053 |
| Obs. | 2373 | 2373 | 2373 | 2373 | 2373 | 2373 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. Non-cognitive ability index obtained by weighting observations by the inverse of the covariance matrix. The second-to-last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors are reported in parenthesis. A Wilcoxon rank-sum test fails to reject the equality of the distribution of noncognitive ability in the control and incentive groups ( $p=.371$ ) and fails to reject the equality of the distribution of non-cognitive ability in the control and wage groups ( $p=.239$ ). Sample used: all applicants.

Table A19: Experience, weighted index

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{aligned} & -0.029 \\ & (0.053) \end{aligned}$ | $\begin{gathered} 0.007 \\ (0.142) \end{gathered}$ | $\begin{aligned} & -0.014 \\ & (0.058) \end{aligned}$ | $\begin{gathered} 0.000 \\ (0.002) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.001) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ |
| High Wage | $\begin{aligned} & -0.020 \\ & (0.052) \end{aligned}$ | $\begin{gathered} 0.063 \\ (0.127) \end{gathered}$ | $\begin{aligned} & -0.022 \\ & (0.057) \end{aligned}$ | $\begin{gathered} 0.000 \\ (0.002) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.001) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ |
| Control value | -0.0000 | 0.753 | 0.017 | -0.409 | -0.409 | -0.409 |
| Incentive = Wage ( $p$ ) | 0.820 | 0.685 | 0.830 | 1.000 | 1.000 | 1.000 |
| Obs. | 2311 | 2311 | 2311 | 2311 | 2311 | 2311 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. Experience ability index obtained by weighting observations by the inverse of the covariance matrix. The second-to-last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors are reported in parenthesis (for the 50th, 25th and 10th we estimate coefficients of zero and are thus unable to calculate robust standard errors; for these percentiles we report raw standard errors instead). A Wilcoxon rank-sum test fails to reject the equality of the distribution of experience in the control and incentive groups ( $p=.354$ ) and fails to reject the equality of the distribution of experience in the control and wage groups ( $p=.719$ ). Sample used: all applicants.

Table A20: Non-cognitive ability, ipsatised

|  | Mean | Percentile |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 90th | 75th | 50th | 25th | 10th |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Incentive | $\begin{gathered} -0.113 \\ (0.118) \end{gathered}$ | $\begin{aligned} & -0.200 \\ & (0.141) \end{aligned}$ | $\begin{gathered} -0.213 \\ (0.126) \end{gathered}$ | $\begin{gathered} 0.024 \\ (0.154) \end{gathered}$ | $\begin{gathered} -0.075 \\ (0.178) \end{gathered}$ | $\begin{gathered} -0.174 \\ (0.226) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.090 \\ (0.112) \end{gathered}$ | $\begin{gathered} -0.082 \\ (0.138) \end{gathered}$ | $\begin{aligned} & -0.092 \\ & (0.120) \end{aligned}$ | $\begin{gathered} 0.180 \\ (0.142) \end{gathered}$ | $\begin{gathered} 0.166 \\ (0.172) \end{gathered}$ | $\begin{gathered} 0.228 \\ (0.224) \end{gathered}$ |
| Control value | -0.00 | 2.68 | 1.60 | 0.15 | -1.28 | -2.83 |
| Incentive = Wage ( $p$ ) | 0.050 | 0.325 | 0.278 | 0.221 | 0.166 | 0.051 |
| Obs. | 2373 | 2373 | 2373 | 2373 | 2373 | 2373 |

Notes: Estimates from OLS (Column 1) and quantile (Columns 2-6) regressions. The dependent variable is an index of ipsatised non-cognitive ability. The index is based on ipsatised values of conscientiousness, neuroticism and grit. Variables are ipsatised by subtracting the individual acquiescence score - the mean of positive items and inverted items across scales - which is a measure of the tendency to agree with any statement (Laajaj and Macours, 2017). The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. A Wilcoxon rank-sum test fails to reject the equality of the distribution of ipsatised non-cognitive ability in the control and incentive groups ( $p=.354$ ) and fails to reject the equality of the distribution of ipsatised non-cognitive ability in the control and wage groups ( $p=.466$ ). Sample used: all applicants.

Table A21: Job search outcomes in 30 days after first phone call

|  | Applications | Money (USD) | Time | Interviews | Offers | Has job |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
|  |  |  |  |  |  |  |
| Incentive | -0.009 | 0.043 | 28.295 | -0.014 | -0.017 | -0.004 |
| High Wage | $(0.080)$ | $(0.244)$ | $(28.017)$ | $(0.027)$ | $(0.014)$ | $(0.008)$ |
|  | -0.072 | 0.037 | -10.242 | -0.038 | -0.027 | -0.019 |
|  | $(0.073)$ | $(0.240)$ | $(26.027)$ | $(0.025)$ | $(0.013)$ | $(0.007)$ |
|  |  |  |  |  |  |  |
| Control group mean | 1.573 |  |  |  |  |  |
| Incentive $=$ Wage $(p)$ | 0.401 | 0.742 | 392.509 | .309 | .103 | .048 |
| Obs. | 4328 | 4328 | 4328 | 4328 | 4328 | 4328 |
|  |  |  |  |  |  |  |

Notes: OLS regression. The dependent variable is indicated in the column heading. All dependent variables are measured in the second phone call (see Figure A2 for a timeline). Further, all dependent variables refer to jobs other than the experiment's job. These variables are collected through a short application roster where the respondent is asked a number of questions about each application they have made in the 30 days between the two phone calls. This includes information about the application process and its outcome. The variables 'applications', 'interviews' and 'offers' capture the total number of applications and interviews made, and offers received. 'Has job' is a dummy variable capturing whether the respondent is currently employed in one of the jobs they have applied for in the period between the two phone calls. 'Cost' and 'time' are, respectively, the total amount of money and time that the respondent reports to have spent on all job applications they have made in the 30 days period. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: second phone call sample.

Table A22: Additional job search outcomes in 30 days after first phone call (quality of applications)

|  | Number of applications |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Total (incl. exp. job) | Occup. matched | Skills matched | Long run | Permanent |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
|  |  |  |  |  |  |
| Incentive | 0.114 | 0.019 | -0.028 | -0.033 | 0.011 |
| High Wage | $(0.083)$ | $(0.061)$ | $(0.034)$ | $(0.043)$ | $(0.061)$ |
|  | 0.118 | -0.033 | -0.063 | 0.008 | -0.029 |
|  | $(0.077)$ | $(0.061)$ | $(0.034)$ | $(0.044)$ | $(0.060)$ |
|  |  |  |  |  |  |
| Control group mean | 1.983 |  |  |  |  |
| Incentive $=$ Wage $(p)$ | 0.962 | 1.299 | 0.357 | 0.502 | 1.309 |
| Obs. | 0.390 | 0.303 | 0.347 | 0.510 |  |
|  | 4328 | 4328 | 4328 | 4328 | 4328 |

Notes: OLS regression. The dependent variable is indicated in the column heading. All dependent variables are measured in the second phone call (see Figure A2 for a timeline). 'Applications' is the total number of applications made. This variable includes the application to the experiment's job and thus differs from the variable 'Applications' reported in Table A21. On the other hand, the variables reported in columns (2)-(5) do not include the application to the experiment's job. For each application made to these other jobs, respondents are asked a number of questions about the position: the occupation of the job, whether they feel they have the right skills for the job, a rating from 0 to 10 indicating whether they see themselves doing that particular job in the long run (we create a dummy that splits this variable at the median), and whether the job has an open-ended contract. We use these responses to construct three variables: (2) 'Occup. matched' is the number of applications to positions that match the occupation the jobseeker would like to find, (3) 'Skills matched' is the number of applications to positions that match the skills of the jobseeker (i.e. the jobseeker does not feel overqualified for the position) (4) 'Long run' is the number of applications to positions that the jobseeker sees herself doing in the long run and (5) 'Permanent' is the number of applications to positions that offer an openended contract. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: second phone call sample.

Table A23: Additional job search outcomes in 30 days after first phone call (quality of interviews and jobs)

|  | Interviews for jobs that are... |  |  | Job is... |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Matched | Long run | Permanent | Matched | Long run | Permanent |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
| Incentive |  |  |  |  |  |  |
|  | -0.015 | -0.026 | -0.004 | -0.005 | -0.007 | -0.006 |
| High Wage | $(0.025)$ | $(0.016)$ | $(0.025)$ | $(0.008)$ | $(0.005)$ | $(0.007)$ |
|  | -0.039 | -0.023 | -0.027 | -0.018 | -0.013 | -0.020 |
|  | $(0.024)$ | $(0.017)$ | $(0.024)$ | $(0.008)$ | $(0.006)$ | $(0.007)$ |
|  |  |  |  |  |  |  |
| Control group mean | 0.273 | 0.129 | 0.261 | 0.045 | 0.024 | 0.043 |
| Incentive = Wage $(p)$ | 0.305 | 0.853 | 0.338 | 0.070 | 0.243 | 0.049 |
| Obs. | 4328 | 4328 | 4328 | 4328 | 4328 | 4328 |
|  |  |  |  |  |  |  |

Notes: OLS regression. The dependent variable is indicated in the column heading. All dependent variables are measured in the second phone call (see Figure A2 for a timeline). The first set of dependent variables are defined as the number of interviews for jobs that: (1) match the occupation the jobseeker would like to find, (2) the jobseeker sees herself doing in the long run and (3) offer an open-ended contract. The second set of dependent variables are defined as a dummy variable for working in a job that (4) matches the occupation the jobseeker would like to find, (5) the respondent sees herself doing in the long run and (6) offers an open-ended contract. All variables exclude the application to the experiment's job. The second to last row reports the $p$ value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: second phone call sample.

Table A24: Search method

|  | Board | Newspaper | Direct | Network |
| :--- | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
|  |  |  |  |  |
| Incentive | 0.037 | -0.032 | -0.002 | -0.054 |
|  | $(0.306)$ | $(0.162)$ | $(0.064)$ | $(0.199)$ |
|  | -0.624 | -0.152 | -0.049 | -0.064 |
|  | $(0.294)$ | $(0.162)$ | $(0.061)$ | $(0.235)$ |
| High Wage |  |  |  |  |
| Control Mean |  |  | 0.567 | 2.272 |
| St. dev. | 6.326 | 4.895 | 1.725 | 6.016 |
| Incentive = Wage $(p)$ | 8.077 | 0.460 | 0.436 | 0.963 |
| Obs. | 0.028 | 4366 | 4370 | 4349 |
|  | 4357 |  |  |  |

Notes: OLS regressions. The dependent variable is reported in the column headings. 'Board' is the number of days in the last 30 days when the respondent visited the job vacancy board. 'Newspaper' is the number of times in the last 30 days when the respondent consulted the job insert in the newspaper. 'Direct' is the number of days in the last 30 days when the respondent visited employers to inquire about vacancies. 'Network' is the number of social contacts that the person has talked to about job opportunities in the last 30 days. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: all applicants.

Table A25: Heterogeneous impacts on applications

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Impacts for | Female | Low experience | Unemployed | Long spell | Young | High value |
| Incentive | $\begin{gathered} 0.073 \\ (0.039) \end{gathered}$ | $\begin{gathered} 0.092 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.097 \\ (0.021) \end{gathered}$ | $\begin{gathered} 0.108 \\ (0.033) \end{gathered}$ | $\begin{gathered} 0.101 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.091 \\ (0.029) \end{gathered}$ |
| High wage | $\begin{gathered} 0.190 \\ (0.038) \end{gathered}$ | $\begin{gathered} 0.217 \\ (0.024) \end{gathered}$ | $\begin{gathered} 0.214 \\ (0.021) \end{gathered}$ | $\begin{gathered} 0.242 \\ (0.032) \end{gathered}$ | $\begin{gathered} 0.196 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.206 \\ (0.026) \end{gathered}$ |
| Control mean <br> Incentive $=$ Wage $(p)$ | $\begin{aligned} & 0.429 \\ & 0.002 \end{aligned}$ | $\begin{aligned} & 0.492 \\ & 0.000 \end{aligned}$ | $\begin{aligned} & 0.473 \\ & 0.000 \end{aligned}$ | $\begin{aligned} & 0.464 \\ & 0.000 \end{aligned}$ | $\begin{aligned} & 0.464 \\ & 0.000 \end{aligned}$ | $\begin{aligned} & 0.504 \\ & 0.000 \end{aligned}$ |
| Impacts for | Male | High experience | Employed | Short spell | Old | Low value |
| Incentive | $\begin{gathered} 0.125 \\ (0.020) \end{gathered}$ | $\begin{gathered} 0.136 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.158 \\ (0.030) \end{gathered}$ | $\begin{gathered} 0.081 \\ (0.030) \end{gathered}$ | $\begin{gathered} 0.121 \\ (0.023) \end{gathered}$ | $\begin{gathered} 0.137 \\ (0.026) \end{gathered}$ |
| High wage | $\begin{gathered} 0.185 \\ (0.020) \end{gathered}$ | $\begin{gathered} 0.156 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.147 \\ (0.030) \end{gathered}$ | $\begin{gathered} 0.205 \\ (0.029) \end{gathered}$ | $\begin{gathered} 0.179 \\ (0.023) \end{gathered}$ | $\begin{gathered} 0.171 \\ (0.025) \end{gathered}$ |
| Control mean | 0.407 | 0.329 | 0.270 | 0.482 | 0.372 | 0.318 |
| Incentive $=$ Wage ( $p$ ) | 0.003 | 0.436 | 0.704 | 0.000 | 0.015 | 0.179 |
| No het. incentive (p) | 0.235 | 0.209 | 0.099 | 0.537 | 0.567 | 0.186 |
| No het. wage ( $p$ ) | 0.891 | 0.080 | 0.065 | 0.383 | 0.631 | 0.302 |
| Obs. | 4689 | 4686 | 4689 | 3020 | 4686 | 4686 |

Notes: OLS regressions. The dependent variable is a dummy capturing whether the jobseeker applied for the experiment's job. Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: baseline sample.

Table A26: Heterogeneous impacts on other job search

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Impacts for | Female | Low experience | Unemployed | Long spell | Young | High value |
| Incentive | $\begin{gathered} -0.014 \\ (0.142) \end{gathered}$ | $\begin{gathered} 0.065 \\ (0.120) \end{gathered}$ | $\begin{gathered} 0.021 \\ (0.105) \end{gathered}$ | $\begin{gathered} 0.068 \\ (0.166) \end{gathered}$ | $\begin{gathered} -0.010 \\ (0.120) \end{gathered}$ | $\begin{gathered} 0.013 \\ (0.142) \end{gathered}$ |
| High wage | $\begin{gathered} -0.128 \\ (0.137) \end{gathered}$ | $\begin{array}{r} -0.065 \\ (0.097) \end{array}$ | $\begin{gathered} -0.058 \\ (0.092) \end{gathered}$ | $\begin{gathered} 0.021 \\ (0.129) \end{gathered}$ | $\begin{gathered} -0.174 \\ (0.117) \end{gathered}$ | $\begin{gathered} -0.133 \\ (0.113) \end{gathered}$ |
| Control mean | 1.407 | 1.811 | 1.779 | 1.472 | 1.780 | 1.821 |
| Incentive $=$ Wage ( $p$ ) | 0.383 | 0.259 | 0.405 | 0.762 | 0.110 | 0.206 |
| Impacts for | Male | High experience | Employed | Short spell | Old | Low value |
| Incentive | $\begin{gathered} 0.005 \\ (0.094) \end{gathered}$ | $\begin{gathered} -0.073 \\ (0.102) \end{gathered}$ | $\begin{gathered} -0.027 \\ (0.100) \end{gathered}$ | $\begin{gathered} 0.015 \\ (0.142) \end{gathered}$ | $\begin{gathered} 0.002 \\ (0.107) \end{gathered}$ | $\begin{aligned} & -0.012 \\ & (0.095) \end{aligned}$ |
| High wage | $\begin{gathered} -0.083 \\ (0.084) \end{gathered}$ | $\begin{gathered} -0.129 \\ (0.105) \end{gathered}$ | $\begin{gathered} -0.107 \\ (0.101) \end{gathered}$ | $\begin{gathered} -0.060 \\ (0.136) \end{gathered}$ | $\begin{gathered} -0.025 \\ (0.089) \end{gathered}$ | $\begin{aligned} & -0.040 \\ & (0.097) \end{aligned}$ |
| Control mean | 1.617 | 1.322 | 1.093 | 2.046 | 1.410 | 1.312 |
| Incentive $=$ Wage ( $p$ ) | 0.300 | 0.500 | 0.398 | 0.547 | 0.792 | 0.742 |
| No het. incentive (p) | 0.908 | 0.382 | 0.738 | 0.805 | 0.940 | 0.873 |
| No het. wage ( $p$ ) | 0.781 | 0.653 | 0.717 | 0.667 | 0.315 | 0.515 |
| Obs. | 4328 | 4325 | 4328 | 2804 | 4325 | 4325 |

Notes: OLS regressions. The dependent variable is the number of applications to jobs other than the experiment's job. Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: second phone call sample.

Table A27: Heterogeneous impacts on cognitive ability

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Impacts for | Female | Low experience | Unemployed | Long spell | Young | High value |
| Incentive | $\begin{gathered} 1.153 \\ (0.270) \end{gathered}$ | $\begin{gathered} 0.428 \\ (0.155) \end{gathered}$ | $\begin{gathered} 0.377 \\ (0.129) \end{gathered}$ | $\begin{gathered} 0.548 \\ (0.218) \end{gathered}$ | $\begin{gathered} 0.411 \\ (0.170) \end{gathered}$ | $\begin{gathered} 0.407 \\ (0.155) \end{gathered}$ |
| High wage | $\begin{gathered} 0.447 \\ (0.272) \end{gathered}$ | $\begin{gathered} 0.354 \\ (0.153) \end{gathered}$ | $\begin{gathered} 0.272 \\ (0.127) \end{gathered}$ | $\begin{gathered} 0.377 \\ (0.216) \end{gathered}$ | $\begin{gathered} 0.244 \\ (0.171) \end{gathered}$ | $\begin{gathered} 0.297 \\ (0.153) \end{gathered}$ |
| Control mean <br> Incentive $=$ Wage $(p)$ | $\begin{gathered} -0.317 \\ 0.000 \end{gathered}$ | $\begin{gathered} -0.080 \\ 0.563 \end{gathered}$ | $\begin{aligned} & 0.011 \\ & 0.344 \end{aligned}$ | $\begin{gathered} -0.340 \\ 0.309 \end{gathered}$ | $\begin{aligned} & 0.030 \\ & 0.242 \end{aligned}$ | $\begin{aligned} & 0.006 \\ & 0.389 \end{aligned}$ |
| Impacts for | Male | High experience | Employed | Short spell | Old | Low value |
| Incentive | $\begin{gathered} 0.008 \\ (0.121) \end{gathered}$ | $\begin{aligned} & -0.006 \\ & (0.155) \end{aligned}$ | $\begin{gathered} -0.116 \\ (0.215) \end{gathered}$ | $\begin{gathered} 0.217 \\ (0.165) \end{gathered}$ | $\begin{gathered} 0.096 \\ (0.148) \end{gathered}$ | $\begin{gathered} 0.033 \\ (0.161) \end{gathered}$ |
| High wage | $\begin{gathered} 0.123 \\ (0.119) \end{gathered}$ | $\begin{gathered} -0.044 \\ (0.152) \end{gathered}$ | $\begin{gathered} -0.064 \\ (0.214) \end{gathered}$ | $\begin{gathered} 0.215 \\ (0.156) \end{gathered}$ | $\begin{gathered} 0.152 \\ (0.142) \end{gathered}$ | $\begin{gathered} 0.051 \\ (0.162) \end{gathered}$ |
| Control mean | 0.089 | 0.124 | -0.044 | 0.281 | -0.028 | -0.010 |
| Incentive $=$ Wage ( $p$ ) | 0.296 | 0.798 | 0.794 | 0.990 | 0.672 | 0.903 |
| No het. incentive (p) | 0.000 | 0.048 | 0.049 | 0.226 | 0.162 | 0.091 |
| No het. wage ( $p$ ) | 0.275 | 0.065 | 0.176 | 0.545 | 0.679 | 0.259 |
| Obs. | 2386 | 2385 | 2386 | 1738 | 2384 | 2384 |

Notes: OLS regressions. The dependent variable is the cognitive ability index. Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: all applicants.

Table A28: Heterogeneous impacts on Raven score

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Impacts for | Female | Low experience | Unemployed | Long spell | Young | High value |
| Incentive | $\begin{gathered} 4.791 \\ (1.308) \end{gathered}$ | $\begin{gathered} 2.291 \\ (0.820) \end{gathered}$ | $\begin{gathered} 1.894 \\ (0.700) \end{gathered}$ | $\begin{gathered} 1.666 \\ (1.079) \end{gathered}$ | $\begin{gathered} 2.758 \\ (0.900) \end{gathered}$ | $\begin{gathered} 2.104 \\ (0.826) \end{gathered}$ |
| High wage | $\begin{gathered} 0.966 \\ (1.351) \end{gathered}$ | $\begin{gathered} 1.311 \\ (0.799) \end{gathered}$ | $\begin{gathered} 0.932 \\ (0.681) \end{gathered}$ | $\begin{gathered} 0.141 \\ (1.036) \end{gathered}$ | $\begin{gathered} 1.387 \\ (0.908) \end{gathered}$ | $\begin{gathered} 0.639 \\ (0.824) \end{gathered}$ |
| Control mean | 37.179 | 38.765 | 38.912 | 38.281 | 38.676 | 39.602 |
| Incentive $=$ Wage ( $p$ ) | 0.001 | 0.164 | 0.119 | 0.107 | 0.085 | 0.036 |
| Impacts for | Male | High experience | Employed | Short spell | Old | Low value |
| Incentive | $\begin{gathered} 0.188 \\ (0.697) \end{gathered}$ | $\begin{aligned} & -0.276 \\ & (0.920) \end{aligned}$ | $\begin{gathered} -0.621 \\ (1.271) \end{gathered}$ | $\begin{gathered} 1.778 \\ (0.960) \end{gathered}$ | $\begin{aligned} & -0.315 \\ & (0.842) \end{aligned}$ | $\begin{gathered} 0.154 \\ (0.961) \end{gathered}$ |
| High wage | $\begin{gathered} 0.490 \\ (0.678) \end{gathered}$ | $\begin{gathered} -0.422 \\ (0.926) \end{gathered}$ | $\begin{gathered} -0.335 \\ (1.313) \end{gathered}$ | $\begin{gathered} 1.377 \\ (0.928) \end{gathered}$ | $\begin{gathered} -0.097 \\ (0.814) \end{gathered}$ | $\begin{gathered} 0.741 \\ (0.975) \end{gathered}$ |
| Control mean | 38.990 | 38.327 | 37.307 | 39.582 | 38.515 | 36.971 |
| Incentive $=$ Wage ( $p$ ) | 0.633 | 0.868 | 0.809 | 0.639 | 0.775 | 0.499 |
| No het. incentive (p) | 0.002 | 0.037 | 0.083 | 0.938 | 0.013 | 0.117 |
| No het. wage ( $p$ ) | 0.753 | 0.157 | 0.392 | 0.374 | 0.224 | 0.934 |
| Obs. | 2397 | 2396 | 2397 | 1743 | 2395 | 2395 |

Notes: OLS regressions. The dependent variable is the Raven test score. Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: all applicants.

Table A29: Heterogeneous impacts on GPA

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Impacts for | Female | Low experience | Unemployed | Long spell | Young | High value |
| Incentive | $\begin{gathered} 0.129 \\ (0.053) \end{gathered}$ | $\begin{gathered} 0.078 \\ (0.029) \end{gathered}$ | $\begin{gathered} 0.067 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.083 \\ (0.041) \end{gathered}$ | $\begin{gathered} 0.064 \\ (0.034) \end{gathered}$ | $\begin{gathered} 0.075 \\ (0.034) \end{gathered}$ |
| High wage | $\begin{gathered} 0.081 \\ (0.050) \end{gathered}$ | $\begin{gathered} 0.067 \\ (0.029) \end{gathered}$ | $\begin{gathered} 0.036 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.061 \\ (0.040) \end{gathered}$ | $\begin{gathered} 0.021 \\ (0.034) \end{gathered}$ | $\begin{gathered} 0.049 \\ (0.033) \end{gathered}$ |
| Control mean <br> Incentive $=$ Wage $(p)$ | $\begin{aligned} & 2.797 \\ & 0.360 \end{aligned}$ | $\begin{aligned} & 2.987 \\ & 0.672 \end{aligned}$ | $\begin{aligned} & 2.973 \\ & 0.224 \end{aligned}$ | $\begin{aligned} & 2.897 \\ & 0.546 \end{aligned}$ | $\begin{aligned} & 3.027 \\ & 0.163 \end{aligned}$ | $\begin{aligned} & 3.003 \\ & 0.349 \end{aligned}$ |
| Impacts for | Male | High experience | Employed | Short spell | Old | Low value |
| Incentive | $\begin{gathered} 0.024 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.009 \\ (0.043) \end{gathered}$ | $\begin{gathered} -0.010 \\ (0.055) \end{gathered}$ | $\begin{gathered} 0.047 \\ (0.038) \end{gathered}$ | $\begin{gathered} 0.035 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.016 \\ (0.044) \end{gathered}$ |
| High wage | $\begin{aligned} & -0.008 \\ & (0.026) \end{aligned}$ | $\begin{gathered} -0.073 \\ (0.041) \end{gathered}$ | $\begin{gathered} -0.075 \\ (0.054) \end{gathered}$ | $\begin{gathered} 0.018 \\ (0.036) \end{gathered}$ | $\begin{gathered} 0.004 \\ (0.034) \end{gathered}$ | $\begin{gathered} -0.040 \\ (0.040) \end{gathered}$ |
| Control mean | 3.013 | 2.949 | 2.959 | 3.019 | 2.925 | 2.933 |
| Incentive $=$ Wage ( $p$ ) | 0.179 | 0.028 | 0.161 | 0.406 | 0.315 | 0.124 |
| No het. incentive (p) | 0.079 | 0.183 | 0.212 | 0.514 | 0.556 | 0.254 |
| No het. wage ( $p$ ) | 0.118 | 0.005 | 0.063 | 0.426 | 0.729 | 0.074 |
| Obs. | 2285 | 2284 | 2285 | 1670 | 2283 | 2283 |

Notes: OLS regressions. The dependent variable is the applicant's GPA. Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: all applicants.

Table A30: Heterogeneous impacts on top applicants (75th percentile)

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Impacts for | Female | Low experience | Unemployed | Long spell | Young | High value |
| Incentive | $\begin{gathered} 0.240 \\ (0.052) \end{gathered}$ | $\begin{gathered} 0.081 \\ (0.031) \end{gathered}$ | $\begin{gathered} 0.073 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.077 \\ (0.040) \end{gathered}$ | $\begin{gathered} 0.094 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.075 \\ (0.039) \end{gathered}$ |
| High wage | $\begin{gathered} 0.097 \\ (0.047) \end{gathered}$ | $\begin{gathered} 0.061 \\ (0.030) \end{gathered}$ | $\begin{gathered} 0.057 \\ (0.026) \end{gathered}$ | $\begin{gathered} 0.060 \\ (0.038) \end{gathered}$ | $\begin{gathered} 0.063 \\ (0.034) \end{gathered}$ | $\begin{gathered} 0.047 \\ (0.036) \end{gathered}$ |
| Control top applicants Incentive $=$ Wage $(p)$ | $\begin{aligned} & 0.209 \\ & 0.004 \end{aligned}$ | $\begin{aligned} & 0.259 \\ & 0.494 \end{aligned}$ | $\begin{aligned} & 0.259 \\ & 0.535 \end{aligned}$ | $\begin{aligned} & 0.216 \\ & 0.653 \end{aligned}$ | $\begin{aligned} & 0.270 \\ & 0.352 \end{aligned}$ | $\begin{aligned} & 0.276 \\ & 0.345 \end{aligned}$ |
| Impacts for | Male | High experience | Employed | Short spell | Old | Low value |
| Incentive | $\begin{gathered} 0.003 \\ (0.026) \end{gathered}$ | $\begin{gathered} 0.018 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.005 \\ (0.046) \end{gathered}$ | $\begin{gathered} 0.065 \\ (0.039) \end{gathered}$ | $\begin{gathered} 0.014 \\ (0.031) \end{gathered}$ | $\begin{gathered} 0.029 \\ (0.038) \end{gathered}$ |
| High wage | $\begin{gathered} 0.039 \\ (0.026) \end{gathered}$ | $\begin{gathered} 0.040 \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.041 \\ (0.047) \end{gathered}$ | $\begin{gathered} 0.057 \\ (0.037) \end{gathered}$ | $\begin{gathered} 0.044 \\ (0.031) \end{gathered}$ | $\begin{gathered} 0.065 \\ (0.038) \end{gathered}$ |
| Control top applicants | 0.260 | 0.233 | 0.206 | 0.295 | 0.229 | 0.206 |
| Incentive $=$ Wage ( $p$ ) | 0.143 | 0.503 | 0.378 | 0.828 | 0.311 | 0.256 |
| No het. incentive (p) | 0.000 | 0.188 | 0.205 | 0.834 | 0.091 | 0.320 |
| No het. wage ( $p$ ) | 0.280 | 0.662 | 0.771 | 0.956 | 0.671 | 0.694 |
| Obs. | 2386 | 2385 | 2386 | 1738 | 2384 | 2384 |

Notes: OLS regressions. The dependent variable is a dummy capturing whether the jobseeker scored above the 75th percentile of the control distribution of the cognitive ability index. Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: all applicants.
Table A31: Heterogeneous impacts on quality at the top of the distribution

| Heterogeneity by | Gender |  | Experience |  | Unemployed |  | Length unemployment |  | Age |  | Value job |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | p90 | p75 | p90 | p75 | p90 | p75 | p90 | p75 | p90 | p75 | p90 | p75 |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) |
| Impacts for | Female |  | Low experience |  | Unemployed |  | Long spell |  | Young |  | High value |  |
| Incentive | $\begin{gathered} 0.582 \\ (0.241) \end{gathered}$ | $\begin{gathered} .848 \\ (0.230) \end{gathered}$ | $\begin{gathered} 0.244 \\ (0.136) \end{gathered}$ | $\begin{gathered} .176 \\ (0.155) \end{gathered}$ | $\begin{gathered} 0.227 \\ (0.122) \end{gathered}$ | $\begin{gathered} .185 \\ (0.134) \end{gathered}$ | $\begin{gathered} 0.259 \\ (0.188) \end{gathered}$ | $\begin{gathered} .29 \\ (0.204) \end{gathered}$ | $\begin{gathered} 0.131 \\ (0.161) \end{gathered}$ | $\begin{gathered} .131 \\ (0.168) \end{gathered}$ | $\begin{gathered} 0.191 \\ (0.147) \end{gathered}$ | $\begin{gathered} .118 \\ (0.159) \end{gathered}$ |
| High wage | $\begin{gathered} 0.247 \\ (0.246) \end{gathered}$ | $\begin{gathered} .257 \\ (0.225) \end{gathered}$ | $\begin{gathered} 0.165 \\ (0.129) \end{gathered}$ | $\begin{gathered} .136 \\ (0.153) \end{gathered}$ | $\begin{gathered} 0.136 \\ (0.120) \end{gathered}$ | $\begin{gathered} .139 \\ (0.129) \end{gathered}$ | $\begin{gathered} 0.146 \\ (0.205) \end{gathered}$ | $\begin{gathered} .257 \\ (0.178) \end{gathered}$ | $\begin{gathered} 0.164 \\ (0.168) \end{gathered}$ | $\begin{gathered} .103 \\ (0.175) \end{gathered}$ | $\begin{gathered} 0.117 \\ (0.144) \end{gathered}$ | $\begin{gathered} .035 \\ (0.149) \end{gathered}$ |
| Control quality | -0.317 | 2.267 | -0.080 | 2.404 | 0.011 | 2.421 | -0.340 | 2.223 | 0.030 | 2.535 | 0.006 | 2.442 |
| Incentive $=$ Wage ( $p$ ) | 0.074 | 0.002 | 0.534 | 0.756 | 0.416 | 0.682 | 0.519 | 0.870 | 0.821 | 0.835 | 0.563 | 0.495 |
| Impacts for | Male |  | High experience |  | Employed |  | Short spell |  | Old |  | Low value |  |
| Incentive | $\begin{gathered} 0.081 \\ (0.126) \end{gathered}$ | $\begin{gathered} -.069 \\ (0.131) \end{gathered}$ | $\begin{gathered} 0.252 \\ (0.189) \end{gathered}$ | $\begin{gathered} .124 \\ (0.168) \end{gathered}$ | $\begin{gathered} 0.283 \\ (0.217) \end{gathered}$ | $\begin{gathered} .033 \\ (0.258) \end{gathered}$ | $\begin{gathered} 0.104 \\ (0.208) \end{gathered}$ | $\begin{gathered} .085 \\ (0.179) \end{gathered}$ | $\begin{gathered} 0.266 \\ (0.160) \end{gathered}$ | $\begin{gathered} .086 \\ (0.150) \end{gathered}$ | $\begin{gathered} 0.337 \\ (0.152) \end{gathered}$ | $\begin{gathered} .124 \\ (0.180) \end{gathered}$ |
| High wage | $\begin{gathered} 0.175 \\ (0.121) \end{gathered}$ | $\begin{gathered} .126 \\ (0.130) \end{gathered}$ | $\begin{gathered} 0.098 \\ (0.185) \end{gathered}$ | $\begin{gathered} .262 \\ (0.161) \end{gathered}$ | $\begin{gathered} 0.167 \\ (0.222) \end{gathered}$ | $\begin{gathered} .189 \\ (0.252) \end{gathered}$ | $\begin{gathered} 0.045 \\ (0.192) \end{gathered}$ | $\begin{gathered} .118 \\ (0.173) \end{gathered}$ | $\begin{gathered} 0.143 \\ (0.152) \end{gathered}$ | $\begin{gathered} .244 \\ (0.139) \end{gathered}$ | $\begin{gathered} 0.269 \\ (0.175) \end{gathered}$ | $\begin{gathered} .333 \\ (0.169) \end{gathered}$ |
| Control quality | 0.089 | 2.339 | 0.124 | 2.211 | -0.044 | 2.059 | 0.281 | 2.654 | -0.028 | 2.211 | -0.010 | 2.1 |
| Incentive $=$ Wage ( $p$ ) | 0.420 | 0.075 | 0.320 | 0.358 | 0.549 | 0.513 | 0.738 | 0.822 | 0.408 | 0.260 | 0.658 | 0.170 |
| No het. incentive ( $p$ ) | 0.066 | 0.001 | 0.973 | 0.821 | 0.821 | 0.602 | 0.580 | 0.449 | 0.553 | 0.842 | 0.530 | 0.977 |
| No het. wage ( $p$ ) | 0.793 | 0.614 | 0.768 | 0.572 | 0.903 | 0.860 | 0.719 | 0.576 | 0.927 | 0.528 | 0.496 | 0.197 |
| Obs. | 2386 | 2386 | 2385 | 2385 | 2386 | 2386 | 1738 | 1738 | 2384 | 2384 | 2384 | 2384 |

Notes: Quantile regressions. The dependent variable is the cognitive ability score at a given percentile of the control distribution (90th or 75 th). Column headings indicate the dimension of heterogeneity studied. For each treatment, the last panel reports the $p$-value of a test of the null hypothesis that the effect of treatment is not heterogenous across the dimension under study. Robust standard errors reported in parenthesis. The standard errors reported in column (6) are bootstrapped to reflect the uncertainty in the estimation of the present value of the job. Sample used: all applicants.

Table A32: Decomposition of impact on cognitive ability

| Heterogeneity by | Gender | Experience | Unemployed | Length unemployment | Age | Value job |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
|  |  |  |  |  |  |  |
| Compositional effect | 0.03 | 0.04 | -0.01 | -0.06 | -0.00 |  |
| Within-group effect for | Female | Low experience | Unemployed | Long spell | Young | High value |
|  | 0.95 | 0.97 | 1.13 | 0.73 | 0.79 | 0.94 |
| Within-group effect for | Male | High experience | Employed | Short spell | Old | Low value |
|  | 0.03 | -0.01 | -0.12 | 0.33 | 0.21 |  |

Notes: Decomposition of the treatment effect reported in Table A27. We implement this decomposition as follows. There are six dimensions of heterogeneity, namely gender, experience, unemployment status, unemployment length, age, and job value. Each of these dimensions is split in two categories (male/female, etc.). We denote these with a vector of dummy variables $v_{i} \in\{0,1\}$ for all dimensions $i=\{1,2, \ldots, 6\}$. Further, we use $j \in\{0,1\}$ to indicate the experimental group ( $j=0$ refers to the control group and $j=1$ to the incentive group). Finally, we use $p_{i}^{j}$ to indicate the share of applicants in group $j$ for whom $v_{i}=1$. For each dimension of heterogeneity $i$, we decompose the total effect on expected ability $T$ into three components: (i) a compositional effect: $\left(p_{i}^{1}-p_{i}^{0}\right) *\left(E\left[T \mid v_{i}=1, j=0\right]-E\left[T \mid v_{i}=0, j=0\right]\right)$; (ii) a within-group effect for the first group of applicants: $p_{i}^{1} *\left(E\left[T \mid v_{i}=1, j=1\right]-E\left[T \mid v_{i}=1, j=0\right]\right)$; (iii) a within-group effect for the second group of applicants: $\left(1-p_{i}^{1}\right) *\left(E\left[T \mid v_{i}=0, j=1\right]-E\left[T \mid v_{i}=0, j=0\right]\right)$.

Table A33: Additional heterogeneity: first language

|  | Apply | Cognitive | Raven | GPA | No. other applications |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) |
| Impacts for | First language Amharic |  |  |  |  |
| Incentive | $\begin{aligned} & 0.123 \\ & (0.021) \end{aligned}$ | $\begin{aligned} & 0.127 \\ & (0.129) \end{aligned}$ | $\begin{aligned} & 0.708 \\ & (0.734) \end{aligned}$ | $\begin{aligned} & 0.087 \\ & (0.030) \end{aligned}$ | $\begin{aligned} & 0.075 \\ & (0.101) \end{aligned}$ |
| High Wage | $\begin{aligned} & 0.210 \\ & (0.021) \end{aligned}$ | $\begin{aligned} & 0.138 \\ & (0.126) \end{aligned}$ | $\begin{aligned} & 0.251 \\ & (0.733) \end{aligned}$ | $\begin{aligned} & 0.024 \\ & (0.029) \end{aligned}$ | $\begin{gathered} -0.091 \\ (0.086) \end{gathered}$ |
| Control Mean | 0.390 | 0.384 | 40.140 | 2.908 | 1.618 |
| Incentive $=$ Wage ( $p$ ) | 0.000 | 0.920 | 0.474 | 0.019 | 0.067 |
| Impacts for | First language not Amharic |  |  |  |  |
| Incentive | $\begin{aligned} & 0.098 \\ & (0.032) \end{aligned}$ | $\begin{aligned} & 0.360 \\ & (0.202) \end{aligned}$ | $\begin{aligned} & 1.527 \\ & (1.101) \end{aligned}$ | $\begin{gathered} -0.019 \\ (0.043) \end{gathered}$ | $\begin{gathered} -0.188 \\ (0.125) \end{gathered}$ |
| High Wage | $\begin{aligned} & 0.136 \\ & (0.031) \end{aligned}$ | $\begin{aligned} & 0.196 \\ & (0.200) \end{aligned}$ | $\begin{aligned} & 0.811 \\ & (1.045) \end{aligned}$ | $\begin{aligned} & -0.005 \\ & (0.041) \end{aligned}$ | $\begin{gathered} -0.099 \\ (0.130) \end{gathered}$ |
| Control Mean | 0.457 | -0.680 | 35.861 | 3.006 | 1.482 |
| Incentive $=$ Wage ( $p$ ) | 0.231 | 0.372 | 0.492 | 0.733 | 0.437 |
| No het. incentive (p) | 0.524 | 0.330 | 0.536 | 0.044 | 0.101 |
| No het. wage ( $p$ ) | 0.049 | 0.805 | 0.661 | 0.558 | 0.964 |
| Obs. | 4689 | 2386 | 2397 | 2285 | 4328 |

Notes: OLS regressions. The dependent variable is reported in the column headings. Robust standard errors reported in parenthesis. Sample used: baseline sample (column 1), all applicants (columns 2-4), second phone call sample (column 5).

Table A34: Time preferences and cost of effort

|  | $\beta$ | $\delta$ | $\gamma$ |
| :--- | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
| Control |  |  |  |
|  | 0.817 | 0.740 | 5.842 |
| Incentive | $(0.083)$ | $(0.090)$ | $(0.784)$ |
|  | 0.794 | 0.891 | 5.032 |
| High Wage | $(0.057)$ | $(0.064)$ | $(0.500)$ |
|  | 0.811 | 0.971 | 5.233 |
|  | $(0.053)$ | $(0.070)$ | $(0.511)$ |
|  |  |  | 0.384 |
| Incentive - Control $(p)$ |  |  | 0.472 |
| Incentive - Wage $(p)$ | 0.825 | 0.400 | 0.515 |
| Wage - Control $(p)$ | 0.833 | 0.044 |  |

Notes: Structural estimates of present bias ( $\beta$ ), impatience $(\delta)$ and cost of effort $(\gamma)$. The estimation technique is described in detail in Appendix C. Standard errors obtained with the delta method reported in parenthesis. The last three rows report the $p$-values of tests of the equality of the coefficients. Sample used: all applicants.

Table A35: Preferences and sophistication

|  | Present bias | Risk Preferences | Social Preferences | Sophistication |
| :--- | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |  |
|  |  |  |  |  |
| Incentive | 0.022 | 0.054 | -0.033 | 0.007 |
|  | $(0.027)$ | $(0.066)$ | $(0.097)$ | $(0.021)$ |
| High Wage | 0.005 | 0.030 | 0.042 | 0.001 |
|  | $(0.025)$ | $(0.064)$ | $(0.094)$ | $(0.020)$ |
| Variable |  |  | Index |  |
| Control group mean | 0.301 | Index | 0.040 | 0.190 |
| Control group st.dev. | 0.459 | 1.905 | 1.762 | 0.393 |
| Incentive = Wage $(p)$ | 0.466 | 1.170 | 0.397 | 0.751 |
| Obs. | 0.684 | 2193 | 2331 |  |
|  | 2053 | 2110 |  |  |

Notes: Estimates from OLS regressions. Robust standard errors reported in parenthesis. Present bias is a dummy for individuals with $\beta<0.99$. Sophistication is a dummy for individuals with $k \geq 2$. The tasks used to elicit these variables are described in detail in Appendix C. Sample size changes because of missing responses and because we are not able to estimate a $\beta$ coefficient for all choice patterns. Sample used: all applicants.

Table A36: Test effort

|  | Mistake |  | Unfinished |  |
| :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) |
| Incentive | $\begin{gathered} 0.096 \\ (0.082) \end{gathered}$ | $\begin{gathered} 0.033 \\ (0.025) \end{gathered}$ | $\begin{gathered} -0.019 \\ (0.038) \end{gathered}$ | $\begin{aligned} & -0.005 \\ & (0.007) \end{aligned}$ |
| High Wage | $\begin{gathered} 0.067 \\ (0.078) \end{gathered}$ | $\begin{gathered} 0.021 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.028 \\ (0.034) \end{gathered}$ | $\begin{gathered} -0.002 \\ (0.007) \end{gathered}$ |
| Measure | continuous | dummy | continuous | dummy |
| Control group mean | 0.711 | 0.292 | 0.081 | 0.018 |
| Incentive $=$ Wage ( $p$ ) | 0.712 | 0.570 | 0.782 | 0.701 |
| Obs. | 2316 | 2316 | 2332 | 2332 |

Notes: OLS regression. In column (1), the dependent variable 'Mistake' is the number of strings transcribed incorrectly. In column (2), the dependent variable is a dummy capturing whether any string was transcribed incorrectly. In column (3), the dependent variable 'Unfinished' is the number of strings that the applicant has failed to transcribe. In column (4), the dependent variable is a dummy capturing whether the applicant has failed to transcribe any string. Robust standard errors reported in parenthesis. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Sample used: all applicants.

Table A37: Salience of the position

|  | Correct answer |  | Absolute mistake |  |
| :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) |
| Incentive | $\begin{gathered} 0.026 \\ (0.017) \end{gathered}$ | $\begin{gathered} 0.025 \\ (0.017) \end{gathered}$ | $\begin{gathered} -29.578 \\ (20.603) \end{gathered}$ | $\begin{gathered} -26.355 \\ (20.959) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.039 \\ (0.017) \end{gathered}$ | $\begin{gathered} 0.037 \\ (0.017) \end{gathered}$ | $\begin{gathered} -44.615 \\ (20.034) \end{gathered}$ | $\begin{gathered} -38.755 \\ (21.187) \end{gathered}$ |
| Control for application | no | yes | no | yes |
| Control group mean | 0.686 | 0.686 | 167.303 | 167.303 |
| Incentive $=$ Wage ( $p$ ) | 0.476 | 0.497 | 0.399 | 0.493 |
| Obs. | 4375 | 4375 | 3634 | 3634 |

Notes: OLS regression. The dependent variable is indicated in the column headings. 'Correct answer' is a dummy capturing whether the respondent recalled the wage offered correctly. 'Absolute mistake' is the absolute difference between the wage recalled by the respondent and the wage actually offered. The number of observation changes because some individuals report that they do not remember the wage offered. These individuals are included in the regressions reported in columns (1) and (2), but not in the regressions reported in columns (3) and (4). Columns (2) and (4) include a control for whether the respondent has applied for the experiment's job. Robust standard errors reported in parenthesis. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Sample used: second phone call sample.

Table A38: Beliefs about labour-market prospects

|  | Weeks unemployment | Wage (Ethiopian Birr) |
| :--- | :---: | :---: |
|  | $(1)$ | $(2)$ |
| Incentive | -0.036 | 95.746 |
|  | $(0.546)$ | $(196.659)$ |
|  | -0.635 | 449.245 |
|  | $(0.602)$ | $(145.498)$ |
|  |  | 5192.291 |
| Control group mean | 8.690 | 0.076 |
| Incentive = Wage $(p)$ | 0.293 | 3817 |
| Obs. | 3849 |  |

Notes: OLS regression. 'Weeks unemployment' captures the number of weeks that the respondent expect she or he would need in order to be offered a job they would be willing to work at. 'Wage' captures the wage that the respondent expects this job will pay. Beliefs about the wage are elicited through the method of Attanasio and Kaufmann (2009), as explained in footnote ??. For both questions the respondent was asked to consider an hypothetical job search spell starting on the day following their interview. Thus, the answers to these questions do not refer to the experiment's job. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: second phone call sample.

Table A39: Beliefs about the probability of getting the experiment's job

|  | Subjective forecast |  |  |
| :--- | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
|  |  |  |  |
| Incentive | 1.130 | 0.619 | 0.105 |
| High Wage | $(1.119)$ | $(1.095)$ | $(1.071)$ |
|  | 1.461 | 1.453 | 0.648 |
|  | $(1.112)$ | $(1.090)$ | $(1.070)$ |
|  |  |  |  |
| Forecasts implying certainty | included | excluded | excluded |
| Truncation | no | no | yes |
|  |  |  |  |
| Control group mean | 57.065 | 53.083 | 48.544 |
| Incentive = Wage $(p)$ | 0.769 | 0.450 | 0.617 |
| Obs. | 4325 | 3893 | 3446 |
|  |  |  |  |

Notes: OLS regression. The dependent variable is the subject's subjective forecast of the probability of being offered the experiment's job. We elicit this forecast retrospectively, by asking the following question in the second phone call: "How confident were you of getting an offer for this position at the time when you decided whether to apply or not? In order to quantify this, you can think of applying to 100 positions like this one. How many offers would you get?". In the first column, we report the raw data. In the second and third column, we drop forecasts that imply certainty, that is, forecasts of 0 or 100. In the third column, we truncate the variable at the 95th percentile. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: second phone call sample.

Table A40: Beliefs about the attributes of the job

|  | Holidays | Overtime | Satisfaction | Autonomy | Career | Opportunities | New Skills |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (8) |
| Incentive | $\begin{gathered} 0.025 \\ (0.013) \end{gathered}$ | $\begin{gathered} 0.019 \\ (0.018) \end{gathered}$ | $\begin{gathered} 0.006 \\ (0.011) \end{gathered}$ | $\begin{gathered} -0.013 \\ (0.019) \end{gathered}$ | $\begin{gathered} 0.034 \\ (0.014) \end{gathered}$ | $\begin{gathered} 0.006 \\ (0.011) \end{gathered}$ | $\begin{aligned} & -0.005 \\ & (0.005) \end{aligned}$ |
| High Wage | $\begin{gathered} 0.017 \\ (0.012) \end{gathered}$ | $\begin{gathered} 0.046 \\ (0.018) \end{gathered}$ | $\begin{gathered} 0.028 \\ (0.010) \end{gathered}$ | $\begin{gathered} -0.006 \\ (0.019) \end{gathered}$ | $\begin{gathered} 0.043 \\ (0.014) \end{gathered}$ | $\begin{gathered} 0.004 \\ (0.011) \end{gathered}$ | $\begin{gathered} 0.001 \\ (0.004) \end{gathered}$ |
| Control group mean | 0.127 | 0.411 | 0.904 | 0.486 | 0.810 | 0.908 | 0.986 |
| Incentive = Wage ( $p$ ) | 0.529 | 0.151 | 0.034 | 0.692 | 0.506 | 0.861 | 0.158 |
| Obs. | 4366 | 4362 | 4364 | 4361 | 4363 | 4364 | 4368 |

Notes: OLS regression. The dependent variable is indicated in the column headings. 'Holiday' is a dummy variable capturing whether the respondent believes the job has more than four days of holiday per month. 'Overtime' is a dummy variable capturing whether the respondent believes the job will require work in the evenings. 'Satisfaction' is a dummy variable capturing whether the respondent believes the job will be satisfying. 'Autonomy' is a dummy variable capturing whether the respondent believes he or she will have freedom to organise their own schedule at work. 'Career' is a dummy variable capturing whether the respondent believes the experience in this job will help them find other jobs in the future. 'Opportunity' is a dummy variable capturing whether the respondent believes there will be further work opportunities with the employer. 'New Skills' is a dummy variable capturing whether the respondent believes they will learn new skills in this job. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: second phone call sample.

Table A41: Survey experiment on job-attribute beliefs: Balance

|  | Mean |  | StDev | N | Balance test (p) |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Control <br> (1) | Incentive <br> (2) | (3) | (4) | (5) |
| Female | 0.49 | 0.48 | 0.50 | 724 | 0.66 |
| Age | 23.95 | 24.13 | 2.21 | 724 | 0.28 |
| Born in Addis Ababa | 0.20 | 0.17 | 0.40 | 724 | 0.22 |
| Wage work experience (dummy) | 0.40 | 0.43 | 0.49 | 724 | 0.45 |
| Wage work experience (months) | 20.98 | 20.90 | 23.04 | 235 | 0.98 |
| Currently unemployed | 0.77 | 0.82 | 0.42 | 724 | 0.08 |
| Overall balance |  |  |  |  | 0.22 |

Notes: In this Table, we present summary and balance statistics for the sample of individuals that participated in the new survey fielded in 2019/2020. We present summary statistics in columns 1-4. In column 5 , we report the $p$-value of a test of covariate balance. We first report balance tests for single covariates and then, in the last row, report a joint test of orthogonality (following the recent literature, e.g. McKenzie (2017)). To perform the joint test of orthogonality we regress the treatment variable on all covariates and we then test the joint hypothesis that all covariates have a zero coefficient. Sample used: 2020 survey sample.

Table A42: Survey experiment on job-attribute beliefs: Results

|  | Expectations |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Holidays <br> $(1)$ | Overtime <br> $(2)$ | Satisfaction <br> $(3)$ | Autonomy <br> $(4)$ | Career <br> $(5)$ | Enjoyable <br> $(6)$ |
| Incentive | -0.019 | 0.011 | -0.017 | -0.017 | 0.033 | -0.003 |
|  | $(0.037)$ | $(0.034)$ | $(0.037)$ | $(0.029)$ | $(0.034)$ | $(0.037)$ |
|  |  |  |  |  |  |  |

Notes: OLS regression. The second to last row reports the $p$-value of a test of the null hypothesis that the treatments have the same effect. 'Holiday' is a dummy variable capturing whether the respondent believes the job has more than four days of holiday per month. 'Overtime' is a dummy variable capturing whether the respondent believes the job will require work in the evenings. 'Satisfaction' is a dummy variable capturing whether the respondent believes the job will be satisfying. 'Autonomy' is a dummy variable capturing whether the respondent believes he or she will have freedom to organise their own schedule at work. 'Career' is a dummy variable capturing whether the respondent believes the experience in this job will help them find other jobs in the future. 'Enjoyable' is a dummy variable capturing whether the respondent believes the work environment will be pleasant. Robust standard errors reported in parenthesis. Sample used: 2020 survey sample.
Table A43: Impacts on individual psychological traits

|  | Conscientiousness | Neuroticism | Openness | Extraversion | Agreeableness | Grit | Locus of control | Core self-evaluaton | Self-esteem |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) |
| Incentive | $\begin{gathered} 0.005 \\ (0.026) \end{gathered}$ | $\begin{gathered} 0.020 \\ (0.033) \end{gathered}$ | $\begin{gathered} 0.020 \\ (0.022) \end{gathered}$ | $\begin{gathered} -0.011 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.041 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.033 \\ (0.025) \end{gathered}$ | $\begin{gathered} -0.114 \\ (0.518) \end{gathered}$ | $\begin{gathered} -0.152 \\ (0.185) \end{gathered}$ | $\begin{gathered} -0.040 \\ (0.028) \end{gathered}$ |
| High Wage | $\begin{gathered} 0.032 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.032 \\ (0.031) \end{gathered}$ | $\begin{gathered} 0.030 \\ (0.021) \end{gathered}$ | $\begin{gathered} 0.018 \\ (0.024) \end{gathered}$ | $\begin{gathered} 0.041 \\ (0.023) \end{gathered}$ | $\begin{gathered} 0.029 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.816 \\ (0.490) \end{gathered}$ | $\begin{gathered} -0.010 \\ (0.183) \end{gathered}$ | $\begin{gathered} 0.019 \\ (0.026) \end{gathered}$ |
| Control Mean | 4.539 | 1.762 | 4.115 | 3.467 | 4.244 | 3.862 | 35.309 | 23.431 | 4.121 |
| St. dev. | 0.488 | 0.620 | 0.435 | 0.464 | 0.481 | 0.475 | 9.817 | 3.545 | 0.520 |
| Incentive $=$ Wage ( $p$ ) | 0.234 | 0.076 | 0.573 | 0.193 | 0.995 | 0.006 | 0.121 | 0.396 | 0.015 |
| Obs. | 2385 | 2385 | 2385 | 2385 | 2385 | 2373 | 2378 | 2377 | 2363 |

Notes: OLS regressions. The dependent variable is reported in the column headings. The first five columns report impacts on each of the big five personality traits (John and Srivastava, 1999). Columns (6)-(9) report impacts on grit (Duckworth et al., 2007), core self evaluation (Gardner and Pierce, 2010), locus of control scale (Lefcourt, 1991) and self-esteem (Rosenberg, 1986). The second to last row reports the $p$-value of a test
of the null hypothesis that the treatments have the same effect. Robust standard errors reported in parenthesis. Sample used: all applicants.
Table A44: Impacts on specific work experience

|  | Routine | Physical | Managerial | Problem-solving | Math | Reading | Client |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) |
| Incentive | $\begin{gathered} -0.172 \\ (1.865) \end{gathered}$ | $\begin{gathered} 0.599 \\ (1.122) \end{gathered}$ | $\begin{gathered} -0.816 \\ (1.173) \end{gathered}$ | $\begin{aligned} & -1.320 \\ & (1.732) \end{aligned}$ | $\begin{gathered} -1.157 \\ (1.585) \end{gathered}$ | $\begin{gathered} 0.450 \\ (1.831) \end{gathered}$ | $\begin{gathered} 0.041 \\ (0.026) \end{gathered}$ |
| High Wage | $\begin{aligned} & -0.715 \\ & (1.732) \end{aligned}$ | $\begin{gathered} 2.870 \\ (2.145) \end{gathered}$ | $\begin{gathered} -0.159 \\ (1.179) \end{gathered}$ | $\begin{gathered} -0.939 \\ (1.725) \end{gathered}$ | $\begin{aligned} & -0.564 \\ & (1.578) \end{aligned}$ | $\begin{gathered} -0.096 \\ (1.661) \end{gathered}$ | $\begin{gathered} 0.027 \\ (0.025) \end{gathered}$ |
| Control Mean | 13.029 | 6.480 | 8.566 | 11.328 | 8.534 | 10.904 | 0.347 |
| St. dev. | 36.669 | 19.374 | 24.005 | 37.380 | 34.780 | 35.069 | 0.477 |
| Incentive $=$ Wage ( $p$ ) | 0.707 | 0.291 | 0.485 | 0.748 | 0.563 | 0.706 | 0.558 |
| Obs. | 2311 | 2310 | 2311 | 2311 | 2311 | 2311 | 2310 |

Notes: OLS regressions. The dependent variable is reported in the column headings. All dependent variables refer to specific dimensions of job experience, measured using the questionnaire developed by Autor and Handel (2013). The variables reported in columns (1)-(6) measure the number of months of experience in a job where the task indicated in the variable name was regularly performed. 'Routine' refers to short, repetitive tasks; 'managerial' refers to tasks such as managing and supervising other workers; 'physical' refers to physical tasks such as standing, handling objects, operating machinery or vehicles, or making or fixing things with one's hands; 'problem-solving' refers to tasks where the worker is faced with a new or difficult situation where they have to think for at least 30 minutes to find a good solution; 'math' refers to advanced mathematics such as algebra, geometry, trigonometry, probability, or calculus; 'reading' refers to tasks that require reading documents that are longer than ten pages. Column (7), 'client-service', is a dummy variable that takes a value of one if the respondent has substantial experience interacting face-to-face with clients, customers, suppliers or contractors. Robust standard errors reported in parenthesis. Sample used: all applicants.

Table A45: Identification (noisy-ability case)
Structural parameters (13) Moments (14/16)

$$
\begin{array}{ccc}
\text { Quality and costs: } \quad \Leftrightarrow & \mathrm{E}\left[T \mid \text { appl } y, B=b_{z}, \text { control }\right], \\
\mu_{T_{l}}, \sigma_{T_{l}}, \mu_{C_{l}}, & \mathrm{SD}\left[T \mid \text { apply }, B=b_{z}, \text { control }\right], \\
\mu_{T_{h}}, \sigma_{T_{h}}, \mu_{C_{h}} & \operatorname{Pr}\left[\text { apply } \mid B=b_{z}, \text { control }\right] \\
\text { for } z \in\{l, h\}
\end{array}
$$

Shocks and st. dev. of costs: $\Leftrightarrow \Delta$ Applications $\left[B=b_{z}\right.$, incentive $]$

$$
\sigma_{C_{l}}, \sigma_{C_{h}}, \tau, \tau^{w}
$$

$$
\Delta \text { Applications }\left[B=b_{z}, \text { wage }\right]
$$

$$
\text { for } z \in\{l, h\}
$$

Covariance and selectivity: $\Leftrightarrow \Delta$ ApplicantAbility $\left[B=b_{z}\right.$, incentive $]$, $\sigma_{T C_{l}}, \sigma_{T C_{h}}, a$ $\Delta$ ApplicantAbility $\left[B=b_{z}\right.$, wage $]$

$$
\begin{gathered}
\mathrm{E}\left[\operatorname{Pr}\left[T>a \mid B=b_{z}, C=c\right]\right] \\
\text { for } z \in\{l, h\} \\
\hline
\end{gathered}
$$

Table A46: Identification (noisy-selection case)
Structural parameters (14) Moments (14/16)

$$
\begin{array}{ccc}
\text { Quality and costs: } \quad \Leftrightarrow & \mathrm{E}\left[T \mid \text { appl } y, B=b_{z}, \text { control }\right], \\
\mu_{T_{l}}, \sigma_{T_{l}}, \mu_{C_{l}}, & \mathrm{SD}\left[T \mid \text { apply }, B=b_{z}, \text { control }\right], \\
\mu_{T_{h}}, \sigma_{T_{h}}, \mu_{C_{h}} & \operatorname{Pr}\left[\text { apply } \mid B=b_{z}, \text { control }\right] \\
& \text { for } z \in\{l, h\}
\end{array}
$$

Shocks and st. dev. of costs: $\Leftrightarrow \Delta$ Applications $\left[B=b_{z}\right.$, incentive $]$

$$
\sigma_{C_{l}}, \sigma_{C_{h}}, \tau, \tau^{w}
$$

$\Delta$ Applications $\left[B=b_{z}\right.$, wage $]$

$$
\text { for } z \in\{l, h\}
$$

Covariance and selectivity: $\Leftrightarrow \Delta$ ApplicantAbility $\left[B=b_{z}\right.$, incentive], $\sigma_{T C_{l}}, \sigma_{T C_{h}}, \mu_{a}, \sigma_{a}$ $\Delta$ ApplicantAbility $\left[B=b_{z}\right.$, wage $]$ $\mathrm{E}[\operatorname{Pr}[T>a]]$ for $z \in\{l, h\}$

Table A47: Additional parameter estimates

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Low $B$ |  |  |  |  |  |
| $\mu_{T}$ | 45.605 | 45.697 | 45.373 | 45.357 |  |  |
| $\sigma_{T}$ | $(1.11)$ | $(0.97)$ | $(2.76)$ | $(3.15)$ |  |  |
|  | 13.785 | 13.818 | 13.674 | 13.667 |  |  |
|  | $(0.76)$ | $(0.73)$ | $(1.58)$ | $(1.75)$ |  |  |
|  |  |  |  |  |  |  |
| $\mu_{T}$ | 46.365 | 46.457 | 46.885 | 46.905 |  |  |
|  | $(1.03)$ | $(1.03)$ | $(3.64)$ | $(3.59)$ |  |  |
| $\sigma_{T}$ | 14.293 | 14.348 | 14.531 | 14.541 |  |  |
|  | $(0.87)$ | $(0.87)$ | $(2.26)$ | $(2.21)$ |  |  |
| Information | Noisy ability |  |  |  |  | Noisy selectivity |
| Moments | 14 | 16 | 14 | 16 |  |  |

Notes: The table shows the additional parameters of the marginal distribution of ability that we did not report in Table 4. We report both estimates for the noisy-ability case (columns 1 and 2) and the noisy-selection case (columns 3 and 4). Estimation is based on minimum distance estimation. Column (1) and (3) use 14 moments (reported in Table A48 and Table A50). Column (2) and (4) use 16 moments (reported in Table A49 and Table A51 ). Standard errors obtained through a bootstrap of the structural estimation reported in parenthesis. The bootstrap includes the estimation of $B$ and the demediation procedure.

# Table A48: Fit between empirical and simulated moments (noisy-ability case, core moments) 

| Moment | Empirical | Simulated |
| :---: | :---: | :---: |
| Low B |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{l}$, control $]$ | 47.648 | 47.651 |
| $\mathrm{E}\left[T \mid\right.$ apply,$~ B=b_{l}$, control $]$ | 38.225 | 38.234 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{l}$, control] | 11.811 | 11.812 |
| $\Delta$ Applications $\left[B=b_{l}\right.$, incentive] | 10.952 | 11.165 |
| $\Delta$ Applications [ $B=b_{l}$, wage] | 14.286 | 13.713 |
| $\Delta \mathrm{Ability}\left[B=b_{l}\right.$, incentive $]$ | 1.973 | 1.536 |
| $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ | 1.462 | 1.872 |
| High B |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 49.667 | 49.662 |
| $\mathrm{E}\left[T \mid a p p l y, B=b_{h}\right.$, control $]$ | 39.812 | 39.803 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control] | 12.715 | 12.715 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive] | 8.337 | 8.749 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage] | 12.033 | 11.291 |
| $\Delta$ Ability $\left[B=b_{h}\right.$, incentive] | 2.332 | 1.107 |
| $\Delta \mathrm{Ability}\left[B=b_{h}\right.$, wage $]$ | 0.581 | 1.418 |

Notes: The table shows the empirical and simulated moments for the structural estimates reported in column (1) of Table 4 (noisy-ability case, core moments). $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{l}$, control is the application rate for low- $B$ jobseekers in the control group. $\mathrm{E}\left[T \mid a p p l y, B=b_{l}\right.$, control $]$ is the average ability among control applicants from the low- $B$ group. $\mathrm{SD}\left[T \mid\right.$ apply, $B=b_{l}$, control $]$ is the standard deviation of ability among control applicants from the low- $B$ group. $\Delta$ Applications $\left[B=b_{l}\right.$, incentive $]$ is the change in application rates generated by the incentive intervention among low- $B$ jobseekers. $\Delta$ Applications $\left[B=b_{l}\right.$, wage $]$ is the change in application rates generated by the high wage intervention among low- $B$ jobseekers. $\Delta$ Ability $\left[B=b_{l}\right.$, incentive] is the change in average applicant ability generated by the incentive intervention among low- $B$ jobseekers. $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ is the change in average applicant ability generated by the high wage intervention among low- $B$ jobseekers. Moments for high- $B$ jobseekers are defined in a similar way. To generate the two groups, we first drop observations with a negative estimated value of $B$. We then split the remaining observations at the median value of $B$.

Table A49: Fit between empirical and simulated moments (noisy-ability case, core moments + beliefs)

| Moment | Empirical | Simulated |
| :--- | :--- | :--- |
| Low $B$ |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{l}$, control $]$ | 47.648 | 47.626 |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{l}$, control $]$ | 38.225 | 38.270 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{l}$, control $]$ | 11.811 | 11.820 |
|  |  |  |
| $\Delta \mathrm{Applications}\left[B=b_{l}\right.$, incentive $]$ | 10.952 | 11.117 |
| $\Delta \mathrm{Applications}\left[B=b_{l}\right.$, wage $]$ | 14.286 | 13.785 |
| $\Delta \mathrm{Ability}\left[B=b_{l}\right.$, incentive $]$ | 1.973 | 1.540 |
| $\Delta \mathrm{Ability}\left[B=b_{l}\right.$, wage $]$ | 1.462 | 1.895 |
|  |  |  |
| $\mathrm{E}\left[\operatorname{Pr}[T>a] \mid C=c, B=b_{l}\right]$ | 0.482 | 0.464 |
|  |  |  |
|  |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 49.667 | 49.689 |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 39.812 | 39.762 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 12.715 | 12.708 |
|  |  |  |
| $\Delta \mathrm{Applications}\left[B=b_{h}\right.$, incentive $]$ | 8.337 | 8.811 |
| $\Delta \mathrm{Applications}\left[B=b_{h}\right.$, wage $]$ | 12.033 | 11.119 |
| $\Delta \mathrm{Ability}\left[B=b_{h}\right.$, incentive $]$ | 2.332 | 1.138 |
| $\Delta \mathrm{Ability}\left[B=b_{h}\right.$, wage $]$ | 0.581 | 1.426 |
| $\mathrm{E}\left[\operatorname{Pr}[T>a] \mid C=c, B=b_{h}\right]$ | 0.468 | 0.487 |
|  |  |  |

Notes: The table shows the empirical and simulated moments for the structural estimates reported in column (2) of Table 4 (noisy-ability case, core moments + beliefs). $\operatorname{Pr}\left[a p p l y \mid B=b_{l}\right.$, control is the application rate for low- $B$ jobseekers in the control group. $\mathrm{E}\left[T \mid\right.$ apply, $B=b_{l}$, control $]$ is the average ability among control applicants from the low- $B$ group. $\mathrm{SD}\left[T \mid\right.$ apply, $B=b_{l}$, control] is the standard deviation of ability among control applicants from the low- $B$ group. $\Delta$ Applications $\left[B=b_{l}\right.$, incentive] is the change in application rates generated by the incentive intervention among low- $B$ jobseekers. $\Delta$ Applications $\left[B=b_{l}\right.$, wage $]$ is the change in application rates generated by the high wage intervention among low- $B$ jobseekers. $\Delta$ Ability $[B=$ $b_{l}$, incentive] is the change in average applicant ability generated by the incentive intervention among low$B$ jobseekers. $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ is the change in average applicant ability generated by the high wage intervention among low- $B$ jobseekers. $E\left[\operatorname{Pr}[T>a] \mid C=c, B=b_{l}\right]$ is the average forecast of the probability of being offered the job among low- $B$ jobseekers. Moments for high- $B$ jobseekers are defined in a similar way. To generate the two groups, we first drop observations with a negative estimated value of $B$. We then split the remaining observations at the median value of $B$.

# Table A50: Fit between empirical and simulated moments (noisy-selection case, core moments) 

| Moment | Empirical | Simulated |
| :---: | :---: | :---: |
| Low B |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{l}$, control $]$ | 47.648 | 47.647 |
| $\mathrm{E}\left[T \mid\right.$ apply, $B=b_{l}$, control $]$ | 38.225 | 38.225 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{l}$, control $]$ | 11.811 | 11.811 |
| $\Delta$ Applications $\left[B=b_{l}\right.$, incentive $]$ | 10.952 | 11.128 |
| $\Delta$ Applications [ $B=b_{l}$, wage] | 14.286 | 13.878 |
| $\Delta \mathrm{Ability}\left[B=b_{l}\right.$, incentive] | 1.973 | 1.484 |
| $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ | 1.462 | 1.837 |
| High B |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 49.667 | 49.666 |
| $\mathrm{E}\left[T \mid a p p l y, B=b_{h}\right.$, control] | 39.812 | 39.813 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 12.715 | 12.715 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive $]$ | 8.337 | 8.817 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage] | 12.033 | 11.006 |
| $\Delta \mathrm{Ability}\left[B=b_{h}\right.$, incentive] | 2.332 | 1.202 |
| $\Delta \mathrm{Ability}\left[B=b_{h}\right.$, wage $]$ | 0.581 | 1.492 |

Notes: The table shows the empirical and simulated moments for the structural estimates reported in column (3) of Table 4 (noisy-selection case, core moments). $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{l}$, control is the application rate for low- $B$ jobseekers in the control group. $\mathrm{E}\left[T \mid\right.$ apply, $B=b_{l}$, control] is the average ability among control applicants from the low- $B$ group. $\mathrm{SD}\left[T \mid\right.$ apply, $B=b_{l}$, control $]$ is the standard deviation of ability among control applicants from the low- $B$ group. $\Delta$ Applications $\left[B=b_{l}\right.$, incentive $]$ is the change in application rates generated by the incentive intervention among low- $B$ jobseekers. $\Delta$ Applications $\left[B=b_{l}\right.$, wage $]$ is the change in application rates generated by the high wage intervention among low- $B$ jobseekers. $\Delta$ Ability $\left[B=b_{l}\right.$, incentive] is the change in average applicant ability generated by the incentive intervention among low- $B$ jobseekers. $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ is the change in average applicant ability generated by the high wage intervention among low- $B$ jobseekers. Moments for high- $B$ jobseekers are defined in a similar way. To generate the two groups, we first drop observations with a negative estimated value of $B$. We then split the remaining observations at the median value of $B$.

Table A51: Fit between empirical and simulated moments (noisy-selection case, core moments + beliefs)

| Moment | Empirical | Simulated |
| :---: | :---: | :---: |
| Low B |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{l}$, control $]$ | 47.648 | 47.647 |
| $\mathrm{E}\left[T \mid\right.$ apply,$~ B=b_{l}$, control] | 38.225 | 38.225 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{l}$, control] | 11.811 | 11.811 |
| $\Delta$ Applications $\left[B=b_{l}\right.$, incentive] | 10.952 | 11.132 |
| $\Delta$ Applications [ $B=b_{l}$, wage] | 14.286 | 13.881 |
| $\Delta \mathrm{Ability}\left[B=b_{l}\right.$, incentive] | 1.973 | 1.482 |
| $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ | 1.462 | 1.834 |
| $\mathrm{E}[\operatorname{Pr}[T>a]]$ | 0.482 | 0.478 |
| High B |  |  |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control] | 49.667 | 49.666 |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{h}$, control] | 39.812 | 39.812 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control] | 12.715 | 12.715 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive $]$ | 8.337 | 8.812 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage $]$ | 12.033 | 10.999 |
| $\Delta \mathrm{Ability}\left[B=b_{h}\right.$, incentive $]$ | 2.332 | 1.205 |
| $\Delta$ Ability $\left[B=b_{h}\right.$, wage $]$ | 0.581 | 1.496 |
| $\mathrm{E}[\operatorname{Pr}[T>a]]$ | 0.468 | 0.478 |

Notes: The table shows the empirical and simulated moments for the structural estimates reported in column (4) of Table 4 (noisy-selection case, core moments + beliefs). $\operatorname{Pr}\left[a p p l y \mid B=b_{l}\right.$, control is the application rate for low- $B$ jobseekers in the control group. $\mathrm{E}\left[T \mid\right.$ apply, $B=b_{l}$, control $]$ is the average ability among control applicants from the low- $B$ group. $\mathrm{SD}\left[T \mid\right.$ apply, $B=b_{l}$, control] is the standard deviation of ability among control applicants from the low- $B$ group. $\Delta$ Applications $\left[B=b_{l}\right.$, incentive] is the change in application rates generated by the incentive intervention among low- $B$ jobseekers. $\Delta$ Applications $\left[B=b_{l}\right.$, wage $]$ is the change in application rates generated by the high wage intervention among low- $B$ jobseekers. $\Delta$ Ability $[B=$ $b_{l}$, incentive] is the change in average applicant ability generated by the incentive intervention among low$B$ jobseekers. $\Delta$ Ability $\left[B=b_{l}\right.$, wage $]$ is the change in average applicant ability generated by the high wage intervention among low- $B$ jobseekers. $E\left[\operatorname{Pr}[T>a] \mid B=b_{l}\right]$ is the average forecast of the probability of being offered the job among low- $B$ jobseekers. Moments for high- $B$ jobseekers are defined in a similar way. To generate the two groups, we first drop observations with a negative estimated value of $B$. We then split the remaining observations at the median value of $B$.

Table A52: Elasticity of simulated moments (noisy-ability case, core moments)

|  | $\mu_{T}$ | $\sigma_{T}$ | $\mu_{C}$ | $\sigma_{C}$ | $\sigma_{T C}$ | $a$ | $\tau$ | $\tau^{w}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 2.487 | 0.163 | 0.317 | 0.219 | 0.226 | 1.339 | 0.000 | 0.000 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 0.472 | 1.321 | 0.110 | 0.275 | 0.283 | 0.440 | 0.000 | 0.000 |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 8.246 | 1.005 | 1.929 | 0.346 | 0.364 | 8.048 | 0.000 | 0.000 |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive $]$ | 3.095 | 2.190 | 0.672 | 5.204 | 2.726 | 6.111 | 1.021 | 0.000 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage $]$ | 15.570 | 1.612 | 2.595 | 6.191 | 3.233 | 18.728 | 0.000 | 1.249 |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
| $\Delta$ Ability $\left[B=b_{h}\right.$, incentive $]$ | 0.506 | 2.466 | 0.027 | 6.124 | 3.802 | 2.953 | 0.993 | 0.000 |
| $\Delta$ Ability $\left[B=b_{h}\right.$, wage $]$ | 12.593 | 1.869 | 1.890 | 7.037 | 4.287 | 15.682 | 0.000 | 1.213 |
|  |  |  |  |  |  |  |  |  |

Notes: The table reports the moment elasticity for the high- $B$ group and the noisy-ability case, estimated using fourteen moments. The corresponding parameter estimates are reported in column (1) of Table 4. As in Kaboski and Townsend (2011) and Lagakos et al. (2017), we first compute all moments using the structural estimates of the parameters. We then shock by one percent the value of each parameter at a time, and compute the percent change in the simulated moments.

Table A53: Elasticity of simulated moments
(noisy-ability case, core moments + beliefs)

|  | $\mu_{T}$ | $\sigma_{T}$ | $\mu_{C}$ | $\sigma_{C}$ | $\sigma_{T C}$ | $a$ | $\tau$ | $\tau^{w}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |  |  |  |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 2.907 | 0.030 | 0.546 | 0.184 | 0.181 | 1.798 | 0.000 | 0.000 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 0.637 | 1.283 | 0.189 | 0.275 | 0.283 | 0.598 | 0.000 | 0.000 |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 10.652 | 0.177 | 3.256 | 0.091 | 0.083 | 10.529 | 0.000 | 0.000 |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive $]$ | 5.070 | 3.353 | 0.463 | 6.325 | 3.655 | 0.598 | 0.974 | 0.000 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage $]$ | 2.725 | 3.831 | 1.547 | 7.240 | 4.317 | 10.806 | 0.000 | 1.106 |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
| $\Delta$ Ability $\left[B=b_{h}\right.$, incentive $]$ | 7.858 | 3.322 | 1.626 | 7.120 | 4.615 | 3.674 | 0.940 | 0.000 |
| $\Delta$ Ability $\left[B=b_{h}\right.$, wage $]$ | 0.196 | 3.773 | 0.407 | 7.980 | 5.245 | 6.781 | 0.000 | 1.073 |
| $E\left[\operatorname{Pr}[T>a] \mid C=c, B=b_{h}\right]$ | 1.326 | 0.013 | 0.000 | 0.000 | 0.000 | 2.790 | 0.000 | 0.000 |
|  |  |  |  |  |  |  |  |  |

Notes: The table reports the moment elasticity for the high- $B$ group and the noisy-ability case, estimated using sixteen moments. The corresponding parameter estimates are reported in column (2) of Table 4. As in Kaboski and Townsend (2011) and Lagakos et al. (2017), we first compute all moments using the structural estimates of the parameters. We then shock by one percent the value of each parameter at a time, and compute the percent change in the simulated moments.

Table A54: Elasticity of simulated moments (noisy-selection case, core moments)

|  | $\mu_{T}$ | $\sigma_{T}$ | $\mu_{C}$ | $\sigma_{C}$ | $\sigma_{T C}$ | $\mu_{a}$ | $\sigma_{a}$ | $\tau$ | $\tau^{w}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 1.178 | 0.000 | 0.211 | 0.176 | 0.178 | 0.043 | 0.045 | 0.000 | 0.000 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 0.000 | 1.306 | 0.079 | 0.299 | 0.307 | 0.016 | 0.016 | 0.000 | 0.000 |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 0.002 | 0.000 | 1.184 | 0.006 | 0.000 | 0.246 | 0.248 | 0.000 | 0.000 |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive $]$ | 0.000 | 0.000 | 0.141 | 0.978 | 0.000 | 0.032 | 0.031 | 0.984 | 0.000 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage $]$ | 0.000 | 0.000 | 0.182 | 0.963 | 0.000 | 0.164 | 0.164 | 0.000 | 0.981 |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| $\Delta$ Ability $\left[B=b_{h}\right.$, incentive $]$ | 0.000 | 0.000 | 0.549 | 1.938 | 1.006 | 0.116 | 0.116 | 0.957 | 0.000 |
| $\Delta$ Ability $\left[B=b_{h}\right.$, wage $]$ | 0.000 | 0.000 | 0.563 | 1.917 | 1.005 | 0.080 | 0.080 | 0.000 | 0.945 |

Notes: The table reports the moment elasticity for the high- $B$ group and the noisy-selection case, estimated using fourteen moments. The corresponding parameter estimates are reported in column (3) of Table 4. As in Kaboski and Townsend (2011) and Lagakos et al. (2017), we first compute all moments using the structural estimates of the parameters. We then shock by one percent the value of each parameter at a time, and compute the percent change in the simulated moments.

> Table A55: Elasticity of simulated moments (noisy-selection case, core moments + beliefs)

|  | $\mu_{T}$ | $\sigma_{T}$ | $\mu_{C}$ | $\sigma_{C}$ | $\sigma_{T C}$ | $\mu_{a}$ | $\sigma_{a}$ | $\tau$ | $\tau^{w}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{E}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 1.181 | 0.003 | 0.153 | 0.178 | 0.178 | 0.008 | 0.008 | 0.000 | 0.000 |
| $\mathrm{SD}\left[T \mid\right.$ apply,$B=b_{h}$, control $]$ | 0.000 | 1.306 | 0.055 | 0.299 | 0.315 | 0.008 | 0.000 | 0.000 | 0.000 |
| $\operatorname{Pr}\left[\right.$ apply $\mid B=b_{h}$, control $]$ | 0.002 | 0.000 | 0.874 | 0.006 | 0.000 | 0.042 | 0.040 | 0.000 | 0.000 |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| $\Delta$ Applications $\left[B=b_{h}\right.$, incentive $]$ | 0.000 | 0.000 | 0.107 | 0.976 | 0.001 | 0.006 | 0.005 | 0.985 | 0.000 |
| $\Delta$ Applications $\left[B=b_{h}\right.$, wage $]$ | 0.000 | 0.000 | 0.136 | 0.973 | 0.000 | 0.045 | 0.036 | 0.000 | 0.973 |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| $\Delta$ Ability $\left[B=b_{h}\right.$, incentive $]$ | 0.000 | 0.000 | 0.407 | 1.933 | 1.004 | 0.017 | 0.017 | 0.954 | 0.000 |
| $\Delta$ Ability $\left[B=b_{h}\right.$, wage $]$ | 0.007 | 0.000 | 0.421 | 1.919 | 1.003 | 0.027 | 0.027 | 0.000 | 0.949 |
| $E[\operatorname{Pr}[T>a]]$ |  |  |  |  |  |  |  |  |  |

Notes: The table reports the moment elasticity for the high- $B$ group and the noisy-selection case, estimated using sixteen moments. he corresponding parameter estimates are reported in column (4) of Table 4. As in Kaboski and Townsend (2011) and Lagakos et al. (2017), we first compute all moments using the structural estimates of the parameters. We then shock by one percent the value of each parameter at a time, and compute the percent change in the simulated moments.

## Table A56: Robustness of parameter estimates (noisy-ability case)

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Low $B$ |  |  |  |  | Low $B$ |
| $\mu_{C}$ | 112.270 | 137.790 | 136.100 | 136.260 | 115.130 | 154.300 |
| $\sigma_{C}$ | 190.750 | 193.170 | 192.980 | 192.750 | 244.900 | 178.580 |
| $\rho$ | 0.733 | 0.639 | 0.640 | 0.640 | 0.673 | 0.482 |
|  | High $B$ |  |  |  |  | Medium $B$ |
| $\mu_{C}$ | 206.860 | 216.340 | 217.510 | 217.350 | 133.090 | 220.890 |
| $\sigma_{C}$ | 213.610 | 244.670 | 244.930 | 245.220 | 203.250 | 212.190 |
| $\rho$ | 0.587 | 0.572 | 0.572 | 0.571 | 0.506 | 0.765 |
|  |  |  |  |  |  | High $B$ |
| $\mu_{C}$ |  |  |  |  |  | 270.270 |
| $\sigma_{C}$ |  |  |  |  |  | 213.910 |
| $\rho$ |  |  |  |  |  | 0.629 |
| $a$ | 2.479 | 50.301 | 50.431 | 50.429 | 50.239 | 48.829 |
|  |  | 50.504 |  |  |  |  |
| $\tau$ | 10.889 | 19.045 | 19.092 | 18.971 | 39.747 | 7.153 |
|  |  |  |  | 19.191 |  |  |
| $\tau^{w}$ | 34.077 | 55.481 | 56.187 | 55.677 | 127.140 | 9.941 |
|  |  |  | 55.225 |  |  |  |
| Goodness of fit | . 34147 | 2.2614 | 2.2618 | 2.2626 | 4.8354 | 3.0429 |

Notes: The table shows parameter estimates for the noisy-ability model. Estimation is based on minimum distance estimation. The model in column (1) uses moments based on the cognitive ability score (as opposed to the Raven test score). The model in columns (2)-(4) use the 14 moments reported in Table A48. These models let, in turn, $a, \tau^{w}$, and $\tau$ differ by $B$ group. For each model, we first report the value of the parameter for the low- $B$ group and, in the row below, we report the value for the high- $B$ group. The model in column (5) uses moments obtained by predicting $B$ using an OLS model instead of the post-LASSO estimator. The model in column (6) allows for three types of $B$. Costs are expressed in Ethiopian Birr.

Table A57: Parameter estimates: heterogeneity by age

|  | Old | Young |
| :--- | :--- | :--- |
| $\mu_{T}$ | 45.475 | 45.653 |
| $\sigma_{T}$ | 13.136 | 14.338 |
| $\mu_{C}$ | 200.670 | 262.760 |
| $\sigma_{C}$ | 223.350 | 241.070 |
| $\rho$ | 0.578 | 0.580 |
| $a$ | 46.315 |  |
| $\tau$ | 23.487 |  |
| $\tau^{w}$ | 54.258 |  |
| Goodness of fit | 4.7357 |  |

Notes: Estimates from classical minimum distance estimator. Noisy-ability case. Empirical moments obtained by splitting the sample by age. Empirical and simulated moments reported in Table A59. Costs are expressed in Ethiopian Birr.

Table A58: Parameter estimates: heterogeneity by gender

|  | Men | Women |
| :--- | :--- | :--- |
| $\mu_{T}$ | 46.508 | 44.355 |
| $\sigma_{T}$ | 13.628 | 14.911 |
| $\mu_{C}$ | 241.340 | 211.490 |
| $\sigma_{C}$ | 225.580 | 219.840 |
| $\rho$ | 0.616 | 0.598 |
| $a$ | 46.923 |  |
| $\tau$ | 17.424 |  |
| $\tau^{w}$ | 44.299 |  |
| Goodness of fit | 18.535 |  |

Notes: Estimates from classical minimum distance estimator. Noisy-ability case. Empirical moments obtained by splitting the sample by age. Empirical and simulated moments reported in Table A60. Costs are expressed in Ethiopian Birr.

Table A59: Fit between empirical and simulated moments: heterogeneity by age (noisy-ability case, core moments + beliefs)

| Moment | Empirical | Simulated |
| :---: | :---: | :---: |
| Old |  |  |
| $\operatorname{Pr}[$ apply $\mid$ old, control] | 48.611 | 48.665 |
| $\mathrm{E}[T \mid$ apply, old, control] | 39.132 | 39.253 |
| $\mathrm{SD}[T \mid$ apply, old, control] | 11.656 | 11.637 |
| $\Delta$ Applications[old, incentive] | 8.213 | 8.910 |
| $\Delta$ Applications[old, wage] | 13.606 | 11.031 |
| $\Delta$ Ability[old, incentive] | 0.618 | 1.055 |
| $\Delta$ Ability[old, wage] | 0.265 | 1.298 |
| $\mathrm{E}[\operatorname{Pr}[T>a] \mid C=c$, old $]$ | 0.474 | 0.475 |
| Young |  |  |
| $\operatorname{Pr}$ [apply\|young, control] | 48.621 | 48.580 |
| $\mathrm{E}[T \mid$ apply, young, control] | 38.929 | 38.825 |
| $\mathrm{SD}[T \mid$ apply, young, control] | 12.666 | 12.688 |
| $\Delta$ Applications[young, incentive] | 10.645 | 10.718 |
| $\Delta$ Applications[young, wage] | 12.919 | 13.903 |
| $\Delta$ Ability[young, incentive] | 2.974 | 1.383 |
| $\Delta$ Ability[young, wage] | 1.540 | 1.778 |
| $\mathrm{E}[\operatorname{Pr}[T>a] \mid C=c$, young $]$ | 0.475 | 0.482 |

Notes: The table shows the empirical and simulated moments for the structural estimates reported in Table A57.

Table A60: Fit between empirical and simulated moments: heterogeneity by gender (noisy-ability case, core moments + beliefs)

| Moment | Empirical | Simulated |
| :---: | :---: | :---: |
| Men |  |  |
| $\operatorname{Pr}[$ apply $\mid$ male, control] | 48.028 | 48.083 |
| $\mathrm{E}[T \mid$ apply, male, control] | 39.656 | 39.554 |
| SD [T\|apply, male, control] | 11.992 | 11.839 |
| $\Delta$ Applications[male, incentive] | 10.677 | 9.498 |
| $\Delta$ Applications[male, wage] | 14.409 | 13.749 |
| $\Delta$ Ability[male, incentive] | 0.812 | 1.246 |
| $\Delta$ Ability[male, wage] | 0.668 | 1.780 |
| $\mathrm{E}[\operatorname{Pr}[T>a] \mid C=c$, male $]$ | 0.475 | 0.488 |
| Women |  |  |
| $\operatorname{Pr}[$ apply $\mid$ female, control] | 50.435 | 50.335 |
| $\mathrm{E}[T \mid$ apply, female, control] | 37.087 | 37.286 |
| $\mathrm{SD}[T \mid$ apply, female, control] | 12.945 | 13.108 |
| $\Delta$ Applications[female, incentive] | 6.769 | 9.981 |
| $\Delta$ Applications[female, wage] | 13.872 | 13.044 |
| $\Delta$ Ability[female, incentive] | 5.898 | 1.368 |
| $\Delta$ Ability[female, wage] | 2.035 | 1.773 |
| $\mathrm{E}[\operatorname{Pr}[T>a] \mid C=c, \mathrm{female}]$ | 0.473 | 0.432 |

Notes: The table shows the empirical and simulated moments for the structural estimates reported in Table A58.

## B Proofs

Proposition 2 Suppose $(T, B, C)$ are observable and distributed according to Assumptions 1 and 2.
Further assume jobseekers anticipate that the threshold necessary to get the job is a $\sim \mathcal{N}\left(\mu_{a}, \sigma_{a}\right)$. Then it follows that for each $B=b_{z}>0$, the application incentive (i) increases application rates, and (ii) increases the average ability of applicants, whenever

$$
\frac{\sigma_{T_{z}}}{\sigma_{a} \sigma_{C_{z}}} \frac{b_{z}}{\sqrt{2 \pi}} \leq \rho_{z}
$$

Proof. The application incentive is modeled as a shock that lowers application costs, shifting the distribution of $C_{z}$ by an amount $\tau$ for all $B$-types; so the proof requires exploring the conditions under which application rates and expected applicant ability are increasing in $\tau$. Under Assumptions 1 and 2, this exploration is identical for each of the $B$-types, so we drop here the subscripts without loss of generality.
(i) Increase in application rates. Using $\mathbb{I}_{E}$ to denote the indicator function for the application event, we can write the application rate as

$$
\begin{aligned}
& \operatorname{Pr}\left(C \leq \Phi\left(\frac{T-\mu_{a}}{\sigma_{a}}\right) b+\tau\right) \\
& =\left(\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \mathbb{I}_{E} \cdot f(c \mid t) f(t) d c d t\right) \\
& =\left(\int_{-\infty}^{\infty} \Phi\left(\frac{\Phi\left(\frac{t-\mu_{a}}{\sigma_{a}}\right) b+\tau-E(C \mid T=t)}{\sigma_{C \mid T}}\right) f(t) d t\right)
\end{aligned}
$$

Hence, differentiating with respect to $\tau$ gives

$$
\frac{1}{\sigma_{C \mid T}}\left(\int_{-\infty}^{\infty} \phi\left(\frac{\Phi\left(\frac{t-\mu_{a}}{\sigma_{a}}\right) b+\tau-E(C \mid T=t)}{\sigma_{C \mid T}}\right) f(t) d t\right)
$$

which is strictly positive.
(ii) Increase in the average ability of applicants. Using once again the same notation, we
can write the expected ability of applicants as

$$
\begin{aligned}
& E\left(T \left\lvert\, C \leq \Phi\left(\frac{T-\mu_{a}}{\sigma_{a}}\right) b+\tau\right.\right) \\
& =\frac{\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} t \cdot \mathbb{I}_{E} \cdot f(c \mid t) f(t) d c d t}{\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \mathbb{I}_{E} \cdot f(c \mid t) f(t) d c d t} \\
& =\frac{\int_{-\infty}^{\infty} t \cdot \Phi(Y(t ; \tau)) f(t) d t}{\int_{-\infty}^{\infty} \Phi(Y(t ; \tau)) f(t) d t}
\end{aligned}
$$

where $Y(t ; \tau)=\frac{\Phi\left(\frac{t-\mu_{a}}{\sigma_{a}}\right) b+\tau-E(C \mid T=t)}{\sigma_{C \mid T}}$
Hence, differentiating with respect to $\tau$ gives

$$
K\left(\int_{-\infty}^{\infty} t \cdot \phi(Y(t ; \tau)) f(t) d t-\frac{\int_{-\infty}^{\infty} t \cdot \Phi(Y(t ; \tau)) f(t) d t}{\int_{-\infty}^{\infty} \Phi(Y(t ; \tau)) f(t) d t} \int_{-\infty}^{\infty} \phi(Y(t ; \tau)) f(t) d t\right)
$$

where $K \equiv \frac{1}{\sigma_{C \mid T}}\left(\int_{-\infty}^{\infty} \Phi(Y(t ; \tau)) f(t) d t\right)^{-1}$
Since the term $K$ is strictly positive, the derivative of expected applicant ability with respect to $\tau$ will be positive whenever the ratio $\frac{\phi(Y(t ; \tau))}{\Phi(Y(t ; \tau))}$ is increasing in $t .{ }^{1}$
In general, the Inverse Mills Ratio $\frac{\phi(x)}{\Phi(x)}$ is decreasing in $x$; so a sufficient condition for a positive derivative is that $Y(t ; \tau)$ is decreasing in $t$. That is

$$
\frac{b}{\sigma_{a}} \phi\left(\frac{t-\mu_{a}}{\sigma_{a}}\right) \leq \frac{\partial E(C \mid T=t)}{\partial t}
$$

Since $E(C \mid T=t)=\mu_{C}+\frac{\sigma_{C}}{\sigma_{T}} \rho\left(t-\mu_{T}\right)$ for the conditional bivariate normal distribution, the condition becomes

$$
\frac{\sigma_{T}}{\sigma_{C}} \frac{b}{\sigma_{a}} \phi\left(\frac{t-\mu_{a}}{\sigma_{a}}\right) \leq \rho
$$

and since the standard normal density $\phi(\cdot)$ has a maximum, this is achieved when

$$
\frac{\sigma_{T}}{\sigma_{a} \sigma_{C}} \frac{b}{\sqrt{2 \pi}} \leq \rho
$$

${ }^{1}$ Notice that whenever the ratio $\lambda=\frac{\phi(Y(t ; \tau))}{\Phi(Y(t ; \tau))}$ is increasing in $t$, then $t$ and $\lambda$ are positively correlated, so

$$
\begin{aligned}
& \int_{-\infty}^{\infty} t \cdot \lambda(Y(t ; \tau))\left(\frac{\Phi(Y(t ; \tau)) f(t)}{\int_{-\infty}^{\infty} \Phi(Y(t ; \tau)) f(t) d t}\right) d t \geq \\
& \quad \int_{-\infty}^{\infty} t\left(\frac{\Phi(Y(t ; \tau)) f(t)}{\int_{-\infty}^{\infty} \Phi(Y(t ; \tau)) f(t) d t}\right) d t \int_{-\infty}^{\infty} \lambda(Y(t ; \tau))\left(\frac{\Phi(Y(t ; \tau)) f(t)}{\int_{-\infty}^{\infty} \Phi(Y(t ; \tau)) f(t) d t}\right) d t
\end{aligned}
$$

Proposition 3 Suppose $(T, B, C)$ are distributed according to Assumptions 1 and 2. Assume jobseekers are confident about the selection threshold $a$, but they only observe $C$ and $B$, which they can use to update their beliefs about the probability that they will pass the recruitment test $T>a$. Then for each $B=b_{z}>0$, the application incentive (i) increases application rates, and (ii) increases the average ability of applicants, if and only if

$$
0<\rho_{z}<\frac{\sqrt{2 \pi} \sqrt{1-\rho_{z}^{2}} \sigma_{C_{z}}}{b_{z}}
$$

Proof. The proof proceeds in 4 steps. In each step, the reasoning applies to all B-types; so we drop again the subscripts without loss of generality.

1. Cut-off existence. Let us define $H(c)=\operatorname{Pr}\left(T_{z}>a \mid C_{z}=c_{z}\right)-\frac{c_{z}}{b_{z}}$.

Since $H(0+\epsilon)>0$ for some small positive $\epsilon$, and $H\left(b-\epsilon^{\prime}\right)<0$ for some positive $\epsilon^{\prime}$, it must be the case that $H(c)=0$ at least once as $c$ traverses the interval $(0, b)$.
2. Cut-off uniqueness. Given cut-off existence, to show that the threshold $c^{*}$ is unique it suffices to show that $H(c)$ is decreasing in $c$. Using a standard result from the conditional bivariate normal distribution, we have

$$
H(c)=1-\Phi\left(\frac{a-\mu_{T}-\frac{\sigma_{T}}{\sigma_{C}} \rho\left(c-\mu_{C}\right)}{\sqrt{1-\rho^{2}} \sigma_{T}}\right)-\frac{c}{b}
$$

Hence, differentiating with respect to $c$ gives

$$
\frac{\rho}{\sqrt{2 \pi} \sqrt{1-\rho^{2}} \sigma_{C}} \exp \left\{-\frac{\left[a-\mu_{T}-\frac{\sigma_{T}}{\sigma_{C}} \rho\left(c-\mu_{C}\right)\right]^{2}}{2\left(1-\rho^{2}\right) \sigma_{T}^{2}}\right\}-\frac{1}{b}
$$

From this expression it is easy to check that:
(a) when $\rho<0$, the derivative is always negative so $H(c)$ has at least one root, which by monotonicity we know is unique;
(b) when $\rho=0, \alpha(c)$ is horizontal; so a similar argument applies, and the root is unique; and
(c) when $\rho>0$, the derivative is negative whenever $\rho<\frac{\sqrt{2 \pi} \sqrt{1-\rho^{2}} \sigma_{C}}{b}$.
3. Treatment effect on applications. For the treatment group the threshold $c^{*}$ is defined as the level of costs for which $H\left(c^{*} ; \tau^{\prime}\right)=\operatorname{Pr}\left(T_{z}>a \mid C_{z}=c_{z}^{*}\right)-\frac{c_{z}^{*}-\tau}{b_{z}}=0$.
Hence, using implicit differentiation gives

$$
\frac{d c^{*}}{d \tau^{\prime}}=-\frac{\partial H\left(c^{*} ; \tau^{\prime}\right) / \partial \tau^{\prime}}{\partial H\left(c^{*} ; \tau^{\prime}\right) / \partial c^{*}}
$$

which is strictly positive.
Clearly, since the application threshold is increasing in $\tau$, the share of applicants with costs lower than this threshold will also be increasing in $\tau$.
4. Treatment effect on the average ability of applicants. Using the law of iterated expectations, we have that

$$
\begin{aligned}
E\left(T \mid C<c^{*}\right) & =E\left(E(T \mid C) \mid C<c^{*}\right) \\
& =E\left(\left.\mu_{T}+\frac{\sigma_{T}}{\sigma_{C}} \rho\left(C-\mu_{C}\right) \right\rvert\, C<c^{*}\right) \\
& =\mu_{T}-\frac{\sigma_{T}}{\sigma_{C}} \rho\left(\mu_{c}-E\left(C \mid C<c^{*}\right)\right) \\
& =\mu_{T}-\rho \sigma_{T} \frac{\phi\left(\frac{c^{*}-\mu_{C}}{\sigma_{C}}\right)}{\Phi\left(\frac{c^{*}-\mu_{C}}{\sigma_{C}}\right)} \\
& =\mu_{T}-\rho \sigma_{T} \lambda\left(\frac{c^{*}-\mu_{C}}{\sigma_{C}}\right)
\end{aligned}
$$

and differentiating with respect to $\tau$ gives

$$
\frac{d}{d \tau} E\left(T \mid C<c^{*}(\tau)\right)=-\rho \frac{\sigma_{T}}{\sigma_{C}} \frac{d c^{*}}{d \tau} \frac{d \lambda(c)}{d c}
$$

Since the Inverse Mills Ratio $\lambda(c)$ is decreasing in $c$, and we have shown that $c^{*}$ is increasing in $\tau$, the derivative is positive if and only if $\rho$ is positive.

## C Measures of ability, preferences and sophistication

## C.A Cognitive ability

We administer a Raven test and a Stroop test. The Raven test consists of 60 questions (Raven, 2000). Participants are given basic instructions about the test from an instructor and then have to complete the test in 60 minutes. To measure performance on this test, we use the number of correct answers.

We administer the Stroop test proposed by Mani et al. (2013). In this test, the instructor shows a string of digits and then test-taker has to report the number of digits shown. For example, if the string is ' 44 ', the correct answer is 'two'. Individuals are shown 75 strings in total. There are two measures of performance: the number of mistakes and (ii) the time taken to complete all strings (which is measured by the instructor using a stopwatch).

## C.B Non-cognitive ability

Our main measures of non-cognitive ability are derived from two standard scales: the big five inventory (BFI-44) and the 12-item grit scale (John and Srivastava, 1999; Duckworth et al., 2007). Further, we administer the 12 -item core self evaluation scale (Gardner and Pierce, 2010), a 16-item locus of control scale (Lefcourt, 1991), Rosenberg's 10-item self-esteem scale (Rosenberg, 1986). Participants are told that their answers to these psychometric questions are not going to be used to select the workers for the position. We included this feature to maximise truthful reporting.

## C.C Time preferences

We measure time preferences over the allocation of effort using a design proposed by Augenblick et al. (2015). We administer this task after the main measures of ability are collected. Applicants are informed that with a certain probability they will be invited to complete a small job, for which they will receive a financial remuneration. This job consists of transcribing 60 pages of text. The job has to be completed in two separate sessions, one week apart from each other. Participants have to transcribe at least five pages per session, but are free to allocate the remaining 50 pages across the two sessions. They are informed that this job is unrelated to the main position and that the effort allocation decisions is not going to be used in the selection process for the main position.

We ask individuals to make allocation decisions for ten different scenarios, one of which will be randomly drawn and implemented. In the first five scenarios, the near work session is on the day following the allocation decision and the late work session is seven days after that. In the last five scenarios, the near work session is two weeks after the allocation decision, and the late work session is seven days after that. ${ }^{2}$ Across scenarios, we vary the relative cost of allocating work to early and late sessions. Pages allocated to the near work session always have four sentences. Pages allocated to the late work sessions have $x=6,5,4,3$ or 2 sentences, depending on the scenario. $R=\frac{4}{x}$ is thus the rate of exchange of effort between the late and the early work session.

Consider an individual with beta-delta preferences and a cost of effort function given by $(e+\omega)^{\gamma}$ (where $e$ is the effort chosen and $\omega$ is background effort, in our case 5 pages). Augenblick et al. (2015) show that, for each scenario $d$, the allocation of effort between the near work session at time $t$ and the late work session at time $t+k$ is given by:

$$
\begin{equation*}
\log \frac{e_{d, t}+\omega}{e_{d, t+k}+\omega}=\frac{\log (\beta)}{\gamma-1} \operatorname{Early}_{d}+\frac{\log (\delta)}{\gamma-1} \mathrm{k}_{d}+\frac{1}{\gamma-1} \log (\mathrm{R})_{d} \tag{A1}
\end{equation*}
$$

where Early ${ }_{d}$ is a dummy for scenarios where the near date is on the following day. We estimate equation (A1) for each experimental group using a two-limit tobit estimator and obtain estimates of $\beta, \gamma$ and $\delta$ through non-linear combination of the coefficients. We obtain standard errors and test hypothesis about the equality of the coefficients using the delta method. We also obtain individual estimates of each parameter by estimating model (A1) for each individual. As these estimates are less stable, we windsorize the estimates of $\beta_{i}$ and classify as present biased any individual with $\beta<.99$.

## C.D Risk and social preferences

We measure risk preferences using the following questions adapted from the Global Preferences Survey (Falk et al., 2016b):

[^0]1. How do you see yourself: are you a person who is generally willing to take risks, or do you try to avoid taking risks? (On a scale from 0 to 10).
2. Please imagine the following situation: You can choose between a sure payment and a lottery. The lottery gives you a 50 percent chance of receiving 500 Birr. With an equally high chance you receive nothing. Now imagine you had to choose between the lottery and a sure payment. We will present to you 2 different situations. The lottery is the same in all situations. The sure payment is different in every situation. ${ }^{3}$
3. Please imagine the following situation: you have won a prize in a contest. Now you can choose between two different payment methods, either a lottery or a sure payment. If you choose the lottery there is a 50 percent chance that you receive 1700 Birr and an equally high chance that you receive nothing. Please consider: what would the sure payment need to be in order for you to prefer the sure payment over playing the lottery?

We measure social preferences using the following questions adapted from the Global Preferences Survey (Falk et al., 2016b):

1. How would you assess your willingness to share with others without expecting anything in return, for example your willingness to give to charity? (On a scale from 0 to 10).
2. Imagine the following situation: Today you unexpectedly received 1700 Birr. How much of this amount would you donate to charity?
3. How well does the following statement describe you as a person? I do not understand why people spend a lifetime fighting for a cause that is not beneficial to them. (On a scale from 0 to 10).

## C.E Strategic sophistication

We measure strategic sophistication with a simplified beauty contest game (Nagel, 1995). In this game, participants hypothetically play with four other players. Each player reports a

[^1]number from zero to six. To win the task, the player has to choose a number that is equal to the average of the numbers chosen by the other players minus one. This simple task enables us to identify different types of strategic reasoning:

- If a player thinks that other subjects choose numbers at random, then he or she expects the average number chosen by the other players to be three. The optimal strategy is then choose number two. This corresponds to $k=1$ behaviour.
- If a player thinks that other subjects are $k=1$, then he or she expects the average number to be two. The optimal strategy is thus to choose number one. This corresponds to $k=2$ behaviour.
- Finally, if a player thinks that other subjects are $k=2$, then they he or she expects the average number to be one. The optimal strategy is thus to choose number zero. This corresponds to $k=3$ behaviour.


## D The Estimation of the Structural Model

## D.A The analytical expressions of the moments

## D.A. 1 Noisy selection

Application rates $\operatorname{Pr}\left(C_{z} \leq \Phi\left(\frac{T_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau\right)$ :

$$
\begin{equation*}
\int_{-\infty}^{\infty} \Phi\left(\frac{\Phi\left(\frac{t_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau-E\left(C_{z} \mid T_{z}=t_{z}\right)}{\sigma_{C_{z} \mid T_{z}}}\right) f\left(t_{z}\right) d t_{z} \tag{A2}
\end{equation*}
$$

Expected applicant ability $E\left(T_{z} \left\lvert\, C_{z} \leq \Phi\left(\frac{T_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau\right.\right)$ :

$$
\begin{equation*}
\frac{\int_{-\infty}^{\infty} t_{z} \cdot \Phi\left(Y\left(t_{z}\right)\right) f\left(t_{z}\right) d t_{z}}{\int_{-\infty}^{\infty} \Phi\left(Y\left(t_{z}\right)\right) f\left(t_{z}\right) d t_{z}} \tag{A3}
\end{equation*}
$$

where

$$
Y\left(t_{z}\right)=\frac{\Phi\left(\frac{t_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau-E\left(C_{z} \mid T_{z}=t_{z}\right)}{\sigma_{C_{z} \mid T_{z}}}
$$

Dispersion in applicant ability $\operatorname{Var}\left(T_{z} \left\lvert\, C_{z} \leq \Phi\left(\frac{T_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau\right.\right)$ :

$$
\begin{equation*}
\frac{\int_{-\infty}^{\infty}\left(t_{z}-E\left(T_{z} \left\lvert\, C_{z} \leq \Phi\left(\frac{T_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau\right.\right)\right)^{2} \cdot \Phi\left(Y\left(t_{z}\right)\right) f\left(t_{z}\right) d t_{z}}{\int_{-\infty}^{\infty} \Phi\left(Y\left(t_{z}\right)\right) f\left(t_{z}\right) d t_{z}} \tag{A4}
\end{equation*}
$$

where

$$
Y\left(t_{z}\right)=\frac{\Phi\left(\frac{t_{z}-\mu_{a}}{\sigma_{a}}\right)\left(b_{z}+\tau^{w}\right)+\tau-E\left(C_{z} \mid T_{z}=t_{z}\right)}{\sigma_{C_{z} \mid T_{z}}}
$$

Expected recruitment probability $E\left(\operatorname{Pr}\left(a \leq T_{z}\right)\right)$ :

$$
\begin{equation*}
\int_{-\infty}^{\infty} \Phi\left(\frac{t_{z}-\mu_{a}}{\sigma_{a}}\right) f\left(t_{z}\right) d t_{z} \tag{A5}
\end{equation*}
$$

## D.A. 2 Noisy ability

## Application threshold $c_{z}^{*}$ :

$$
\begin{equation*}
\frac{c_{z}^{*}-\tau^{w}}{b_{z}+\tau}=1-\Phi\left(\frac{a-\mu_{T_{z}}-\frac{\sigma_{T_{z}}}{\sigma_{C_{z}}} \rho_{z}\left(c_{z}^{*}-\mu_{C_{z}}\right)}{\sqrt{1-\rho_{z}^{2}} \sigma_{T_{z}}}\right) \tag{A6}
\end{equation*}
$$

Application rates $\operatorname{Pr}\left(C_{z}<c_{z}^{*}\right)$ :

$$
\begin{equation*}
\Phi\left(\frac{c_{z}^{*}-\mu_{C_{z}}}{\sigma_{C_{z}}}\right) \tag{A7}
\end{equation*}
$$

Expected applicant ability $E\left(T_{z} \mid C_{z}<c_{z}^{*}\right)$ :

$$
\begin{equation*}
\mu_{T_{z}}-\rho_{z} \sigma_{T_{z}} \frac{\phi\left(\frac{c_{z}^{*}-\mu_{C_{z}}}{\sigma_{C_{z}}}\right)}{\Phi\left(\frac{c_{z}^{*}-\mu_{C_{z}}}{\sigma_{C_{z}}}\right)} \tag{A8}
\end{equation*}
$$

Dispersion in applicant ability $\operatorname{Var}\left(T_{z} \mid C_{z}<c_{z}^{*}\right)$ :

$$
\begin{equation*}
\frac{\int_{-\infty}^{\infty} \int_{-\infty}^{\infty}\left(t_{z}-E\left(T_{z} \mid C_{z}<c_{z}^{*}\right)\right)^{2} \cdot \mathbb{I}_{E} \cdot f\left(c_{z} \mid t_{z}\right) f\left(t_{z}\right) d c_{z} d t_{z}}{\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \mathbb{I}_{E} \cdot f\left(c_{z} \mid t_{z}\right) f\left(t_{z}\right) d c_{z} d t_{z}} \tag{A9}
\end{equation*}
$$

Expected recruitment probability $E\left(\operatorname{Pr}\left(T_{z} \geq a \mid C_{z}=c_{z}\right)\right)$ :
(A10)

$$
\int_{-\infty}^{\infty}\left(1-\Phi\left(\frac{a-E\left(T_{z} \mid C_{z}=c_{z}\right)}{\sigma_{T_{z} \mid C_{z}}}\right)\right) f\left(c_{z}\right) d c_{z}
$$

## D.A. 3 Parameter estimation and standard errors

We use the formulas reported above to calculate simulated moments for different draws of parameters, and then compute the value of the loss function (??). We minimize this function using MATLAB's unconditional minimizer fminunc.

To calculate standard errors, we produce 100 draws of bootstrapped moments (the boostrap procedure includes the estimation of $B$ and the demediation of application rates). We then estimate each of the four versions of the model reported in Table ?? for each set of bootstrapped moments. ${ }^{4}$ The standard error of a parameter is given by the standard deviation of that parameter over these replications.

[^2]
## D.B The Internal Rate of Return of the interventions

We calibrate the Internal Rate of Return (IRR) of the interventions to represent the returns to a typical a firm hiring a clerical worker in Addis Ababa. Table D1 below summarises all our key assumptions, which we describe in detail in what follows. First, we estimate the number of potential applicants. The average firm in our sample receives 50 job applications for a clerical post. On the basis of this, we assume that the pool of potential applicants is composed of 100 individuals. ${ }^{5}$

Second, we quantify the monthly benefit of the interventions using the following formula:

```
monthly benefit =\pi*\DeltaE[Raven|hire] * No hires
```

where $\pi$ is the monetary return to an extra unit of performance on the Raven test, $\Delta \mathrm{E}$ [Raven |hire] is the change in the expected Raven score of a hire, and No hires is the number of workers hired. To obtain a value for $\pi$, we regress wages on Raven test scores using the data of Abebe et al. (2020). We compute $\Delta E$ [Raven lhire] using the structural estimates from the noisyability case estimated with the core moments. ${ }^{6}$ No hires is the average number of workers hired by a firm in our sample in a given hiring round. Finally, we assume that the monthly benefit accrues to the firm for 45 months. We obtain this number by taking the average separation rate reported by firms in our survey and calculating the expected duration of a match.

Third, we quantify the one-off cost of application incentives using the following formula:

$$
\begin{equation*}
\text { cost }=r * \Delta \mathrm{E}[\mathrm{No} \text { Applicants }]+(100 * \mathrm{E}[\mathrm{No} \text { applicants }]) \tag{A12}
\end{equation*}
$$

where $r$ is the cost of reviewing one additional application. We calculate $r$ using firms' self-reports. In particular, firms report that it takes them about one hour of a manager's time to review an application. We price this hour at the median hourly salary of the HR staff who review applications in these firms. We obtain $\Delta E$ [No Applicants] (the expected change in the number of applicants compared to the control condition) and E [No applicants] (the expected total number of applicants in the incentive condition) using our structural estimates.

[^3]Finally, the total cost of the wage intervention is given by (i) a one-off cost of $r * \Delta \mathrm{E}$ [No Applicants] (as the employer needs to review additional applications), and (ii) a salary cost of 1,600 ETB for each hired workers, for three months.

We calculate the Internal Rate of Return (IRR) of the interventions using these calibrated costs and benefits, and applying MATLAB's irr function. We bootstrap the estimation procedure to obtain a confidence interval for the IRR: (i) for each new bootstrap sample, we solve the model again and obtain a new set of parameters, (ii) for each new set of parameters, we calculate the IRR of the interventions, (iii) we use this distribution of IRRs to compute the confidence interval. In step (1), for the incentive and wage intervention, we use the same bootstrapped parameter estimates that we obtained to calculate parameter standard errors. For the counterfactual interventions that target the incentive on the basis of gender or age, we run 100 additional simulations ( 50 for each model).

Table D1: Assumptions for the cost-benefit analysis

|  | Value |
| :--- | :--- |
| Number of potential applicants | 100 |
| Number of workers hired | 3 |
| Monthly return to one extra point on the Raven test $(\pi)$ | 22.8 |
| Marginal cost of interviewing one more applicant $(r)$ | 38.8 |
| Expected tenure on the job (no. months) | 45 |

## E Comparison with original plan

For the reduced-form analysis, we follow a registered pre-analysis plan. We have updated the plan in the following way:

1. Heterogeneity. We planned to study heterogeneous treatment effects with respect to individuals' savings, cash on hand, expenditure. These variables were collected during phone call number two. The plan was to ask these questions about the month preceding phone call number one. Due to miscommunication with the field team, this plan was not implemented. Instead, the questions were asked about the last completed month, which in most cases included several weeks after treatment. We are thus unable to use these variables to study heterogeneity. Further, we included three additional dimensions of heterogeneity measured during the second phone call: a measure of credit constraints and two questions on time preferences. The credit constraint question - a newly-designed question applying the logic of multiple price list to the measurement of credit constraints - was hard to understand for respondents according to the reports of the field team. Similarly, the two questions on time preferences were ultimately poorly formulated. These worries compound the fundamental problem that these variables were measured after treatment and are thus not suitable to study the heterogeneity of treatment effects. We thus chose not to use them for heterogeneity analysis in the paper.
2. Quantile regressions. Due to a lack of fine-grained variation in the scores at the top and at the bottom of the distribution in the individual tests, we have performed most the the quantile regression analysis on overall indices of ability computed over the prespecified families of ability measures.
3. Outcomes. We are unable to report results related to the wage paid by and the location of the jobs that jobseekers apply for between the two phone interviews because of the large amount of missing data. For both variables, we have more than $50 \%$ missing data.
4. The variable 'value of the job'. This variable was not part of the original plan. This variable has a clear theoretical interpretation and we thus prefer it to splitting the sample based on endogenous stratification, as per our original plan.
5. Experiment two. We originally planned to use experiment number two to obtain the
weights that managers placed over the various dimensions of quality. However, we found this challenging to implement. We ran several pilot sessions of a design where managers were shown several pairs of candidates with different characteristics and had to pick one candidate in each pair. These pilot sessions suggested that managers place a larger weight on cognitive ability, compared to non-cognitive ability or experience. However, managers decisions were very hard to predict and to reconcile with our model of decision utility (our estimated model could predict decisions only modestly better than a random guess). We thus opted for the simpler and more transparent task which is described in the paper.
6. Robustness tests. We have also included several robustness tests that were not prespecified, but were requested by referees, suggested by seminar audiences or motivated by the findings of the main pre-specified analysis.

## F The value of the job

In this section, we describe how we calculate $B$, the value of the experiment's job. This value is given by the stream of utility that the worker obtains if they get the job, minus the stream of utility that the worker would have obtained otherwise:

$$
b= \begin{cases}V(j)-V(u) & \text { if currently unemployed }  \tag{A13}\\ V(j)-V(e) & \text { if currently employed }\end{cases}
$$

where $V(j)$ is the gross value of the experiment's job, $V(u)$ is the value of being unemployed, and $V(e)$ is the value of being employed at the wage that the market currently pays for the worker's skills (we will refer to this as the 'market wage').

We proceed in two steps. First, we characterise $V(j), V(u)$ and $V(e)$ as functions of the wage paid by the experiment's job, market wages, worker impatience and the probability of finding and losing a job. Second, we forecast the market wage of each worker using a PostLASSO estimator (Belloni et al., 2014) and make informed assumptions about the other parameters. Throughout this section, we assume that time is discrete and measured in months. We also assume that workers have a time-separable, linear utility function of the following form:

$$
\begin{equation*}
U_{t}=\sum_{k=0}^{T} \delta^{t+k} E\left[w_{t+k}\right] \tag{A14}
\end{equation*}
$$

We start by calculating the value of unemployment. We assume that the worker values non-work time at $c$ (Mas and Pallais, 2017). This includes transfers, the value of leisure, etc. We assume that $c$ is given to the worker at the end of the month. Further, we assume that the worker will find a job in the next period with probability $p$. The value of being in unemployment is thus given by:

$$
\begin{align*}
V(u) & =\delta c+\delta^{2} p V(e)+\delta^{2}(1-p) V(u) \\
& =\frac{\delta c+\delta^{2} p V(e)}{1-\delta^{2}(1-p)} \tag{A15}
\end{align*}
$$

The value of being employed, on the other hand, is given by:

$$
\begin{align*}
V(e) & =\delta w+\delta^{2}(1-q) V(e)+\delta^{2} q V(u) \\
& =\frac{\delta w+\delta^{2} q V(u)}{1-\delta^{2}(1-q)} \tag{A16}
\end{align*}
$$

where $w$ is the market wage and $q$ is the probability of losing the job in any given period of time. We can substitute $V(e)$ into (A15) to derive an expression that defines $V(u)$ only as a function of the parameters $c, w, \delta, p$ and $q$ :

$$
\begin{align*}
V(u) & =\frac{\delta c}{1-\delta^{2}(1-p)}+\frac{\delta^{2} p}{1-\delta^{2}(1-p)} \frac{\delta w+\delta^{2} q V(u)}{1-\delta^{2}(1-q)} \\
& =\left(1-\frac{\delta^{4} p q}{\left(1-\delta^{2}(1-p)\right)\left(1-\delta^{2}(1-q)\right)}\right)^{-1} \times\left(c^{\prime}+\frac{\delta^{2} p}{1-\delta^{2}(1-p)} w^{\prime}\right) \tag{A17}
\end{align*}
$$

where $c^{\prime}=\frac{\delta c}{1-\delta^{2}(1-p)}$ and $w^{\prime}=\frac{\delta w}{1-\delta^{2}(1-q)}$. The value of being employed can be obtained by substituting (A17) into (A16).

Finally, the gross value of getting the experiment's job for a worker in treatment group $f$ is given by:

$$
V(j)=\sum_{k=0}^{3} \delta^{k} w_{f}+\delta^{4}(p V(e)+(1-p) V(u))
$$

The worker will obtain wage $w_{f}$ for three consecutive months and will then return to unemployment. For simplicity, we assume that work experience in the experiment's job does not affect future wages and that the worker will only hear about new job opportunities in the last month of the job. These assumptions make our estimates of $V(j)$ conservative.

We can now write an expression for the value of the job for an unemployed person. This is given by:

$$
V(j)-V(u)=\sum_{k=0}^{3} \delta^{k} w_{f}+\delta^{4}(p V(e)+(1-p) V(u))-V(u)
$$

Further, the value of the job for an employed person is given by:

$$
V(j)-V(e)=\sum_{k=0}^{3} \delta^{k} w_{f}+\delta^{4}(p V(e)+(1-p) V(u))-V(e)
$$

In our second step we forecast market wages. To do this, we use the Post-LASSO estimator recommended by Belloni et al. (2014). This estimator is obtained in two stages. First, we regress individual wages on a large set of covariates, using the LASSO estimator and all observations of jobseekers who have a formal job. This allows us to select a sub-set of covariates that can be used for forecasting. Second, we run an OLS regression of wages on the covariates selected in the first stage (using only control group observations, to minimise distortions in reporting potentially induced by the interventions) and use the OLS coefficients to derive a forecast of $w$ for each worker.

The Post-LASSO estimator is recommended to produce forecasts when a large number of potentially informative covariates are available. In these settings, estimators that maximise in-sample fit often have poor out-of-sample properties, as they tend to fit some of the noise in the data. The original LASSO estimator reduces over-fitting by imposing a penalty on non-zero coefficients. More precisely, for a canonical model:

$$
\begin{equation*}
y_{i}=\sum_{j=1}^{p} x_{i, j} \beta_{j}+u_{i} \tag{A18}
\end{equation*}
$$

the LASSO estimator of the parameter vector $\beta$ is obtained by minimising the following function:

$$
\widehat{\beta}=\underset{\beta}{\arg \min } \sum^{n}\left(y_{i}-\sum_{j=1}^{p} x_{i, j} \beta_{j}\right)^{2}-\lambda \sum_{j=1}^{p}\left|\beta_{j}\right| \gamma_{j}
$$

where $\lambda$ is a penalty parameter and $\gamma_{j}$ are penalty loadings. One problem with this estimator is that the non-zero coefficients tend to be biased towards zero. The Post-LASSO estimator reduces this bias by re-estimating the coefficients with OLS.

We use a rich set of variables in order to forecast wages. These variables describe the socio-demographic characteristics of workers, their educational achievements, and their labour market experience. We report the full list of variables in table F1 below. To maximise the flexibility of our empirical model, we discretise continuous variables and include dummies for each possible discretised value of the variable. Finally, our measure of wages refers to the jobs that subjects held at the time of the first interview. ${ }^{7}$ We report the coefficients estimates obtained with the Post-Lasso estimator in Table F2 below. The first column shows the estimates obtained by using the theoretically optimal penalty and the second column shows the estimate obtained with a manually-set lower penalty, which allows us to capture a number of additional plausible predictors. The predicted values we obtain from these two models are highly correlated. In what follows, we use the predicted values obtained with the optimal penalty.

We make the following assumptions on the remaining parameters. First, we assume that the monthly discount factor is $\delta=0.786$. To determine this figure, we use the daily discounting factor estimated in a recent experiment in Nairobi (Balakrishnan et al., 2015). The

[^4]estimates of Balakrishnan et al. (2015) suggest relatively high levels of impatience, which is consistent with the cross-country survey evidence reported by Falk et al. (2016a) for subSaharan Africa. Second, we set the probability of finding a job to 15.3 percent and the probability of losing a job to 11.6 percent, respectively. These figures reflect monthly transition rates from non-employment to employment, and vice-versa, which we calculate using the high-frequency panel data collected by Abebe et al. (2020). Finally, we assume that the value of $c$ is 1,230 ETB. We calculate this figure by using estimates of the value of non-work time relative to mean wages from Mas and Pallais (2017), and combine this ratio with mean forecasted wages for our sample. This figure seems realistic in our context, as unemployed jobseekers report an average monthly expenditure of about 1,000 ETB.

We estimate that the position has positive value for about 61 percent of the individuals in our sample. To confirm that our estimates are informative, we regress the application dummy on our estimate of the value of the job. We find a large and significant correlation: a one standard deviation increase in the value of the job is associated with a 10 percentage points increase in application rates. We report the estimates in Table F3 below. Finally, in Table F4 we show that the measure of B that we obtain by using different predicted values of the wage (LASSO forecast with optimal penalty, LASSO forecast with manual penalty, and OLS) are highly correlated with each other.

Table F1: Variables used to forecast wages

| Variable | Description |
| :--- | :--- |
| female | Female |
| age | Age |
| age_sq | Age squared |
| born_aa | Individual was born in Addis Ababa |
| newspaper | Individual has found out about the vacancy in the newspaper |
| amharic | First language is Amharic |
| oromo | First language is Oromifa |
| engineer | Engineering or hard science background |
| economics | Economics background |
| social_scientist | Degree in social science (other than economics) |
| GPA_dummy_ | Dummies for GPA score (1 point intervals) |
| wexperience | Wage work experience (number of months) |
| wexperience_sq | Wage work experience squared |
| e_type_ | Dummies for type of employer in last job |
| wage_dummy_ | Dummies for wage earned in last job (2,000 ETB intervals) |
| sexperience | Individual has experience in self-employment |
| subcity_ | Dummies for the subcity of residence of the respondent |

## Table F2: Post-LASSO regression of wages in Ethiopian Birr (control group observations)

|  | Optimal penalty | Manual penalty |
| :--- | :---: | :---: |
|  | $(1)$ | $(2)$ |
|  |  |  |
| Heard of job on newspaper | 108.186 | 52.678 |
| Economics background | $(191.410)$ | $(176.968)$ |
|  | 719.240 | 686.784 |
| Work experience (months) | $(266.857)$ | $(270.642)$ |
|  | 18.188 | 16.703 |
| Worked for private foreign business | $(3.101)$ | $(3.015)$ |
|  |  | 179.904 |
| Age | 45.814 | $(1058.206)$ |
|  | $(37.495)$ | 23.520 |
| GPA dummy (2-3) |  | $(35.126)$ |
|  |  | 239.314 |
| Previous wage dummy (2000-4000) |  | $(165.893)$ |
|  |  | 995.650 |
| Previous wage dummy (4000-6000) | 1862.386 | $(519.302)$ |
| Previous wage dummy (6000-8000) | $(438.405)$ | 2091.702 |
|  |  | $(437.934)$ |
| Previous wage dummy (8000-10000) | 3682.031 | 4175.537 |
|  | $(594.769)$ | $(846.208)$ |
| Obs. |  | 4012.018 |
|  |  | $(664.741)$ |

Notes: Post-LASSO regressions to forecast market wages. In the first stage of the Post-LASSO procedure, we run a LASSO regression of wages on the set of covariates described in Table F1. In the second stage, we run an OLS regression of wages on the covariates selected by the LASSO estimator in the first stage. In column (1), we report estimates obtained by applying the optimal LASSO penalty parameter. In the column (2), we report estimates obtained by applying a manually-chosen, lower penalty parameter that enables us to select a larger number of covariates. Robust standard errors in parentheses. Sample used: control individuals employed at baseline.

# Table F3: Regression of applications on the value of the job 

|  | Applied to the experiment's job |
| :--- | :---: |
| (1) |  |

Notes: OLS regressions. The dependent variable is a dummy for whether the individual has applied to the experiment's job. The independent variable is the estimate of the value of the job $B$, obtained using the market wage forecast from the model of column 1 of Table F2. $B$ is windsorised at the $10^{t h}$ and $90^{t h}$ percentiles. Robust standard errors in parentheses. Sample used: baseline sample.

Table F4: Correlation between measures of B obtained with different market wage forecasts

|  | Dep var: B (optimal LASSO) |  |
| :--- | :---: | :---: |
|  | $(1)$ | $(2)$ |
|  |  |  |
| B (OLS) | 0.919 |  |
|  | $(0.009)$ | 0.955 |
| B (manual LASSO) |  | $(0.010)$ |
|  |  | -74.051 |
| Constant | -89.205 | $(4.336)$ |
|  | $(8.608)$ |  |
|  |  |  |
|  |  | 0.94 |
| R2 | 0.91 | 4686 |
| Obs. | 3932 |  |
|  |  |  |

Notes: OLS regressions. The dependent variable is the measure of B based on the market wage forecast produced by running the post LASSO estimator with the optimal penalty (reported in in column (1) of Table F2). This is the measure of $B$ that is used in the rest of the paper. In the first column, we regress this measure of $B$ on an alternative measure of $B$ based on an OLS forecast of the market wage. The OLS estimator uses all the variables that are initially available to the LASSO estimator. In the second column, we regress our main measure of $B$ on an alternative measure of $B$ based on the post-LASSO market wage forecast reported in column (2) of Table F2. To obtain this second forecast, we impose on the post-LASSO estimator uses a manual penalty parameter. This results in the estimator relying on a larger number of covariates compared to the estimator that uses the optimal penalty parameter. All measures of $B$ are windsorised at the $10^{t h}$ and $90^{t h}$ percentiles. Robust standard errors in parentheses. Sample used: baseline sample.

## References

Abebe, Girum, Stefano Caria, Marcel Fafchamps, Paolo Falco, Simon Franklin, and Simon Quinn, "Anonymity or Distance? Job Search and Labour Market Exclusion in a Growing African City," Unpublished, 2020.

Attanasio, Orazio and Katja Kaufmann, "Educational Choices, Subjective Expectations, and Credit Constraints," NBER Working Paper No. 15087, 2009.

Augenblick, Ned, Muriel Niederle, and Charles Sprenger, "Working over Time: Dynamic Inconsistency in Real Effort Tasks," The Quarterly Journal of Economics, 2015, pp. 1067-1115.

Autor, David H and Michael J Handel, "Putting Tasks to the Test: Human Capital, Job Tasks, and Wages," Journal of Labor Economics, 2013, 31 (S1), S59-S96.

Balakrishnan, Uttara, Johannes Haushofer, and Pamela Jakiela, "How Soon Is Now? Evidence of Present Bias from Convex Time Budget Experiments," Unpublished, 2015.

Belloni, Alexandre, Victor Chernozhukov, and Christian Hansen, "High-Dimensional Methods and Inference on Structural and Treatment Effects," The Journal of Economic Perspectives, 2014, 28 (2), 29-50.

Benjamini, Yoav, Abba M Krieger, and Daniel Yekutieli, "Adaptive Linear Step-up Procedures that Control the False Discovery Rate," Biometrika, 2006, 93 (3), 491-507.

Dohmen, Thomas J, Armin Falk, David Huffman, and Uwe Sunde, "Interpreting Time Horizon Effects in Inter-Temporal Choice," Unpublished, 2012.

Duckworth, Angela L, Christopher Peterson, Michael D Matthews, and Dennis R Kelly, "Grit: Perseverance and Passion for Long-Term Goals.," Journal of Personality and Social Psychology, 2007, 92 (6), 1087.

Falk, Armin, Anke Becker, Thomas Dohmen, Benjamin Enke, David Huffman, and Uwe Sunde, "Global Evidence on Economic Preferences," Unpublished, 2016.
_ , - , , , David Huffman, and Uwe Sunde, "The Preference Survey Module: A Validated Instrument for Measuring Risk, Time, and Social Preferences," Unpublished, 2016.

Gardner, Donald G and Jon L Pierce, "The Core Self-Evaluation scale: Further Construct Validation Evidence," Educational and Psychological Measurement, 2010, 70 (2), 291-304.

John, Oliver P and Sanjay Srivastava, "The Big Five Trait Taxonomy: History, Measurement, and Theoretical Perspectives," Handbook of Personality: Theory and Research, 1999, 2 (1999), 102-138.

Kaboski, Joseph P and Robert M Townsend, "A Structural Evaluation of a Large-Scale Quasi-Experimental Microfinance Initiative," Econometrica, 2011, 79 (5), 1357-1406.

Laajaj, Rachid and Karen Macours, "Measuring Skills in Developing Countries," Unpublished, 2017.

Lagakos, David, Mushfiq Mobarak, and Michael E Waugh, "The Welfare Effects of Encouraging Rural-Urban Migration," Unpublished, 2017.

Lefcourt, Herbert M, Locus of Control, Academic Press, 1991.
Mani, Anandi, Sendhil Mullainathan, Eldar Shafir, and Jiaying Zhao, "Poverty Impedes Cognitive Function," Science, 2013, 341 (6149), 976-980.

Mas, Alexandre and Amanda Pallais, "Labor Supply and the Value of Non-Work Time: Experimental Estimates from the Field," Unpublished, 2017.

McKenzie, David, "Identifying and Spurring High-Growth Entrepreneurship: Experimental Evidence from a Business Plan Competition," American Economic Review, 2017, 107 (8), 2278-2307.

Nagel, Rosemarie, "Unraveling in Guessing Games: An Experimental Study," The American Economic Review, 1995, 85 (5), 1313-1326.

Raven, John, "The Raven's Progressive Matrices: Change and Stability over Culture and Time," Cognitive psychology, 2000, 41 (1), 1-48.

Rosenberg, Morris, Conceiving the Self, RE Krieger, 1986.


[^0]:    ${ }^{2}$ Differences in allocation decisions in near and far time horizons enable us to identify present bias. This is a common strategy in the literature on time preferences (Dohmen et al., 2012). Augenblick et al. (2015), on the other hand, elicit allocation decisions for a single time horizon and enable subjects to revise this decision just before the start of the first work session. This feature of the design of Augenblick et al. (2015) would have been difficult to replicate in our setting.

[^1]:    ${ }^{3}$ The first sure payment is 170 ETB. If the person chooses the sure payment, the next decisions has a sure payment of 80 Birr. If the person chooses the lottery, the next decisions has a sure payment of 260 Birr. These two choices enable us to bound the CRRA coefficient of the respondent. We assign to each respondent the midpoint of the interval of risk aversion consistent with his or her decisions.

[^2]:    ${ }^{4}$ To make the bootstrap computationally manageable we truncate the minimisation procedure at 1,500 function evaluations and set a slightly lower optimality threshold. The minimisation procedure is truncated in about 8 percent of the simulations. We only use simulations that have converged to a minimum.

[^3]:    ${ }^{5}$ This corresponds to an application rate of $50 \%$, which is in line with the average application rate across treatment conditions on our experiment.
    ${ }^{6}$ To calculate E [Raven \| hire], we first need to calculate the selectivity threshold used by the employer. This is the threshold that ensures that the expected number of applicants with ability above the threshold is equal to the desired number of hires. We then calculate the expected change in Raven scores among applicants above this threshold.

[^4]:    ${ }^{7}$ We windsorise the forecast at the $5^{t h}$ and $95^{t h}$ percentiles so that we do not rely on extreme forecasts. Further, we adjust forecasted wages (by applying a simple location shift) to ensure that the mean of the forecast matches that of representative data for workers in Addis Ababa of comparable age and level of education.

